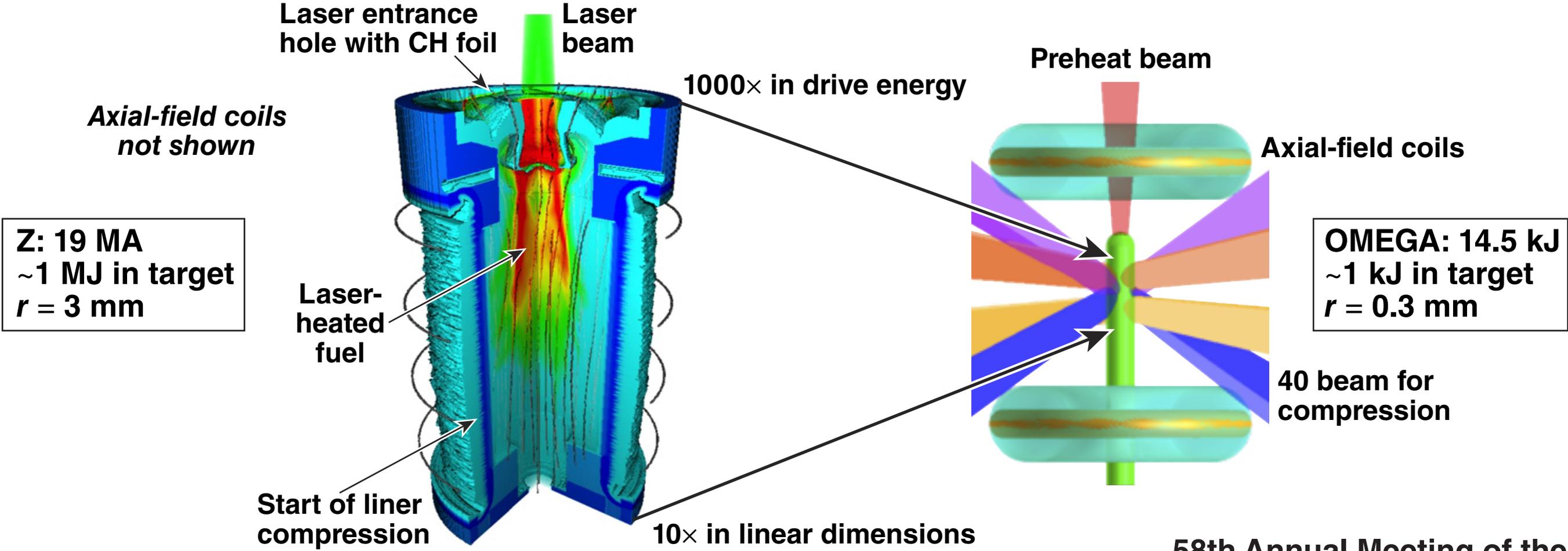


Temperature Scaling for Magnetized Liner Inertial Fusion



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Summary

Laser-driven magnetized liner inertial fusion (MagLIF) using a target 10× smaller than Z is being developed on OMEGA to provide the first data on scaling*



- Thermal losses increase as dimensions are reduced
- A simple model shows the final temperature scale as $(C\rho_0r_0v)^{2/5}$
 - C is fuel convergence ratio, ρ_0 is initial fuel density, r_0 is initial fuel radius, and v is implosion velocity of the fuel
- Maintaining a sufficient final temperature on OMEGA requires the implosion velocity to be at least double that on Z

