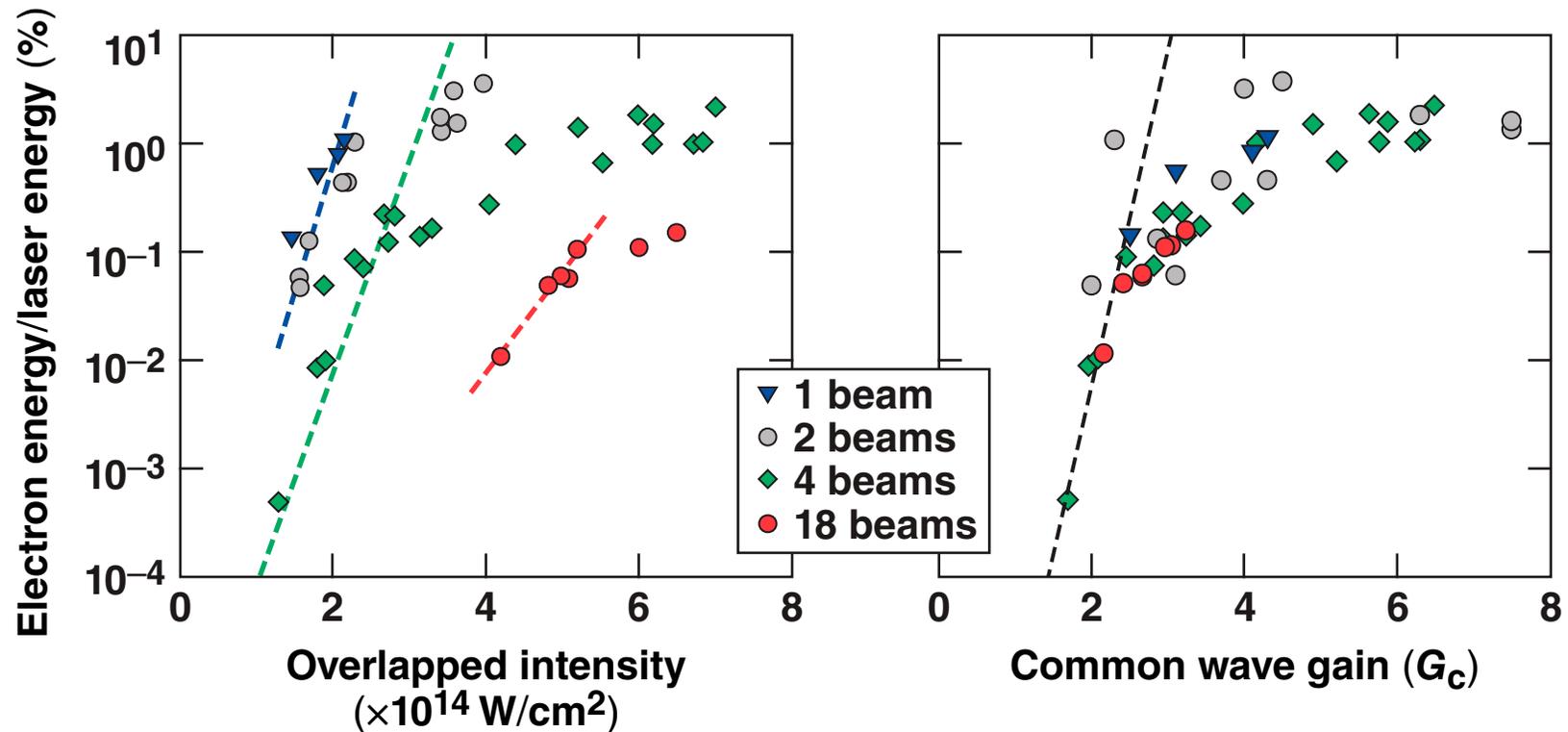


Experimental Validation of the Two-Plasmon-Decay (TPD) Common-Wave Process



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42nd Annual Anomalous
Absorption Conference
Key West, FL
25–29 June 2012

Summary

A common-wave, two-plasmon-decay (TPD) theory is consistent with the TPD growth observed in OMEGA and OMEGA EP experiments



- OMEGA EP experiments shows that for two beams the TPD is proportional to the overlapped intensity, but not for four beams*
- Linear theory shows that a resonant common wave can be driven by multiple beams in the region bisecting the beams. In this region, the gain is proportional to the overlapped intensity times a geometric factor*
- Reducing the number of symmetric beams that overlap at $n_c/4$ will reduce the common-wave gain

