### Measurements of Electron Distribution Functions in Laser-Produced Plasmas Using Angularly Resolved Thomson Scattering

100 1.2 5 Absorption relative to Maxwellian 1.0 10-2 4 fe ш 0.8 10-4 3 90% confidence ···•··· Data 0.6 **Maxwellian** 10<sup>-6</sup> 2 2 3 2 3 5 0.5 1.0 1.5 2.0 0 4 0 4  $Zv_{\rm osc}^2/v_{\rm th}^2$  $Zv_{\rm osc}^2/v_{\rm th}^2$  $v/v_{\rm th}$ 

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### Angularly resolved Thomson scattering allows the first direct measurement of the electron velocity distribution over many orders of magnitude

- Electron velocity distribution function plays an important role in governing laser-plasma interactions and setting the conditions in inertial confinement fusion
- Measured distributions are super-Gaussian in the bulk due to inverse bremsstrahlung heating and Maxwellian in the tail
- Reduction in laser absorption and shift in ion-acoustic resonance due to super-Gaussian distributions were measured

Measurements of electron distribution functions can improve agreement between modeling and experiment.



#### Collaborators



J. Katz, R. Boni, D. Nelson, D. Turnbull, J. P. Palastro, K. Daub, R. K. Follett, and D. H. Froula

> University of Rochester Laboratory for Laser Energetics

M. Sherlock and T. Chapman

Lawrence Livermore National Lab

W. Rozmus

**University of Alberta** 



### Laser–plasma interactions dictate the drive and electron preheat of inertial confinement fusion experiments



Better understanding and predictive capabilities of laser–plasma interactions can open the design space for inertial confinement fusion and other laser-based experiments.

MagLIF: magnetized liner inertial fusion LPI: laser-plasma interaction



### Modeling of laser-plasma interactions can be improved by including the electron distribution function

- The bulk of the distribution function affects •
  - stimulated Brillouin scattering
  - laser absorption —
  - Ion-acoustic resonance and damping





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- The tail of the distribution function affects:
  - SRS
  - heat flux
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Measurements of the electron distribution can identify distribution functions relevant for modeling.





#### Outline



- Electron distribution functions impact ICF through LPI
- Measurements of electron distribution functions with angularly resolved Thomson scattering
- Measured distributions (bulk) and the impact on
  - absorption
  - CBET
- Measured distributions (tail)



Electron distribution function measurements were conducted on the OMEGA Laser System using the gas-jet platform to provide uniform well-diagnosed underdense plasmas



Power (TW)

0.40

0.05

0



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12 (arbitrary units) Noncollective Thomson scattering Amplitude •  $P_{\rm s, NC} \propto f(v/v_{\rm th})/v_{\rm th}$ directly dictated by the distribution 8 function 4 0 450 Collective Thomson scattering • is related to the distribution  $P_{\rm s, peak} \propto \frac{f_{\rm e} \left(\frac{v}{v_{\rm th}}\right)}{df_{\rm e}/dv}$ 5 function and the susceptibility

• The susceptibility  $(\chi)$  is dependent on the distribution function

A small-scattering cross section and limited dynamic range have limited electron distribution function measurements to the bulk or a predetermined functional form.



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# Angularly resolved Thomson scattering allows direct measurement of the distribution function over many orders of magnitude with limited dynamic range





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### A diagnostic was invented to measure the electron distribution function by angularly resolving the Thomson-scattering spectrum





### Distributions are extracted from the angularly resolved Thomson-scattering data using a forward-fitting algorithm



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The result is an electron distribution that represents the data without specifying the relevant physics.



### The measured electron distribution function reproduced the measured Thomson-scattering spectrum





### Angularly resolved Thomson-scattering measurements show Maxwellian distributions 200 ps after the heating lasers are turned off





#### During laser heating the distribution was measured to be non-Maxwellian





### Non-Maxwellian distribution functions result from inverse bremsstrahlung heating

• Langdon effect\*

 $f_m(v) \propto \exp[-(v/v_m)^m]$ 

 Super-Gaussian order varies continuously with the ratio of inverse bremsstrahlung heating to electron–electron collision rate (Langdon parameter)\*\*

$$\alpha = Z \left(\frac{v_{\rm osc}}{v_{\rm th}}\right)^2$$
  $m = 2 + \frac{3}{1 + 1.66/\alpha^{0.724}}$ 







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Super-Gaussian functions are in excellent agreement with the measured distribution function.





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Agreement of the scaling law with measurements provides confidence in its use for predictive modeling.



\*\* J. P. Matte et al., Plasma Phys. Control. Fusion 30, 1665 (1988).



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### The reduced number of slow electrons in a super-Gaussian distribution was predicted to reduce the absorption rate



A. B. Langdon, Phys. Rev. Lett. 44, 575 (1980).



### The absorption was quantified by the measuring the energy of the green beam before and after interacting with the plasma



The measurements show reduced absorption relative to a Maxwellian plasma.

A. B. Langdon, Phys. Rev. Lett. 44, 575 (1980).

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Langdon's theory provides good agreement with the measured absorptions.



#### To measure the effects of non-Maxwellian electron distribution functions on ion-acoustic waves, CBET experiments were performed



the measurement; this can be used to improve ICF modeling.

D. Turnbull et al., Nat. Phys. <u>16</u>, 181 (2020).

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### Measured electron distribution functions are super-Gaussian in the bulk and Maxwellian in the tail ( $v/v_{th} > 3$ )

• A simplified super-Gaussian + Gaussian model was used determine the shape of the tail

$$f_{e}(x) = a_{1} \exp\left[-\left(\frac{x}{x0_{1}}\right)^{m}\right] + a_{2} \exp\left[-\left(\frac{x}{x0_{2}}\right)^{2}\right]$$





### Electron–electron collisions involving electrons oscillating in the laser field lead to a Maxwellian tail

- Fourkal's calculations considered the anisotropy from polarization
- Electrons oscillated in the field of a single laser, modifying the electron–electron collisions
- The modified collisions lead to a modified tail in the cycleaveraged isotropic distribution function
- This model deviates from the data around 2.5 v<sub>th</sub>



While this model, considering a single plane wave, results in a Maxwellian tail, it is not consistent with the measured shape.

E. Fourkal et al., Phys. Plasmas 8, 550 (2001).



### These experiments were simulated with the particle code *Quartz* to investigate the effects of multiple beams on the distribution function



Results suggest that uniformity introduced by multiple overlapped beams can dictate the energy transfer to the high-velocity electrons.



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## The measured distribution functions show some of the ways the electron distribution function can affect inertial confinement fusion



Measuring distribution functions can improve predictive capability and open the ICF design space.



#### Summary/Conclusions

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