Collaborators



D. H. Barnak, R. Betti, E. M. Campbell, V. Yu. Glebov, A. B. Sefkow, and J. P. Knauer

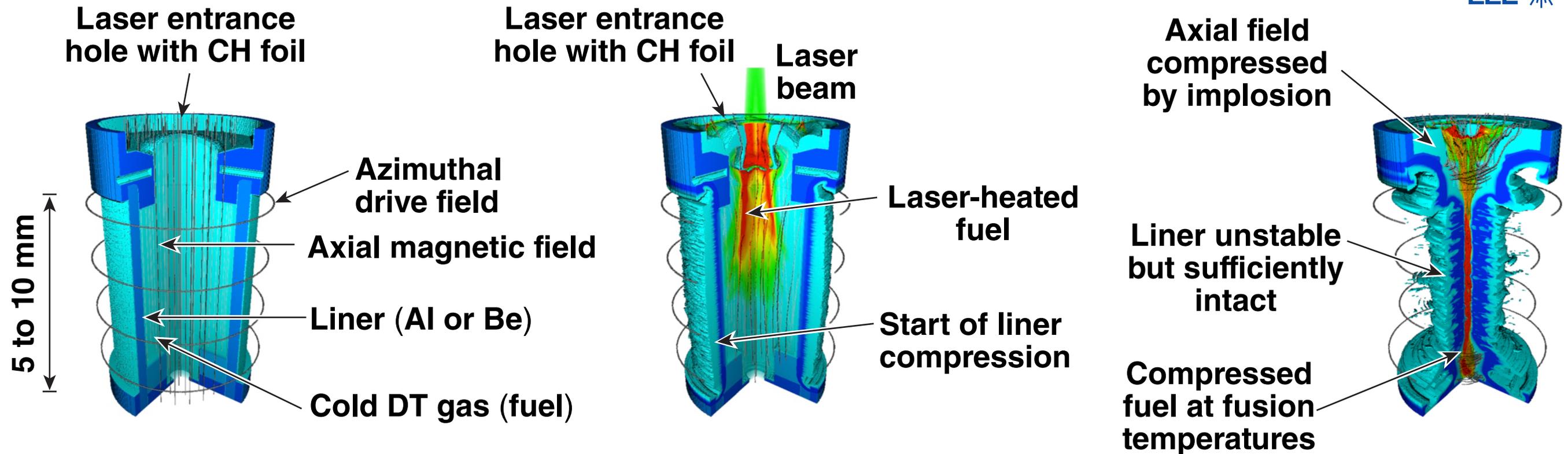
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MagLIF is an inertial confinement fusion (ICF) scheme using magnetized, preheated fuel to allow for cylindrical implosions with lower velocities and lower convergence ratios than conventional ICF*



- An axial magnetic field lowers electron thermal conductivity allowing a near-adiabatic compression at lower implosion velocities and confines alpha particles if $BR > 0.6 \text{ T}\cdot\text{m}$, allowing a lower areal density
- Preheating to $\sim 100 \text{ eV}$ makes it possible for $>1 \text{ keV}$ to be reached at a convergence ratio <30

MagLIF is now being considered as a possible route to fusion ignition in the laboratory by the NNSA (National Nuclear Security Agency) along with indirect and direct drive



- DD fusion yields of 3.2×10^{12} , neutron-averaged ion temperatures of 2.5 keV, and magnetic confinement of charged fusion products (BR \sim 0.4 T-m) have been obtained in Z experiments*
- Z is the only pulsed-power facility capable of carrying out MagLIF experiments; at least \sim 7 MA is required and Z cannot measure yields at lower currents
- OMEGA can carry out laser-driven MagLIF experiments because it has a magnetic-field generation capability [magneto-inertial fusion electrical discharge system (MIFEDS)]

Laser-driven MagLIF on OMEGA will provide the first data on scaling and more shots with better diagnostic access than Z.

*M. R. Gomez *et al.*, Phys. Rev. Lett. **113**, 155003 (2014).
P. F. Schmit *et al.*, Phys. Rev. Lett. **113**, 155004 (2014).

OMEGA delivers 1000× less energy than Z so linear dimensions must be reduced by a factor of 10×



- A radius of 0.3 mm versus 2.79 mm on Z experiments was chosen to match existing phase plates
- MIFEDS could provide $B_z \sim 10$ T as used in Z experiments
- In the absence of thermal transport, OMEGA could achieve the same convergence ratio, implosion velocity, and temperature as Z
- Magnetic confinement of charged fusion products will be lost because their Larmor radius remains the same; BR is 10× lower
- Thermal conduction losses will be greater in smaller targets because of the increased surface-area-to-volume ratio and increased temperature gradient—how does this scale?