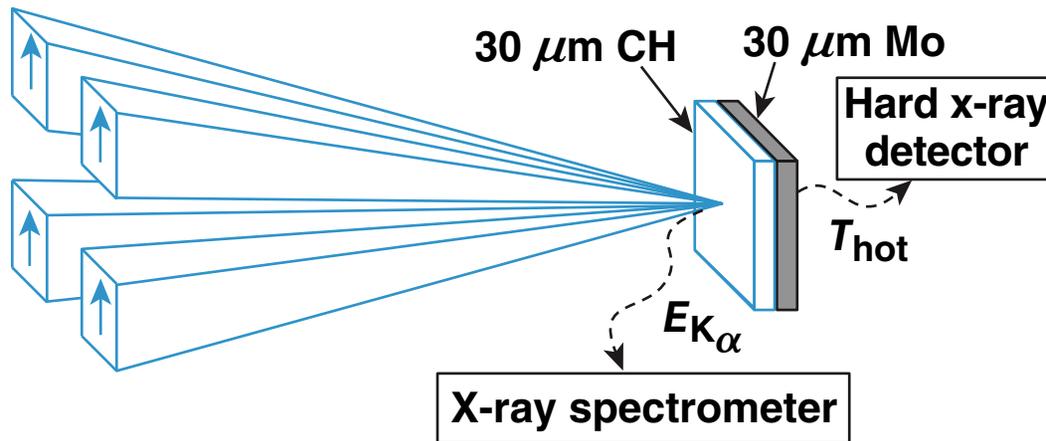
Collaborators



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OMEGA EP provides a planar-target platform to study two-plasmon decay near ignition coronal-plasma conditions

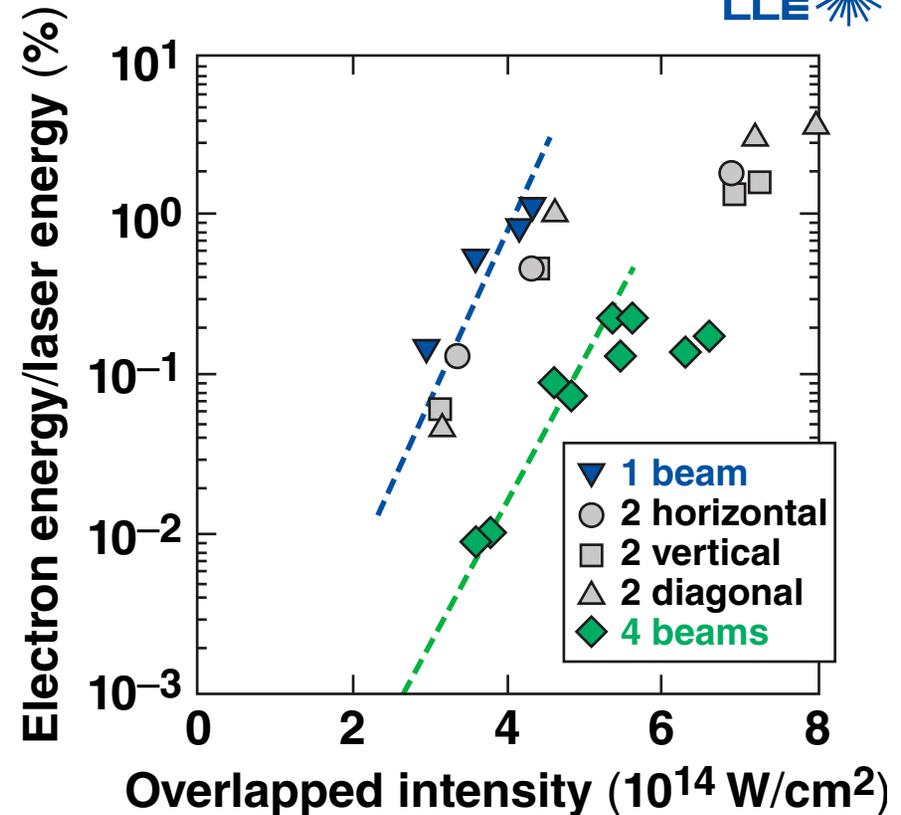
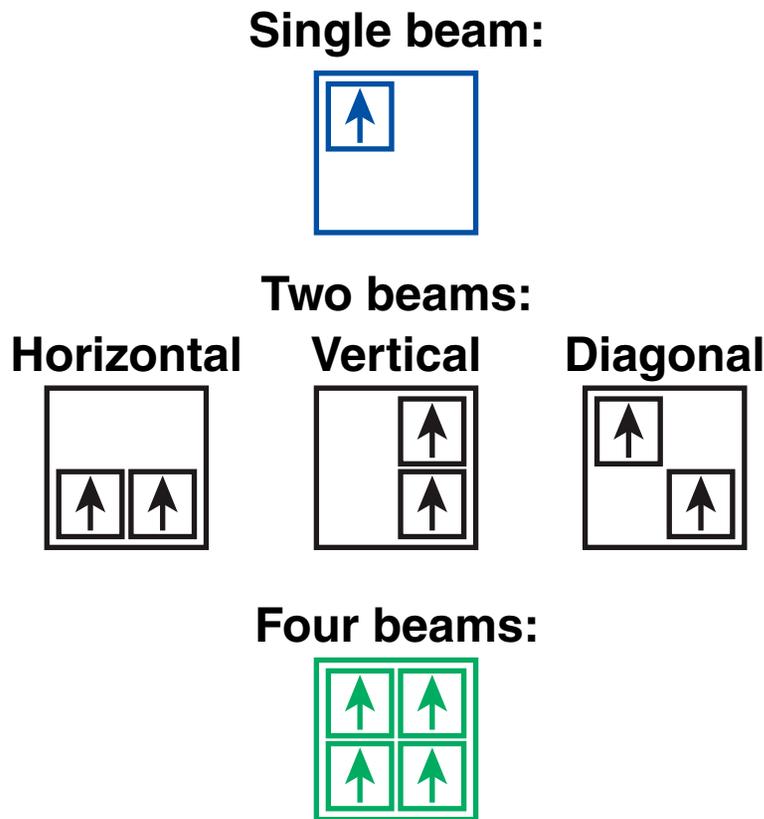


$L_n/T_e \sim 170 \mu\text{m}/\text{keV}$
Monte Carlo simulations

$$E_e \sim 138 \frac{E_{K\alpha}}{\sqrt{T_{\text{hot}}}}$$

This target platform accounts for all electrons generated by TPD; the energy coupled to the direct-drive shell will be reduced.

