Temperature-induced changes in hP4-Sodium Electride: An Ab Initio Study



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High-pressure dynamics of the hP4 electride* phase of sodium exhibit an unconventional insulator-to-metal transition: upon melting localized electrons become bubbles

- We have used density-functional theory (DFT) based methods to investigate the finite-temperature effects on the electride phase of Na under extreme conditions
- Our *ab initio* results indicate that the band gap of Na-electride at ~320 GPa gradually decreases with increasing temperature, until it abruptly becomes zero upon melting, due to an insulator-to-metal transition
- Melting is accompanied by coalescent dynamic electron bubbles rather than conventional uniform electron gas, as is the case for metallic liquids



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Collaborators



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Upon high-pressure compression metallic Na has been observed to become an insulator – the electride phase (hP4) – at room temperature



^{*} E. Gregoryanz *et al.*, Science <u>320</u>, 1054 (2008) M. Marqués *et al.*, Phys. Rev. B <u>83</u>, 184106 (2011) D. Polsin *et al.*, APS SCCM (2019)



^{**} Y. Ma et al., Nature 458, 182-184 (2009)

The melt curve for Na-hP4 monotonically increases between 200 and 500 GPa



Results from calculations using PBE and SCAN-L+rVV10 xc** agree within 100 K

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The band gap along the (P = 320 GPa, T = 0 K) isochore gradually closes with increasing temperature demonstrating an abrupt insulator solid-to-metallic liquid transition



Electronic Density of States

Band gap from PBE consistently different from SCAN-L+rVV10

- Calculated from
- metallic with no band



The optical properties along the (P = 320 GPa, T = 0 K) isochore also show abrupt change upon melting as a further confirmation of metallization



Characteristic changes in optical properties observed upon melting ($T_m \sim 2000$ K), calculated using DFT with the Kubo-Greenwood formulation



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The static Electron Localization Function (ELF) along the (P = 320 GPa, T = 0 K) isochore exhibits paired and localized interstitial electrons in solid phase



All ELF plots are on the (001) plane



The static Electron Localization Function (ELF) along the (P = 320 GPa, T = 0 K) isochore exhibits dynamic electron bubbles in liquid phase



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Electron Localization Function



$$\begin{aligned} \mathsf{ELF}_{\sigma}(r) &= \frac{1}{1 + \chi_{\sigma}^{2}(r)} \\ \chi_{\sigma}(r) &= \frac{D_{\sigma}(r)}{D_{\sigma}^{0}(r)} \end{aligned}$$
$$\begin{aligned} D_{\sigma}(r) &= \sum_{i=1}^{N_{\sigma}} |\nabla \Psi_{i}(r)|^{2} - \frac{1}{4} \ \frac{|\nabla \rho_{\sigma}(r)|^{2}}{\rho_{\sigma}(r)} \end{aligned}$$