Estimate fuel temperature using a “0 D” energy balance with ion thermal conduction to a cold shell and compression at constant velocity

$$\nabla T \sim \frac{T}{r}$$

$$\frac{d}{dt}(3neT\pi r^2) \sim -K_0 T^{5/2} \frac{T}{r} 2\pi r - 2neT \frac{d}{dt}(\pi r^2)$$

$$\frac{T}{T_c} = \frac{0.7^{2/5} C^{4/3}}{\left[C^{7/3} - 1 + 0.7(T_c/T_0)^{5/2} \right]^{2/5}}$$

$$T_c = \left(\frac{2en_0 r_0 v}{K_0} \right)^{2/5} \text{ eV}$$

r is fuel outer radius, not radial coordinate

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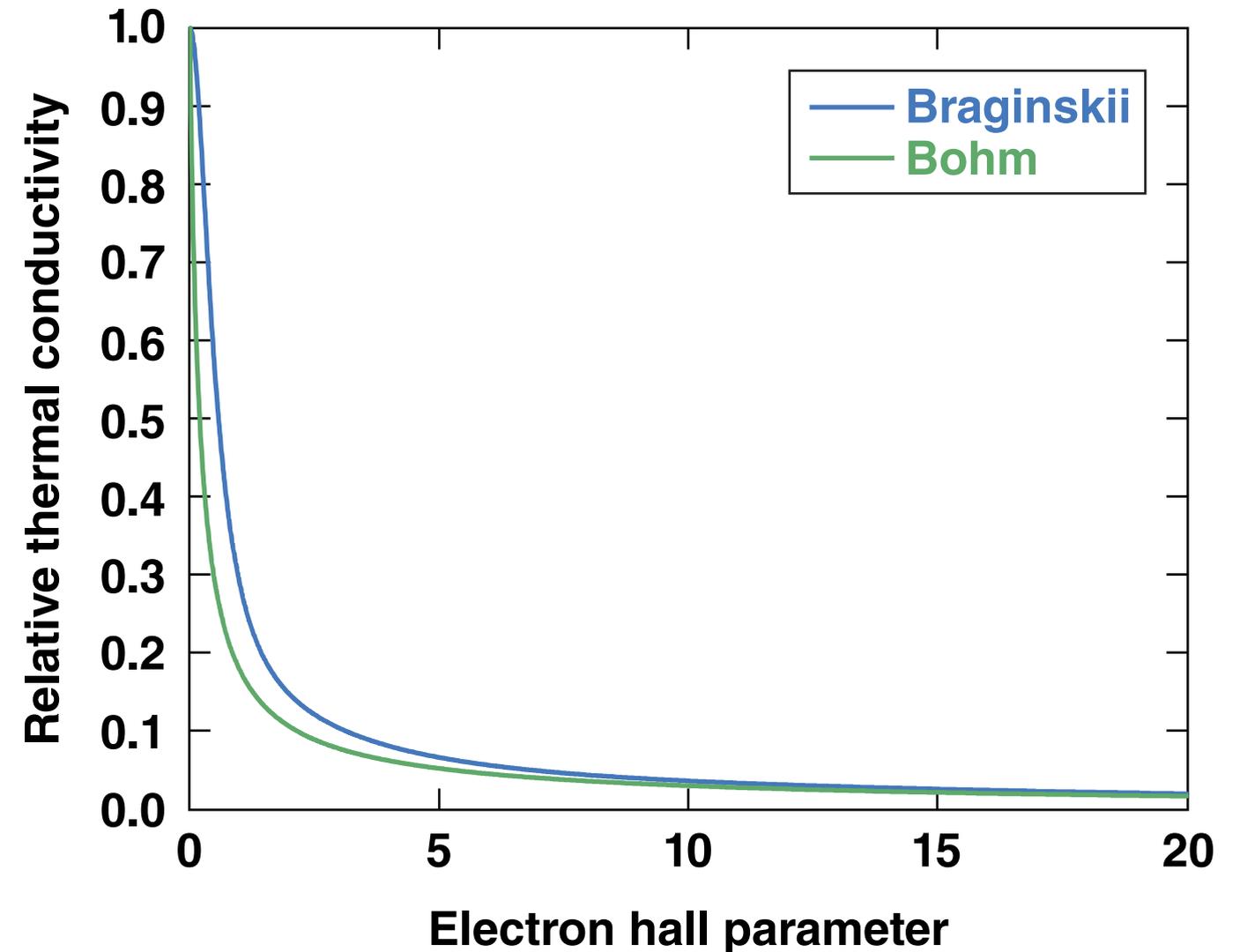
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PdV work