Experiments on OMEGA EP show that the fraction of hot electrons does not always depend on the overlapped intensity*



A significant reduction of the hot-electron energy is observed when four beams are used with the same overlapped intensity.

*D. T. Michel *et al.*, "Experimental Validation of the Two-Plasmon-Decay Common-Wave Process," submitted to Physical Review Letters.

These results are explained by a common-wave process, where multiple beams share a common plasma wave^{*, **}

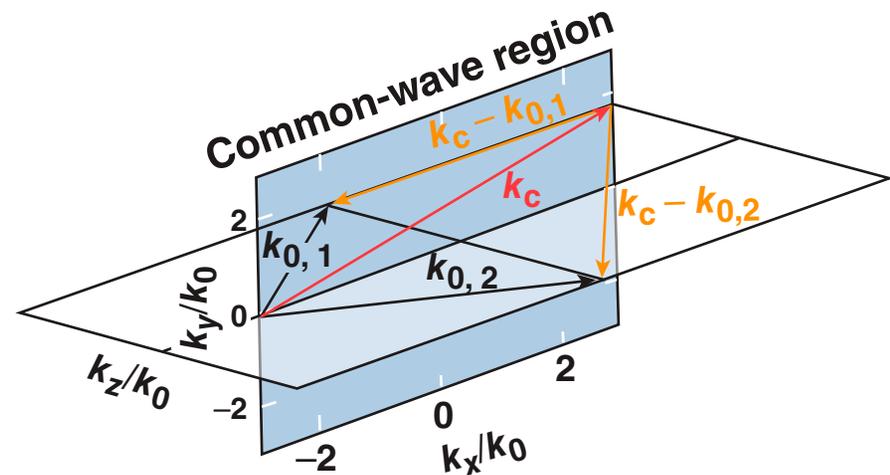
- The dispersion relation of each daughter $(\omega_c - \omega_0, k_c - k_{0,i})$ beam must be satisfied:

$$(\omega_c - \omega_0)^2 = \omega_{pe}^2 + 3 \underbrace{(k_c - k_{0,i})^2}_{\text{Term which must be conserved}} v_{th,e}^2$$

Term which must be conserved

- Therefore, the common-wave volume is defined by:

$$|\vec{k}_c - \vec{k}_{0,i}| = \text{constant}$$



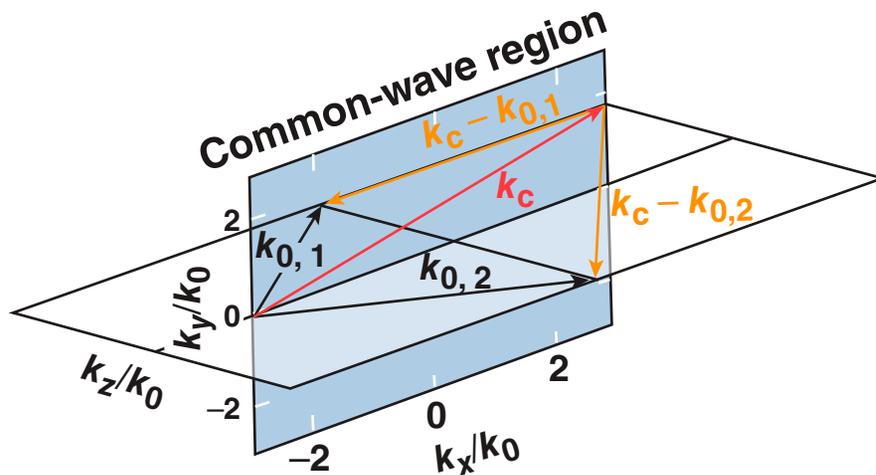
The resonant common-wave process occurs in the region bisecting the beams.

* R. W. Short and J. F. Myatt, Bull. Am. Phys. Soc. 56, 329 (2011).

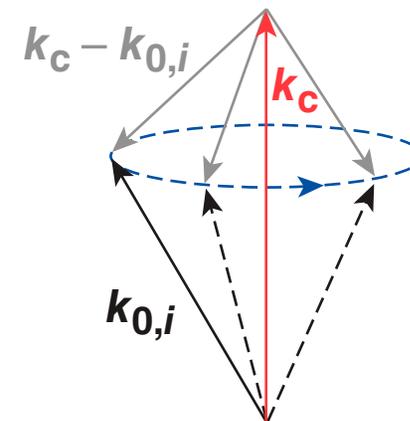
** D. T. Michel *et al.*, "Experimental Validation of the Two-Plasmon-Decay Common-Wave Process," submitted to Physical Review Letters.

