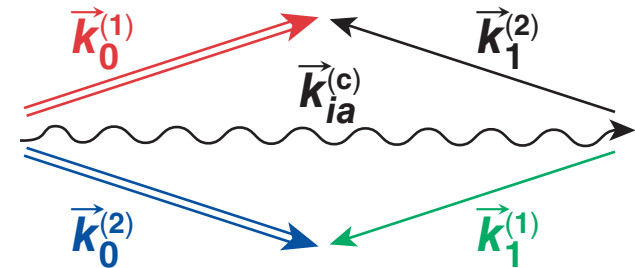
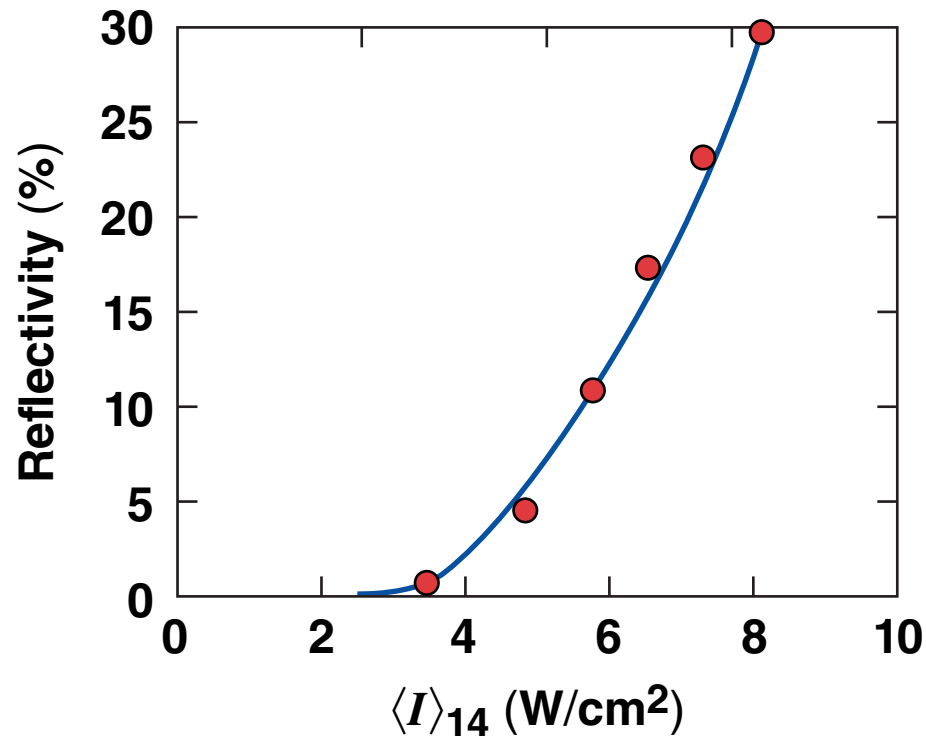


# Interaction of Multiple Laser Beams via Common Waves and Beam-Energy Transfer



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## Summary

**For direct-drive ICF plasmas, scattering of light is driven by crossing laser beams that can generate common ion waves**

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- **The reflectivity is determined by the interaction between incident crossing beams and the counter-propagating seed**
- **The reflectivity is increased in the case when multiple crossing beams drive common ion waves and scatter off them**
- **The direction of scattered light is determined by the laser speckle structure**
- **The scaling of reflectivity with intensity is determined by the interaction in high-intensity speckles**

# Outline

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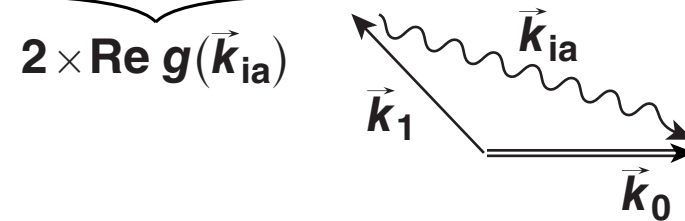
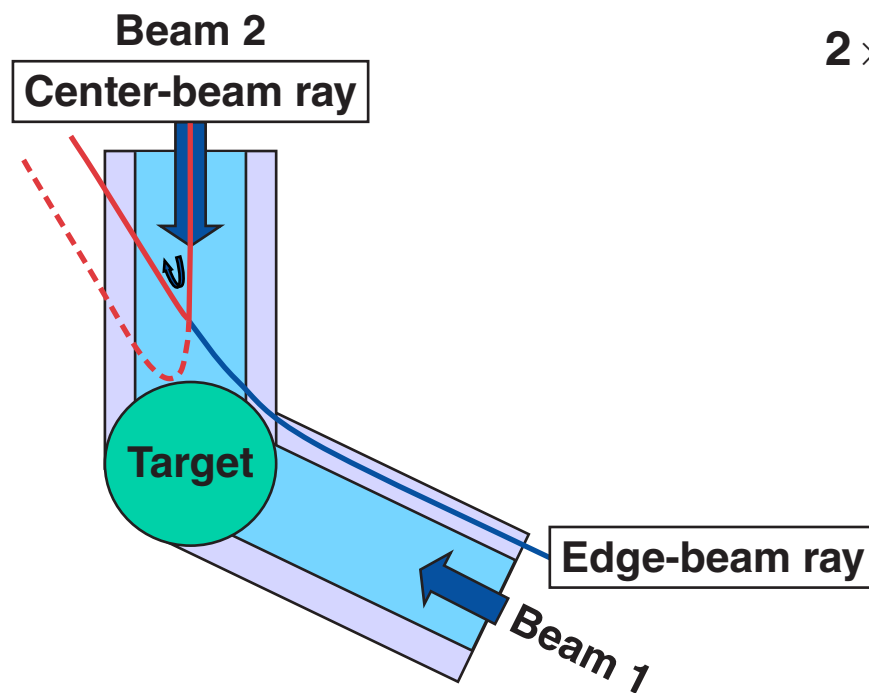


