Introduction to TriForce: A multi-physics code for hybrid fluid-kinetic simulations



- based hybrid fluid-kinetic simulations.
- We are strengthening the science base in support of several continually-validated code.
- students and scientists in astrophysics, plasma, geoscience,
- The hybrid method enables capabilities beyond either of the a range of topics such as controlled nuclear fusion, astrophysics, high-energy-density physics, and high-intensity lasers.
- The goal is to provide better predictive capability and access to advanced models for the benefit of the whole community.









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Electromagnetic fields

• Explicit or implicit time advance

Rectangular or triangular mesh option

Magnetic fields

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 $abla \cdot {f B} = 0$

 $\nabla \times \mathbf{E} = -\frac{\partial \mathbf{E}}{\partial \mathbf{E}}$

3D laser amplification

via Raman backscattering

 $abla imes {f B} = \mu_0 \left(\, {f J} + arepsilon_0 rac{arepsilon - arepsilon}{\partial t} \, ig)
ight.$

 $\nabla \cdot \mathbf{E} = - -$

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0.12 0.13 0.14 0.15 0.16 0.17 0.18

Radius (cm)

Mod. SNB model $C_{v,e} \frac{dI_e}{dt} = -\nabla \cdot \boldsymbol{Q_{SH}} + C_{nonlocal}$ $(r - \nabla \cdot \frac{\lambda'_g(r)}{2} \nabla) H_g(r) = -\nabla \cdot \boldsymbol{U}_g(r)$

 $\boldsymbol{U_g}(r) = \boldsymbol{Q_{SH}} \frac{1}{24} \int_{E_{q-1}/k_b T_e}^{E_{g/N_b Te}} \beta^4 e^{-\beta} d\beta$ $\lambda_g = 2(E_{g-\frac{1}{2}}/k_b T_e)^2 \lambda_{mfp}^e$ $C_{nonlocal} = -\nabla \cdot \boldsymbol{Q_{nonlocal}} = \sum H_q^k / \lambda_q$

Loads driven self-consistently by open-circuit voltage $\frac{\varphi_{oc} - Z_0 I_s - \varphi_c}{\varphi_{oc}}$ $_{c} = \frac{I_{s} - I_{l} - \varphi_{c}/R_{loss}}{I_{s} - I_{l} - \varphi_{c}/R_{loss}}$

 $\dot{I}_l = \frac{\varphi_c - L_l I_l}{L_0 + L_l}$



- Explicit or implicit PIC (particle-in-cell) push
- to interact with meshless SPH particles



Magnetized charged particle transport

Standard scatter/gather operations are used





Acknowledgments

This material is based upon work supported by the Department of Energy, Office of Science, Office of Fusion Energy Sciences under Award Number DE-SC0017951, the U.S. Department of Energy National Nuclear Security Administration under Award No. DE-NA0003856, the University of Rochester, and the New York State Energy Research and **Development Authority.**