The resonant common-wave region for two beams forms a plane and for more beams becomes a line*

Two-beam
common-wave region



Multiple-beam
common-wave region



Symmetry is necessary for
more than three beams

**The resonant common-wave gain is
calculated in the common-wave region.**

The resonant common-wave gain is consistent with the 1-, 2-, and 4-beam OMEGA EP results*

$$G_C = 17 \times 10^{-2} f_g \frac{I_{\Sigma,q}^{\text{sym}} L_n}{T_e}$$

$I_{\Sigma,q}^{\text{sym}}$ is the overlapped intensity of symmetric beams at quarter critical

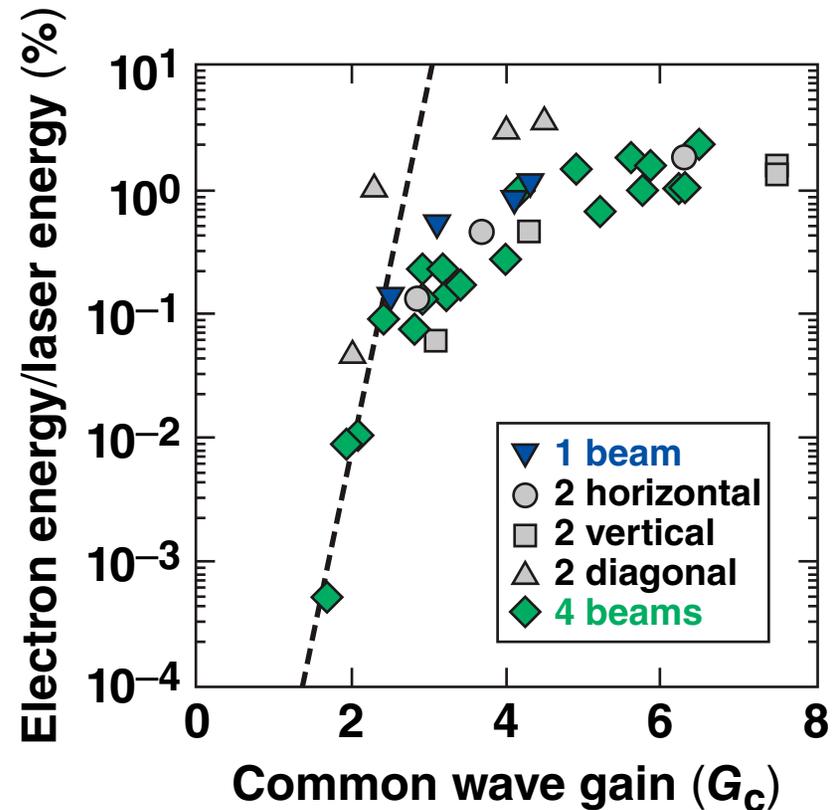
$$f_g = \max \left[\left(\frac{k_C^2 - (\vec{k}_C - \vec{k}_{0,1})^2}{k_{0,1} |\vec{k}_C - \vec{k}_{0,1}|} \right)^2 \sum_i \cos^2(\alpha_i) \beta_i \right]$$

Fraction of intensity in the beam:

$$\beta_i = \frac{I_i}{I_{\Sigma,q}^{\text{sym}}}$$

Fraction of intensity in the beam:

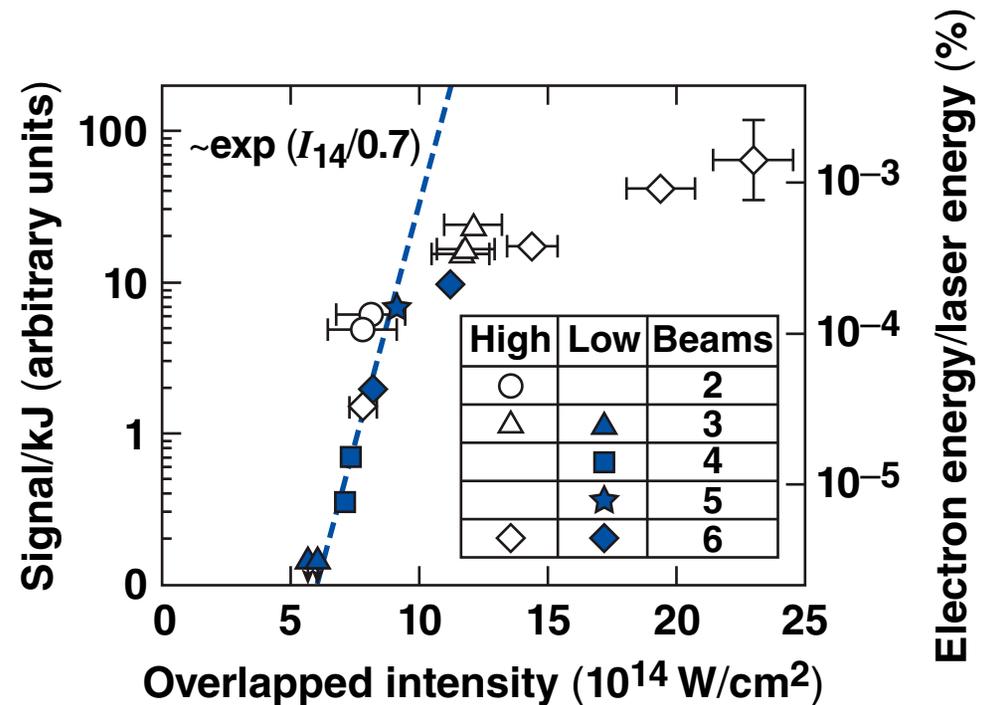
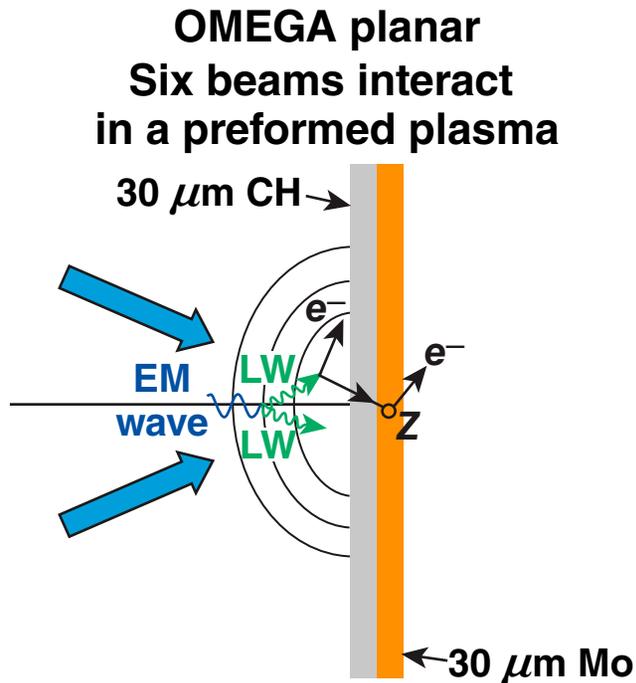
$$\alpha_i = \text{angle}(\vec{e}_i, \vec{k}_C)$$