- 1. Numerical modeling of nonlinear interaction between crossing laser beams**
- 2. Common ion-acoustic waves driven by multiple laser beams**
- 3. Scaling of reflectivity with laser intensity**
- 4. Interaction between multiple laser beams incident at different angles**

# In large-scale hydrodynamic simulations, cross-beam energy transfer is shown\* to significantly influence the laser absorption

- For direct-drive ICF plasmas, the interaction between rays is

$$\frac{dI_1}{d\ell} = I_1 I_0 \frac{\omega_0^2}{2c^2 n_c} \operatorname{Re} \left\{ \frac{n_e k_{ia}^2 c_{ia}^2}{2\nu_i \omega_{ia} + i[(\omega_{ia} + k_{ia} v_0)^2 - k_{ia}^2 c_{ia}^2]} \times \frac{1}{2k_{0x}} \right\}$$



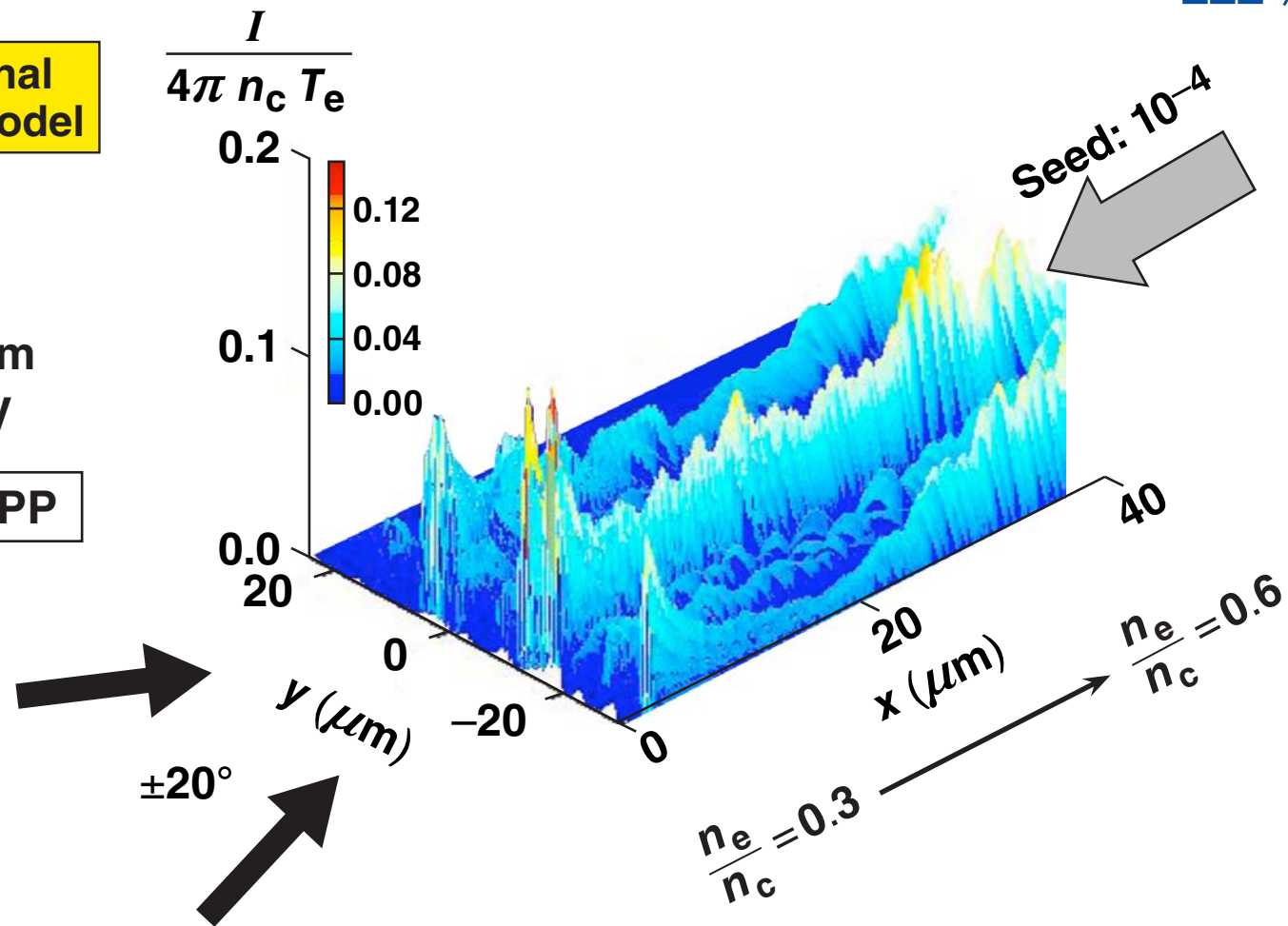
- Cross-beam energy transfer reduces the energy of incoming center-beam light and increases the energy of outgoing edge-beam light

