Bubble Acceleration in the Ablative Rayleigh–Taylor Instability (RTI)

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48th Annual Meeting of the American Physical Society Division of Plasma Physics Philadelphia, PA 30 October–3 November 2006

Summary

In the ablative RTI, the terminal bubble velocity is significantly larger than predicted by classical theory; ablation is nonlinearly destabilizing FSC

- The vorticity convected off the ablation front fills the rising bubble.
- The centrifugal force of the rotating flow in the vortex pushes the bubble to higher velocities.
- The terminal bubble velocity is approximately

$$V_{\text{bubble}}^{2-\text{D}}(\infty) \approx \sqrt{\frac{g}{3k}(1-r_d) + \frac{V_a^2}{r_d}} \qquad r_d = \frac{\rho_{\text{bubble}}}{\rho_{\text{dense}}}$$

The single-mode ablative Rayleigh–Taylor instability is simulated for the NIF direct-drive point design using the code ART with a 210 \times 4000 grid



Simulations show vorticity convection and accumulation

FSC LLE ω (ns⁻¹) ω (ns⁻¹) ho (g/cc) ho (g/cc) 3.7 45 31 45 37 Vortex 33 center 40 40 3.7 0.9 Vortex center 2 6 (*mm*) k) (*µ*m) (8) 28 0.8 0.5 35 35 2.9 0.6 23 30 30 23 0.5 0.8 l**←**5 μm→ *t* = 1 ns *t* = 2.2 ns *t* = 2.2 ns *t* = 1 ns

A density pedestal forms inside the bubble and a new ablation front is established between the spikes



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The density in the bubble is the same as predicted by the linear theory^{*} and a significant fraction of the dense target density FSC



 $\rho_{\text{bubble}}^{\text{linear}} \approx (0.1 \text{ kL}_m)^{2/5} \rho_{\text{dense}}$ $\rho_{\text{dense}} \approx 4 \text{ g/cc}$ $L_m \approx 0.18 \mu \text{m} \quad \lambda \approx 10 \mu \text{m}$ $\rho_{\text{bubble}}^{\text{linear}} \approx 0.66 \text{ g/cc}$ $\rho_{\text{bubble}}^{\text{simulation}} \approx 0.65 \text{ g/cc}$

L_m = the minimum density-gradient scale length
k = mode wave number

A large vortex forms inside the bubble; the vortex generates a centrifugal force (F_c) pushing on the bubble tip



The asymptotic bubble velocity is higher than the classical value due to the vorticity accumulated inside the bubble



After a first plateau starting when $\eta \approx 0.1\lambda$, the vorticity in the bubble increases; saturation occurs when $\omega \approx 2 k V_a / r_d$











Summary/Conclusions

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• Will the ablation-induced vorticity affect the multimode bubble-front growth αgt^2 ?

The bubble velocity is defined as the penetration velocity inside the overdense target **FSE**



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