The geometric factor explains the observed differences in the two-beam and four-beam results.

*D. T. Michel et al., "Experimental Validation of the Two-Plasmon-Decay Common-Wave Process," submitted to Physical Review Letters.

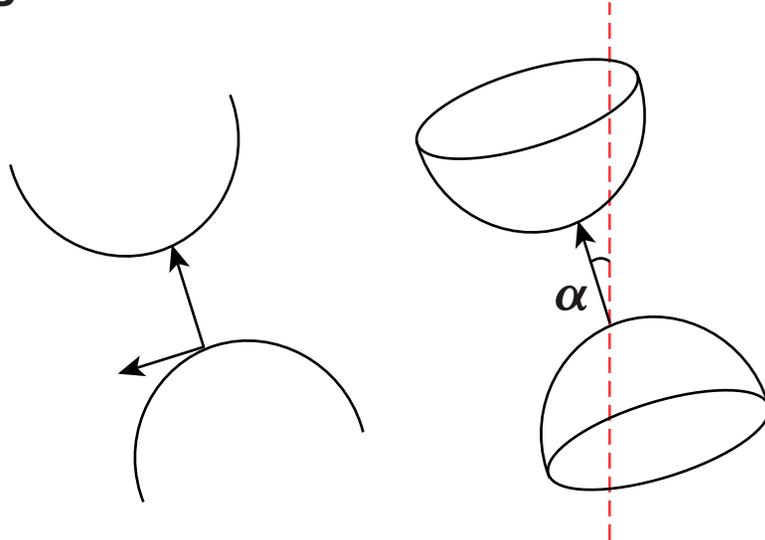
This common-wave model is consistent with 2003 results, where TPD scaled with overlapped intensity*



The TPD was shown to scale with overlapped intensity when using 2, 3, 4, 5, and 6 beams with polarization smoothing (PS).

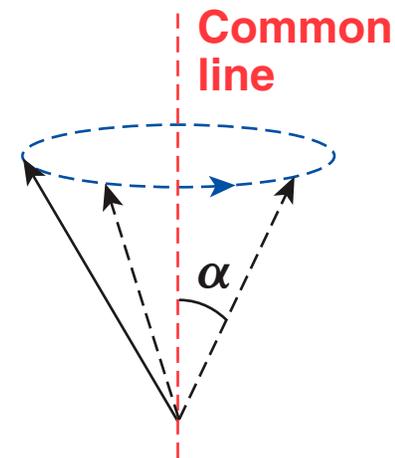
When using PS, the gain is proportional to half of the overlapped intensity

For beams with PS, the maximum gain defines two bowls:



The maximum gain with PS is proportional to half the overlapped intensity

From symmetry, the gain on the line is given by:



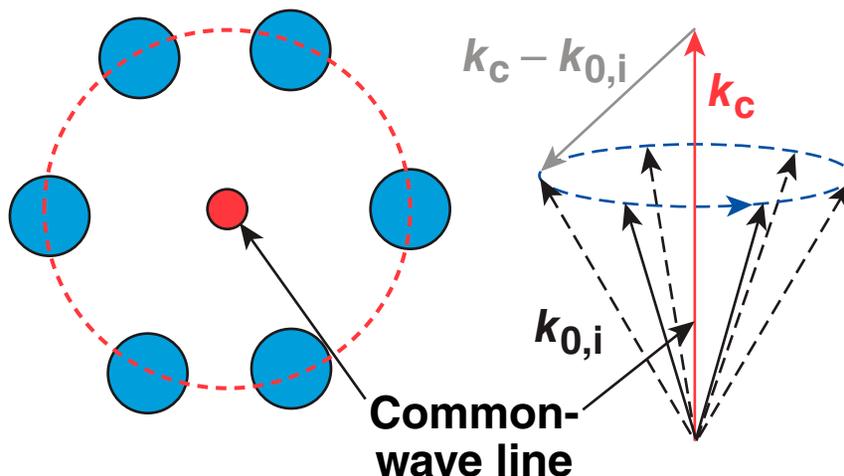
$$G_c = G_1 + G_2 + \dots = n_{\text{beam}} G_1 \propto 0.5 \times I_{\Sigma, q}$$

The geometric factor when using PS is reduced to 0.5 (1, 2, n... beams).