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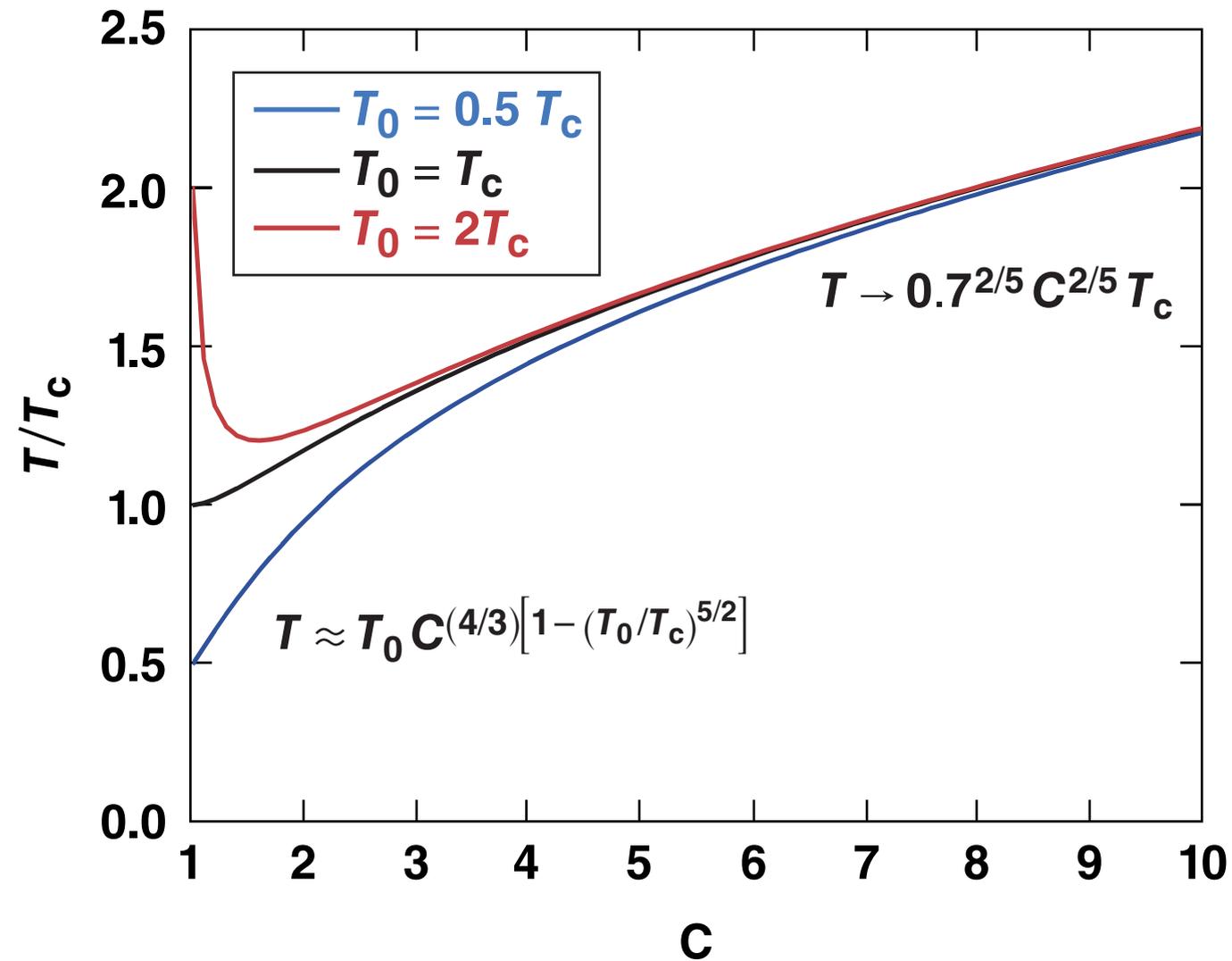
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Temperature at which thermal loss balances compression heating