# The nonlinear propagation of crossing laser beams has been modeled in the region of moderate plasma density, about $0.3 n_c$ to $0.6 n_c$

Two-dimensional  
nonparaxial model

$L_n = 140 \mu\text{m}$   
 $T_e = 2 \text{ keV}$

$f/6$  or  $f/15$  DPP



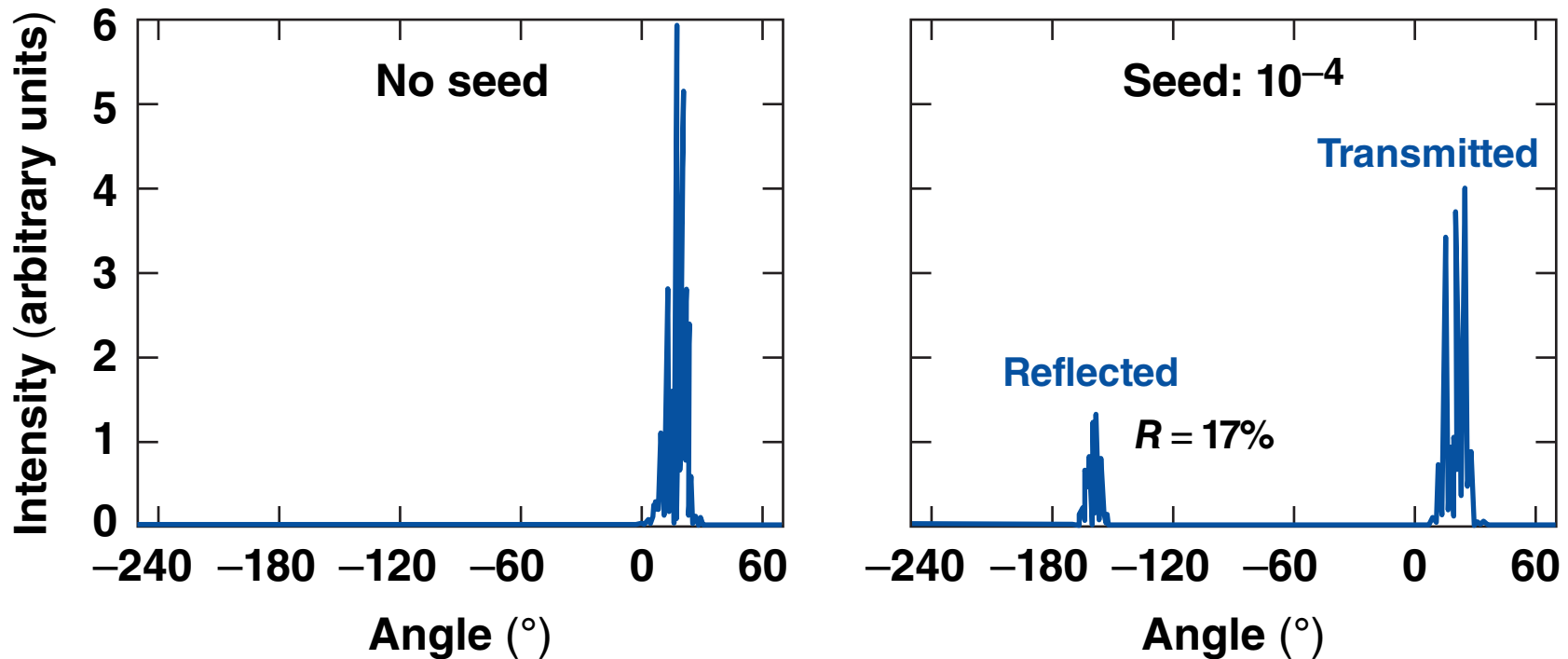
# The backscatter depends on the electromagnetic seed, which is caused by opposing beams or turning beams