When PS is used, the geometric factor is reduced to $f_g = 0.5$ (1, 2, $n...$ beams)

The symmetry between the beams allows for the same common-wave region for the 3, 4, 5, and 6 beam conditions

When PS is used, the geometrical factor is reduced to 0.5:

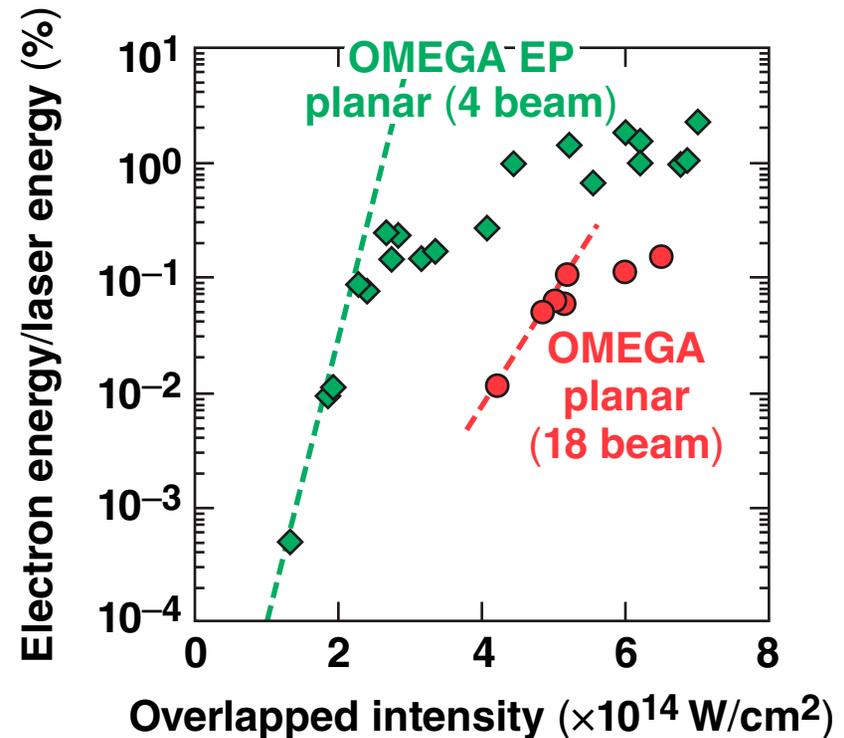
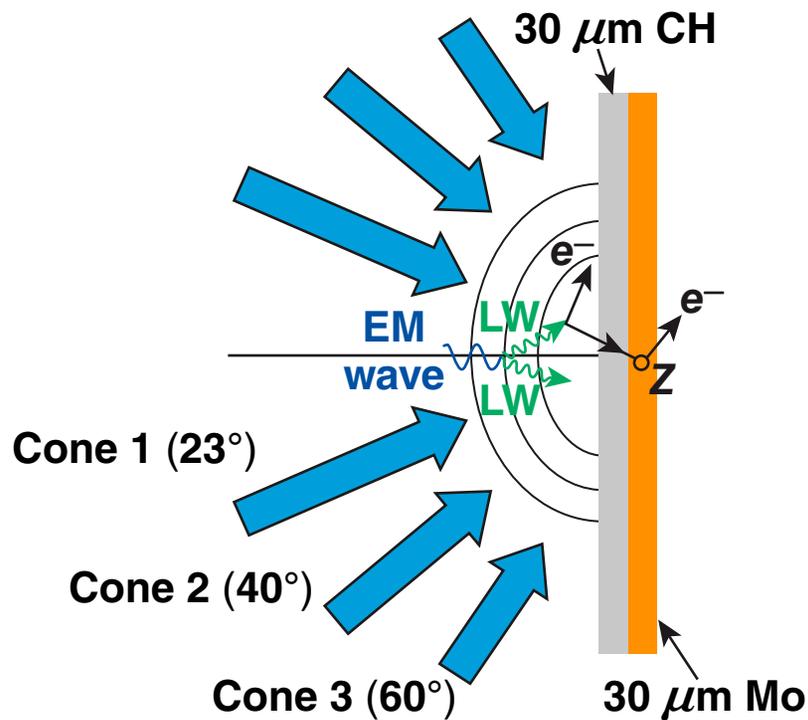


$$G_c = 8.5 \times 10^{-2} \frac{I_{\Sigma,q} L_n}{T_e}$$

When using beams with PS, the TPD threshold is proportional to the overlapped intensity, consistent with 2003 experiments.