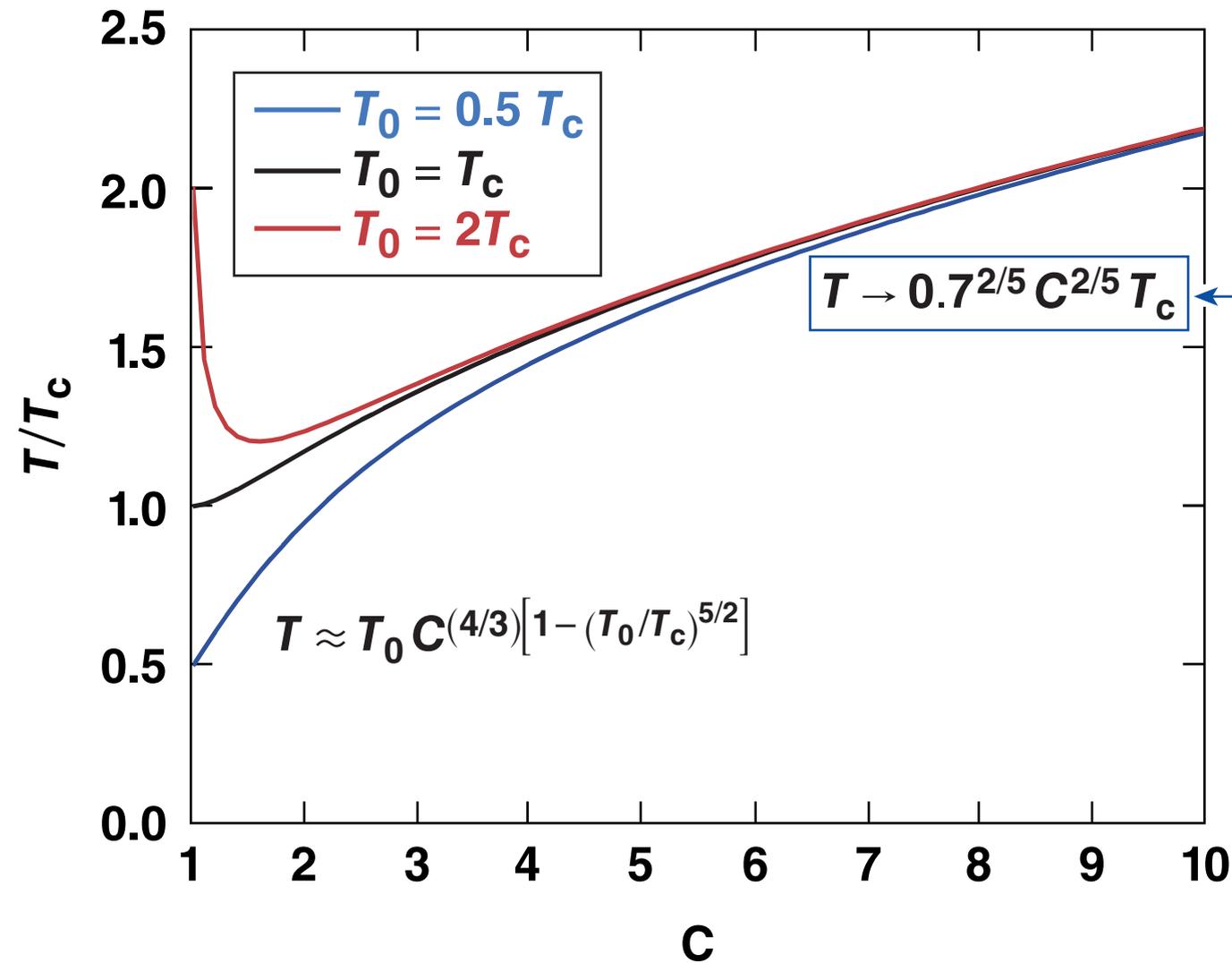
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Thermal losses are significant on Z and will be even greater on OMEGA



$$T_c \sim 2 \left(\sqrt{\frac{2}{A}} \frac{\rho_0}{1 \text{ mg/cm}^3} \frac{r_0}{3 \text{ mm}} \frac{v}{70 \text{ km/s}} \right)^{2/5} \text{ keV}$$

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← Regime of interest for MagLIF