## Scattering from a single DPP beam\*

$f/6$

$\langle I \rangle_{14} = 7$

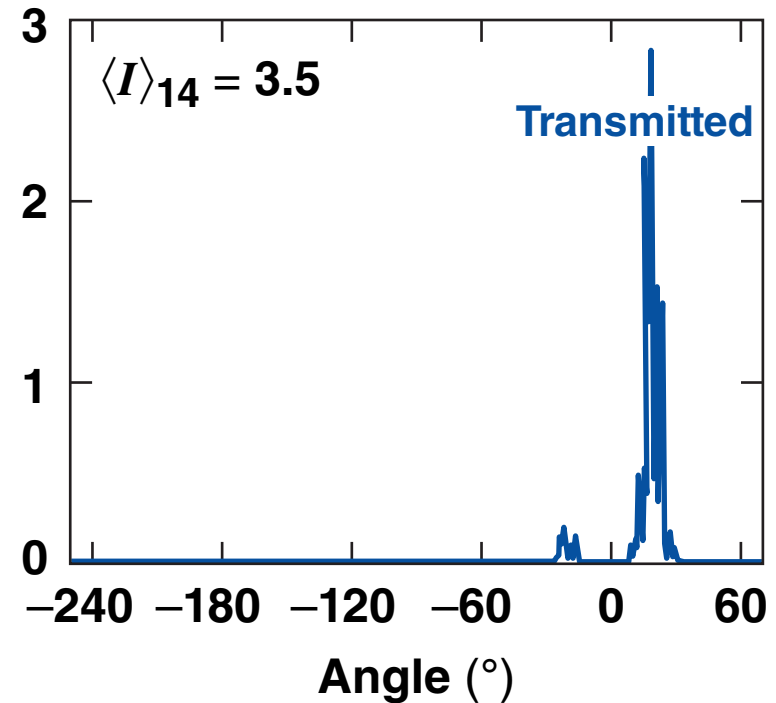
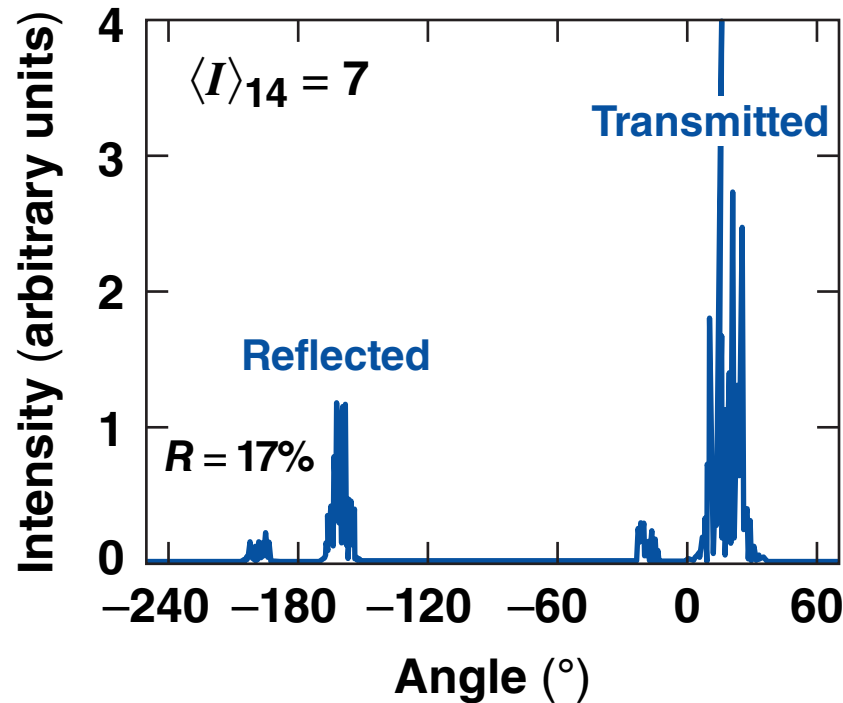


