Gain Curves for Fast-Ignition **Inertial Confinement Fusion** FSC **E**_{Fusion} **E**_{Fusion} **G**_{*T*} = G_M **E**Driver + **E**Petawatt 250 250 Total target gain (G_T) Maximum gain (G_M) 200 200 $E_{\rm PW} = 50 \text{ kJ}$ 150 150 75 kJ 100 100 50 kJ Burn simulations 50 50 Analytical formula 0 0 2 00.2 2 0 **Driver energy (MJ) Driver energy (MJ)** 48th Annual Meeting of the A. A. Solodov, R. Betti, J. A. Delettrez, and C. Zhou **American Physical Society**

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Summary

Gain curves for fast-ignition and ignition requirements have been obtained from hydrodynamic simulations of realistic high-gain, fast-ignition targets





- A maximum gain curve has been generated for ignition by a collimated monoenergetic electron beam.
- Simulations using Gaussian laser pulses and ponderomotive temperature scaling for fast electrons predict a minimum laser energy for ignition \geq 100 kJ for λ_L = 1.05 μ m.
- A shorter laser wavelength might be necessary to reduce the range of fast electrons to the fuel core size and lower the ignition energy.

Implosion of the high-density and high- ρR fuel assembly¹ was simulated using the one-dimensional hydrocode *LILAC*²



- Massive cryogenic shells can be imploded with a low-implosion velocity on a low adiabat using a relaxation-pulse technique.³
- Such targets are practically unperturbed by the Rayleigh–Taylor instability justifying 1-D simulation of the implosion.

¹R. Betti and C. Zhou, Phys. Plasmas <u>12</u>, 110702 (2005).

²J. A. Delettrez et al., Phys Rev. A <u>36</u>, 3926 (1987).

³R. Betti et al., Phys. Plasmas <u>12</u>, 042703 (2005).

The two-dimensional, two-fluid hydrocode *DRACO*¹ has been recently modified² to include electron-beam energy deposition into the dense fuel



¹P. B. Radha et al., Phys. Plasmas <u>12</u>, 056307 (2005).

²J. A. Delettrez et al., Plasma Phys. Control. Fusion <u>47</u>, B791 (2005).

³C. K. Li and R. D. Petrasso, Phys. Rev. E <u>70</u>, 067401 (2004).

Ignition is triggered by a 15-kJ, 2-MeV monoenergetic electron beam in the burn simulation



Electron-beam radius $r_0 = 20 \ \mu m$ and duration $\tau = 20 \ ps$.

High gains are possible with small drivers with energy as low as 200 kJ



TC7620 R. Betti, A. A. Solodov, J. A. Delettrez, and C. Zhou, Phys. Plasmas <u>13</u>, 100703 (2006).

Using Maxwellian electrons and Gaussian laser pulses increases the energy required for ignition



(E_{hot}) >> 1: Electron range greatly exceeds the optimal range for fast ignition,²

 $R_{opt} \sim 0.6 \div 1.2 \text{ g/cm}^2$

Gaussian laser pulse



What is the minimum energy for ignition?

¹S. C. Wilks *et al.*, Phys. Rev. Lett. <u>69</u>, 1383 (1992).

²S. Atzeni, Phys. Plasmas <u>6</u>, 3316 (1999).

A minimum laser energy for ignition \geq 100 kJ for $\lambda_L = 1.05 \ \mu$ m

UR 300 kJ target $\lambda = 1.054 \ \mu m$ ho (g/cm³) 869 $\langle \textit{E}_{hot} \rangle$ Minimum **Electron-**E-beam-100 *y (µ*m) 606 **PW** laser beam (MeV) fuel 343 coupling energy energy 80 (kJ)(kJ)efficiency 50 7.7 230 70 0.68 100 6.3 50 0.76 0 T_{ion} (keV) 7791 Ignition energy is minimized 100 y (µm) 5398 for $r_0\simeq$ 25 μ m, $\tau\simeq$ 20 ps. 3005 612 50 $E_{\text{laser}} = 230 \text{ kJ}, \eta = 0.3,$ $r_0 = 25 \ \mu m, \ \tau = 20 \ ps$ 0 -50 50 0

 $\mathbf{x} (\boldsymbol{\mu} \mathbf{m})$

FSC

η_{PW}

0.3

0.5

Frequency doubling reduces the electron mean energy, stopping length, and the minimum energy for ignition*



300 kJ target

-50

50

0

 $x (\mu m)$

 $\lambda = 0.527 \ \mu m$ ρ (g/cm³) 869 **Electron-** $\langle E_{hot} \rangle$ Minimum E-beamηpw 100 *y (µ*m) 606 **PW** laser beam (MeV) fuel 343 coupling energy energy 80 efficiency (kJ)(kJ)50 0.3 110 (230) 33 3.7 0.93 0.5 55 (100) 28 3.2 0.99 0 T_{ion} (keV) 9177 Ignition energy is minimized 100 *y (µ*m) 3658 for $r_0 \simeq$ 20 μ m, $\tau \simeq$ 15 ps. 3538 718 50 $E_{\text{laser}} = 110 \text{ kJ}, \eta = 0.3,$ $r_0 = 20 \ \mu m, \ \tau = 15 \ ps$ 0

Summary/Conclusions

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- A maximum gain curve has been generated for ignition by a collimated monoenergetic electron beam.
- Simulations using Gaussian laser pulses and ponderomotive temperature scaling for fast electrons predict a minimum laser energy for ignition \geq 100 kJ for λ_L = 1.05 μ m.
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