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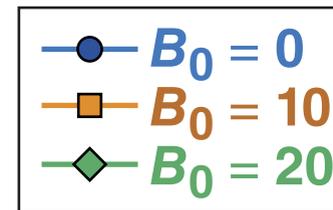
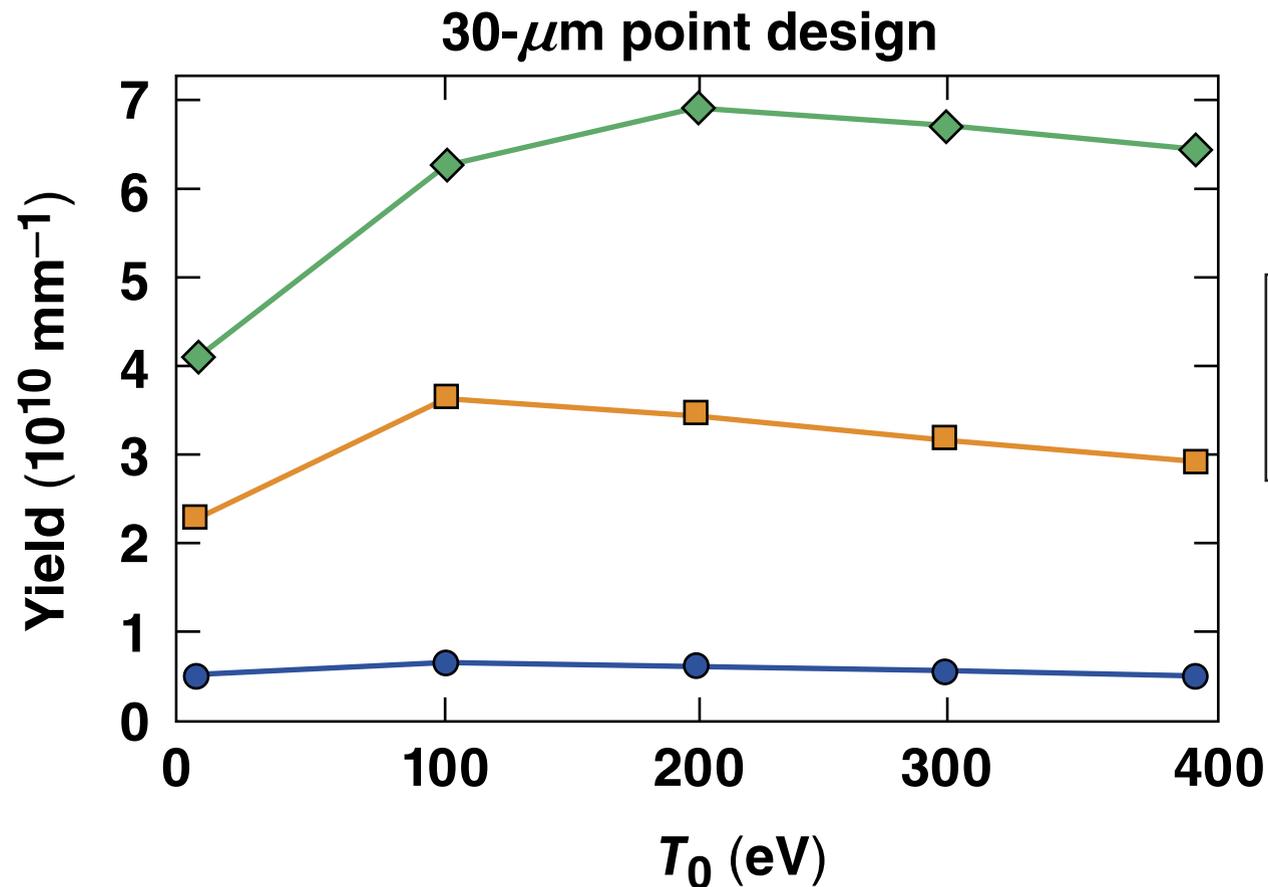
Reducing fuel radius by 10× will lower the final temperature 2.5×

- To maintain the final temperature within a factor of 2 requires an increase in $C\rho_0 v$ of at least 1.75×
- Increasing convergence ratio will increase instability growth and mix
- Increasing initial fuel density will create issues for laser preheating
- Aim for a design with roughly 2× the 70-km/s implosion velocity of the Z point design and experiments by using a relatively thinner shell
 - the current OMEGA point design has a shell aspect ratio (outer radius/thickness) of 15 versus 6 for the Z point design and experiments, giving an implosion velocity of 188 km/s in 1-D simulations
 - the peak ion temperature from 1-D simulations is 4.3 keV versus 8 keV for the Z point design

The model predicts a threshold preheat temperature in agreement with 1-D simulations

- To reach 90% of the limiting temperature requires

$$T_0 > 1.47 \frac{T_c}{C^{14/15}} \sim 120 \left(\sqrt{\frac{2}{A}} \frac{\rho_0}{2.4 \text{ mg/cm}^3} \frac{r_0}{0.3 \text{ mm}} \frac{v}{140 \text{ km/s}} \right)^{2/5} \left(\frac{C}{25} \right)^{-14/15} \text{ eV}$$



The Z point-design parameters give $T_0 > 220 \text{ eV}$
250 eV was chosen

Summary/Conclusions

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