# The threshold for the backscattering driven by crossing laser beams has been found at moderate laser intensities



- The intensities of the two driving beams are different by a factor of 10

$f/6$

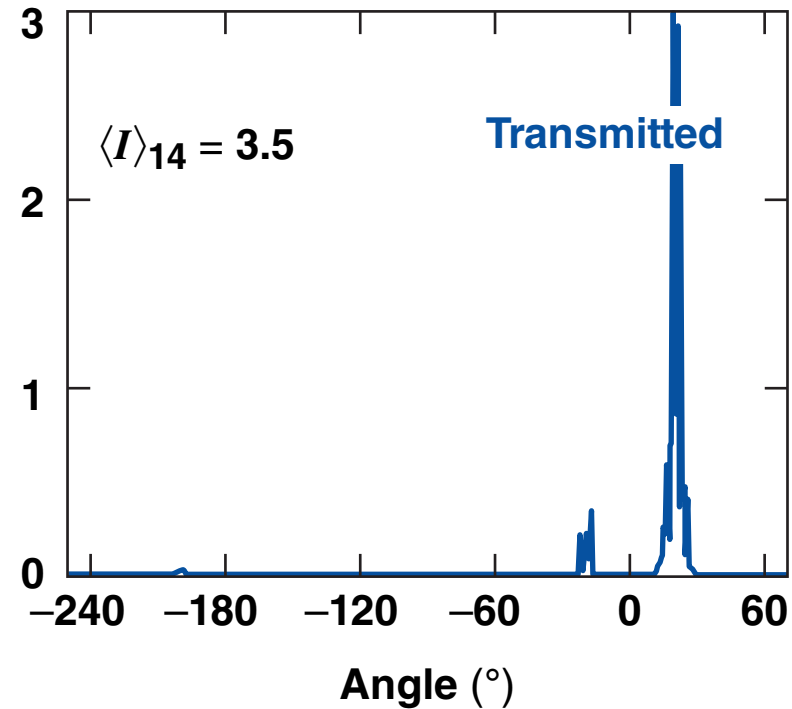
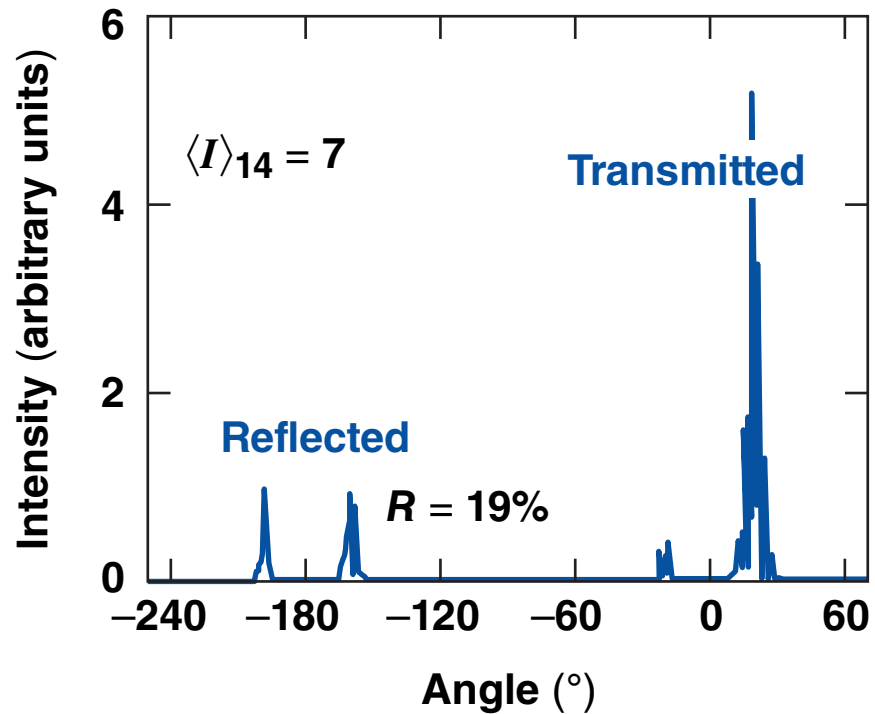


$$G_{\text{SBS}} = 0.24 \langle I \rangle_{14} \left( \frac{I_{\text{max}}}{\langle I \rangle} \right)$$

Interaction in intense hot spots

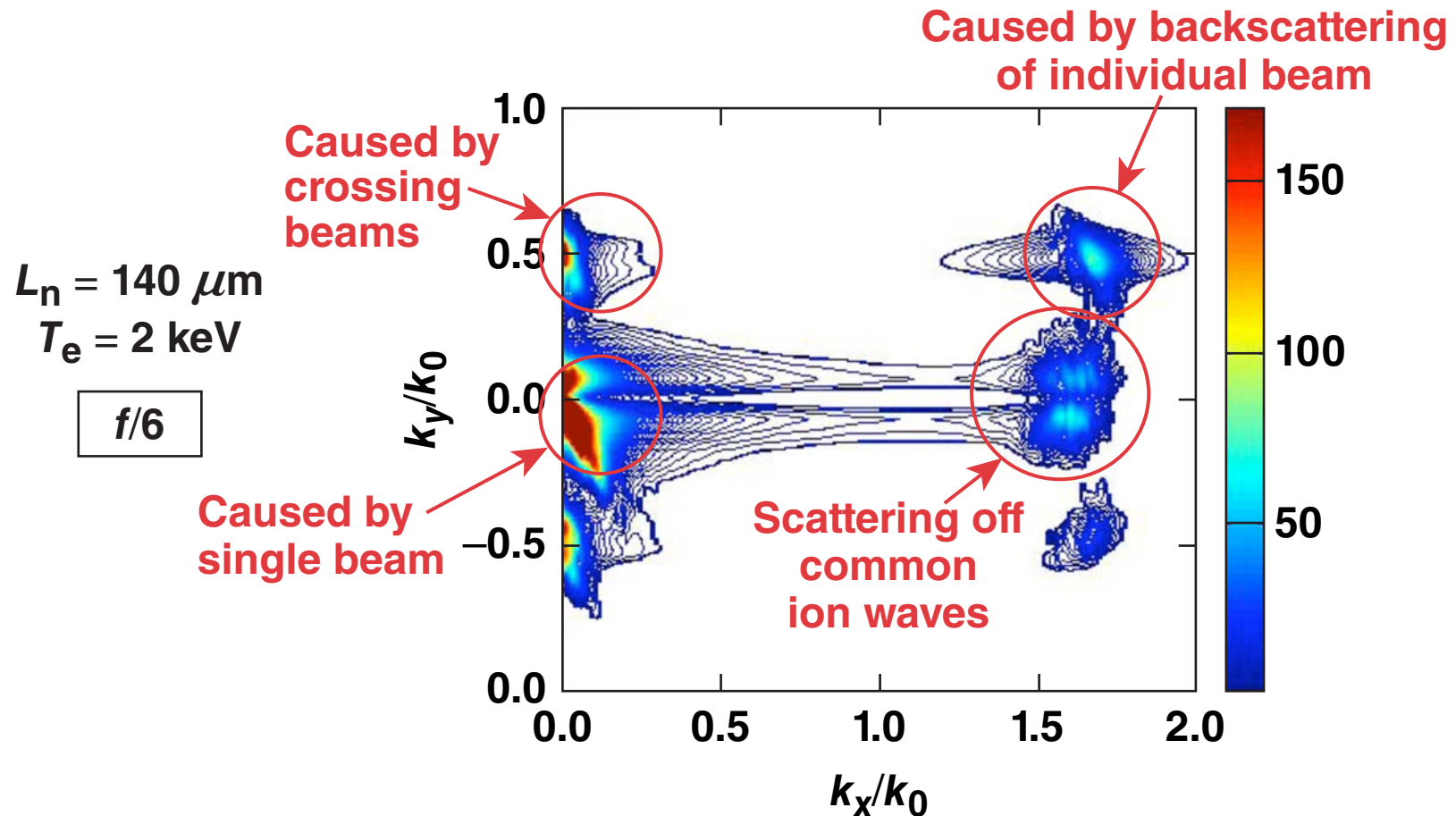
In the case of incident beams of unequal intensity with smaller angular width, the backscattering for both beams is of the same order