For 18 beams, a further decrease of the TPD growth with the overlapped intensity is observed

OMEGA planar
three cones of six beams



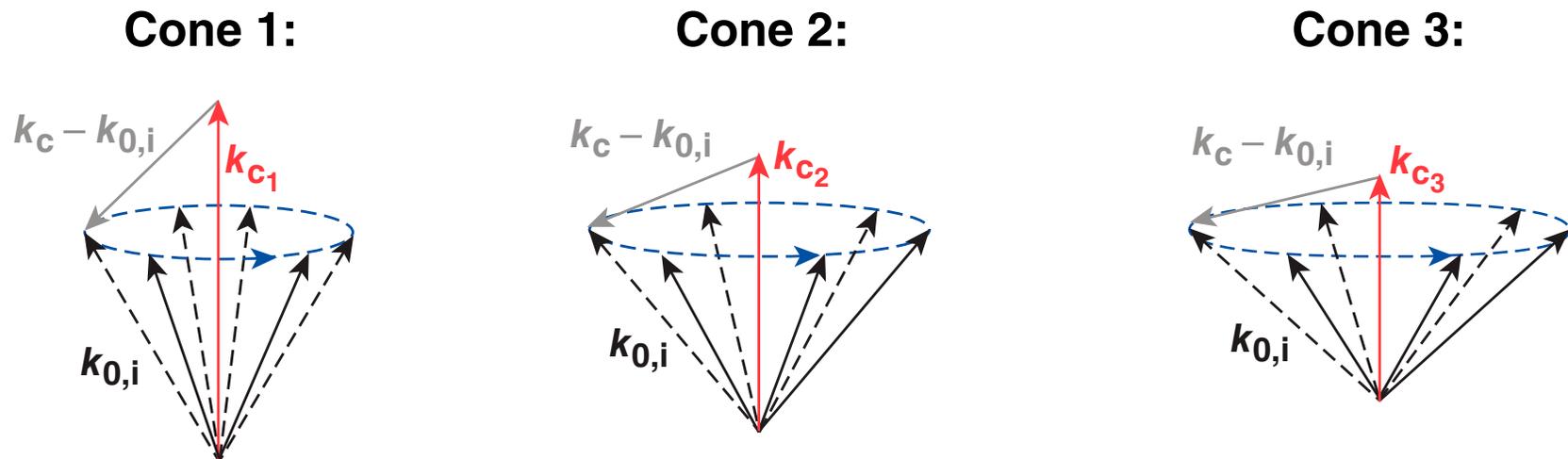
The TPD threshold is increased by a factor of ~3.

The effective intensity driving the common plasma wave is given only by cone 1

- Each common wave requires:

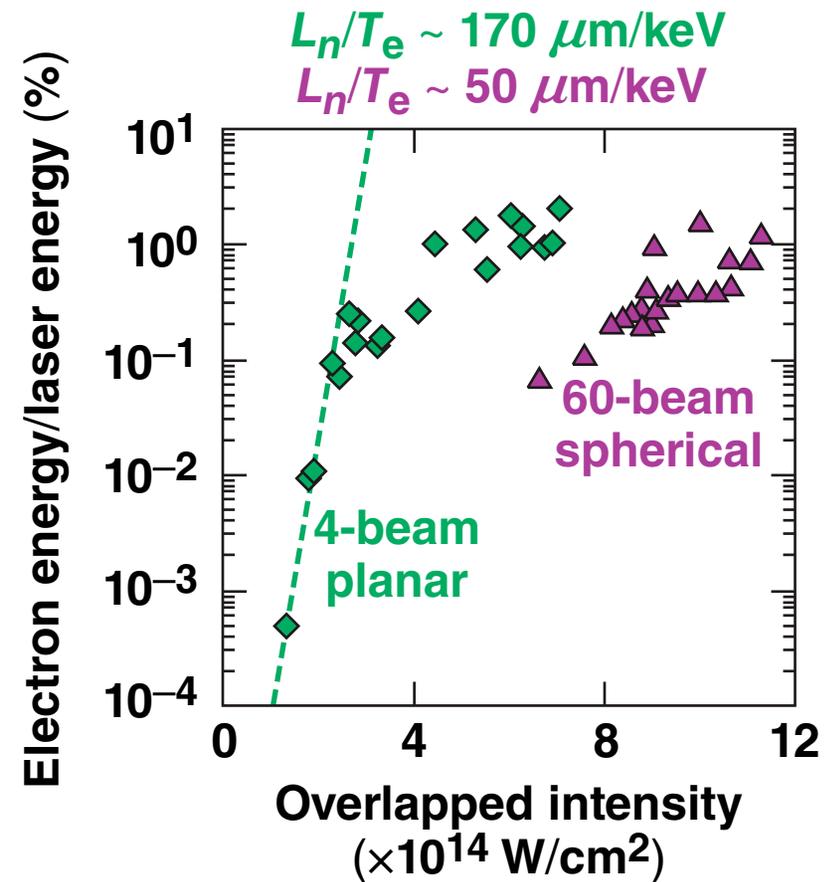
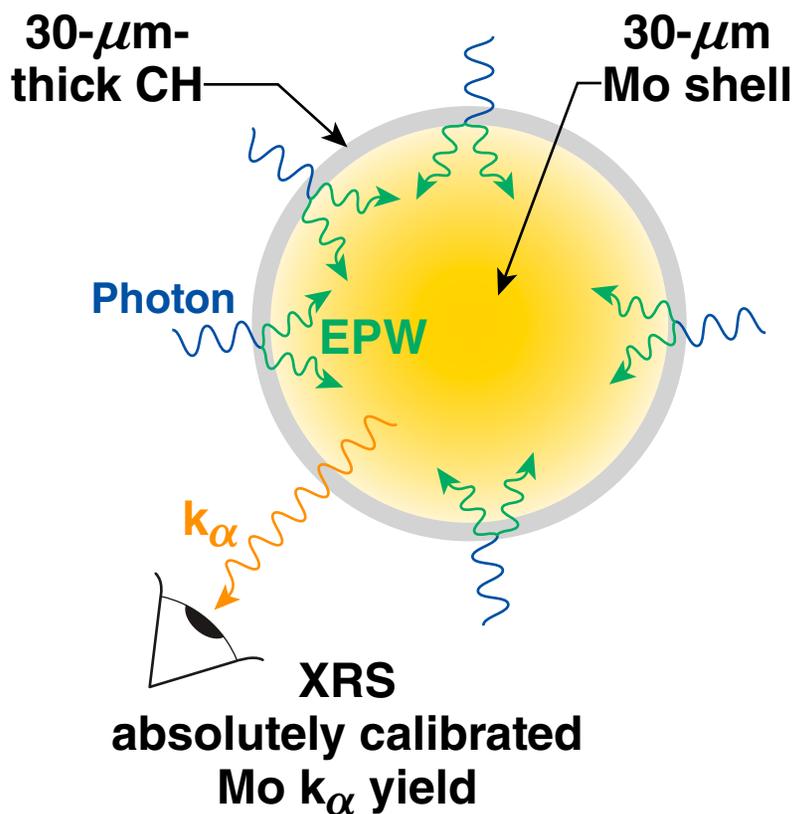
$$|\vec{k}_c - \vec{k}_{0,i}| = \text{constant}$$