$f/15$





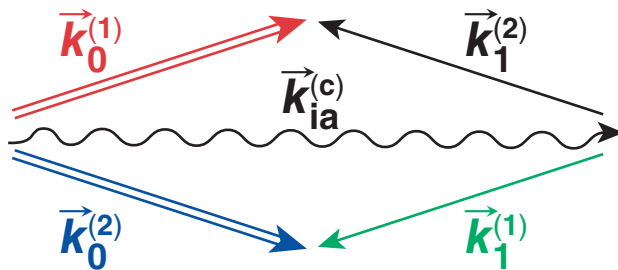
# The interaction of incoherent crossing laser beams with plasmas produces a broad spectrum of low-frequency density perturbations



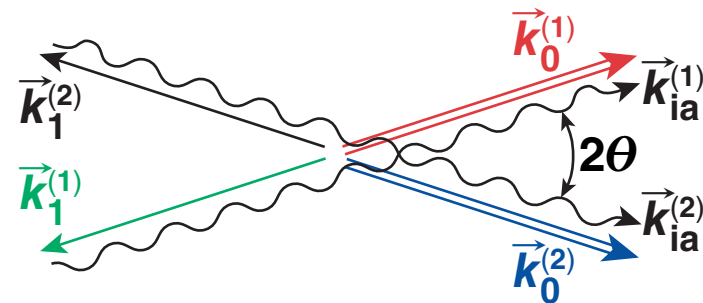
Laser beams can share density perturbations.

# Crossing laser beams may scatter off common ion waves

Scattering off  
common ion waves



Backscattering of  
individual beams



$$\frac{dE_1^{(1)}}{d\ell_1} = g(\vec{k}_{ia}^{(c)}) \underbrace{(E_1^{(1)} E_0^{(2)*} + E_1^{(2)} E_0^{(1)*})}_{\text{common grating}} E_0^{(2)} + g(\vec{k}_{ia}^{(1)}) \underbrace{|E_0^{(1)}|^2 E_1^{(1)}}_{\text{backscattering}}$$

$$\frac{dE_1^{(2)}}{d\ell_2} = g(\vec{k}_{ia}^{(c)}) \underbrace{(E_1^{(1)} E_0^{(2)*} + E_1^{(2)} E_0^{(1)*})}_{\text{common grating}} E_0^{(1)} + g(\vec{k}_{ia}^{(2)}) \underbrace{|E_0^{(2)}|^2 E_1^{(2)}}_{\text{backscattering}}$$

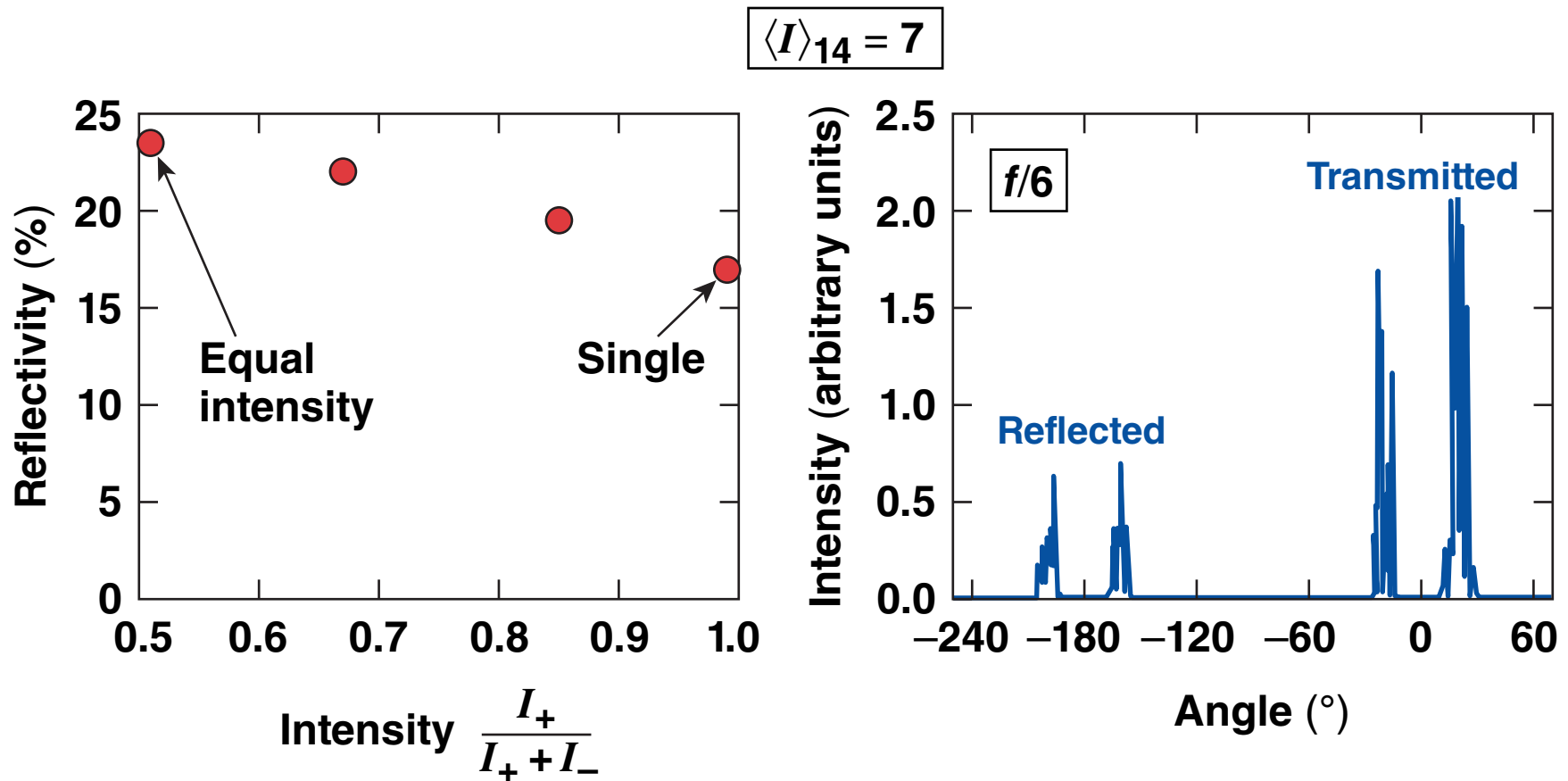
common grating

backscattering

The difference in the resonance width in  $g(\vec{k}_{ia}^{(c)})$  versus  $g(\vec{k}_{ia}^{(1)})$  and  $g(\vec{k}_{ia}^{(2)})$  is  $\sim (\sin \theta)^2$  comparable to width caused by damping and inhomogeneity

**Scattering is possible in the direction opposite to the weaker beam**

# The reflectivity has a moderate dependence on the distribution of intensity between the driving laser beams



The hot-spot structure determines the direction of scattered light.