- This is not satisfied between different cones on OMEGA:



The reduction in intensity (I_q^{sym}) explains the observed factor of three difference in the thresholds.

The hot-electron fraction is further reduced in spherical geometry for a given overlapped intensity

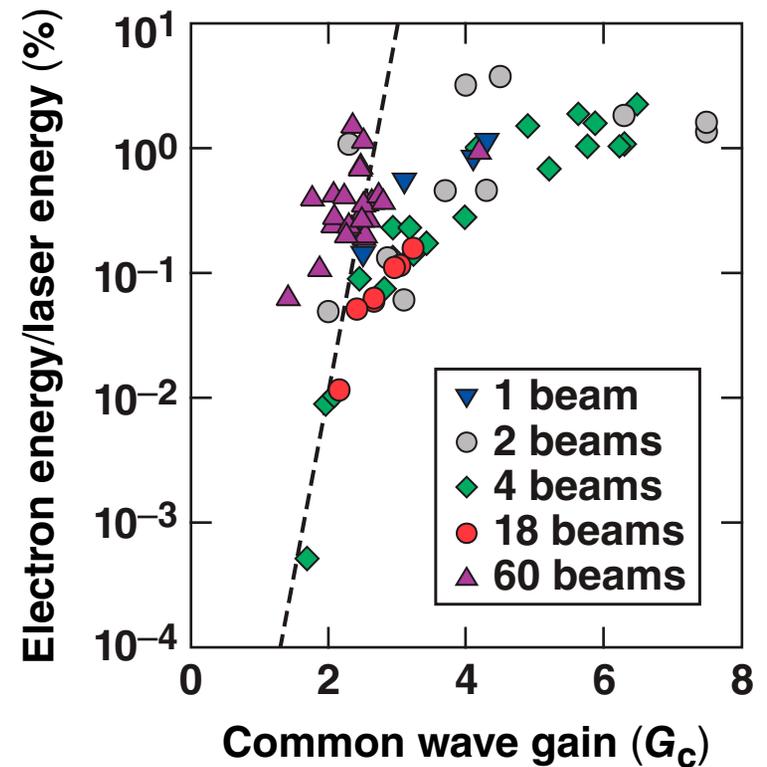


The reduction of L_n/T_e ($50 \mu\text{m/keV}$) explains the reduction of TPD for spherical targets.

The multiple-beam convective gain accounts for the differences in hydrodynamics, laser-beam geometry, and PS

$$G_C = 17 \times 10^{-2} f_g \frac{I_{\Sigma,q}^{\text{sym}} L_n}{T_e}$$

Configuration	Geometry	f_g	$n(\text{sym})$	$L_{n,q}/T_{e,q}$
1 beam	1 cone	1.0	1	175
2 beams	1 cone	1.0	2	175
4 beams	1 cone	0.5	4	175
18 beams (PS)	3 cone	0.5	6	135
60 beams (PS)	Spherical	0.5	6	50



For each configuration, the TPD growth scales with the common wave gain G_C .

This theory points to mitigation strategies

$$G_{\max} = f_g \left(\frac{I_{\Sigma,q}^{\text{sym}} L_n}{47 \times T_e} \right)$$

- (a) Breaking the beam symmetry will reduce the number of beams that can contribute to the common-wave gain ($I_{\Sigma,q}^{\text{sym}}$)
- (b) Polarization management could reduce the geometric factor
- (c) Changing the ablator material could
 - reduce the scale length and increase the electron temperature (L_n/T_e)
 - modify the TPD saturation level*
- (d) Increasing the number of beams reduces the single-beam intensity

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