# The nonlinear interaction in intense laser speckles determines the scaling of reflectivity with intensity

Reflectivity

$$\frac{d\langle R \rangle}{dx} \sim U_m^3 e^{-U_m},$$

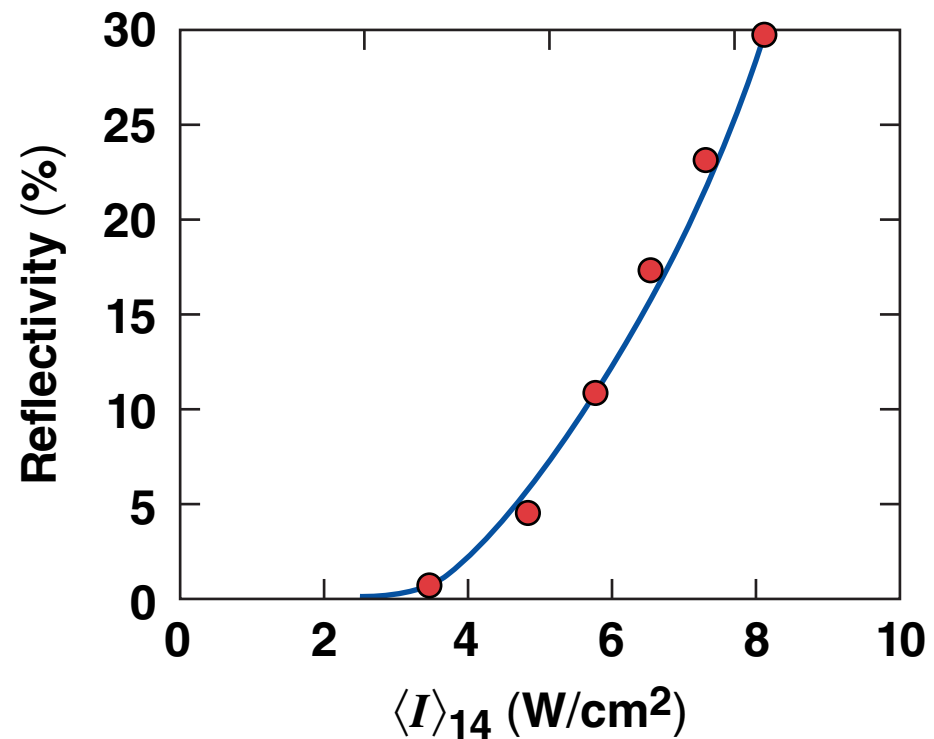
where

$$U_m \equiv \frac{I_m}{\langle I \rangle}$$

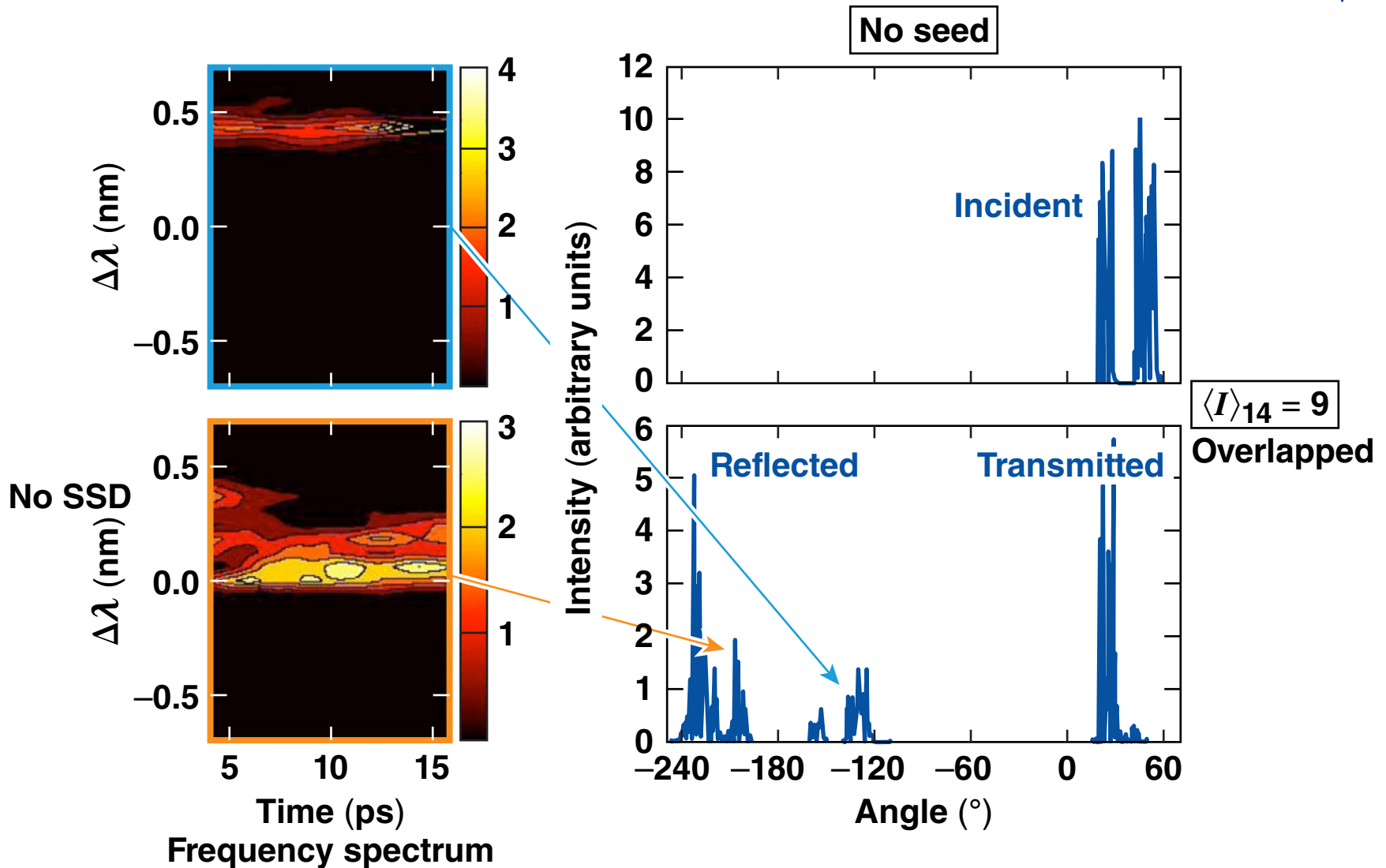
for the saturation  $R_{\text{sat}}$

$$R_{\text{sat}} = \varepsilon e^{\langle G_{\text{SBS}} \rangle U_m}$$

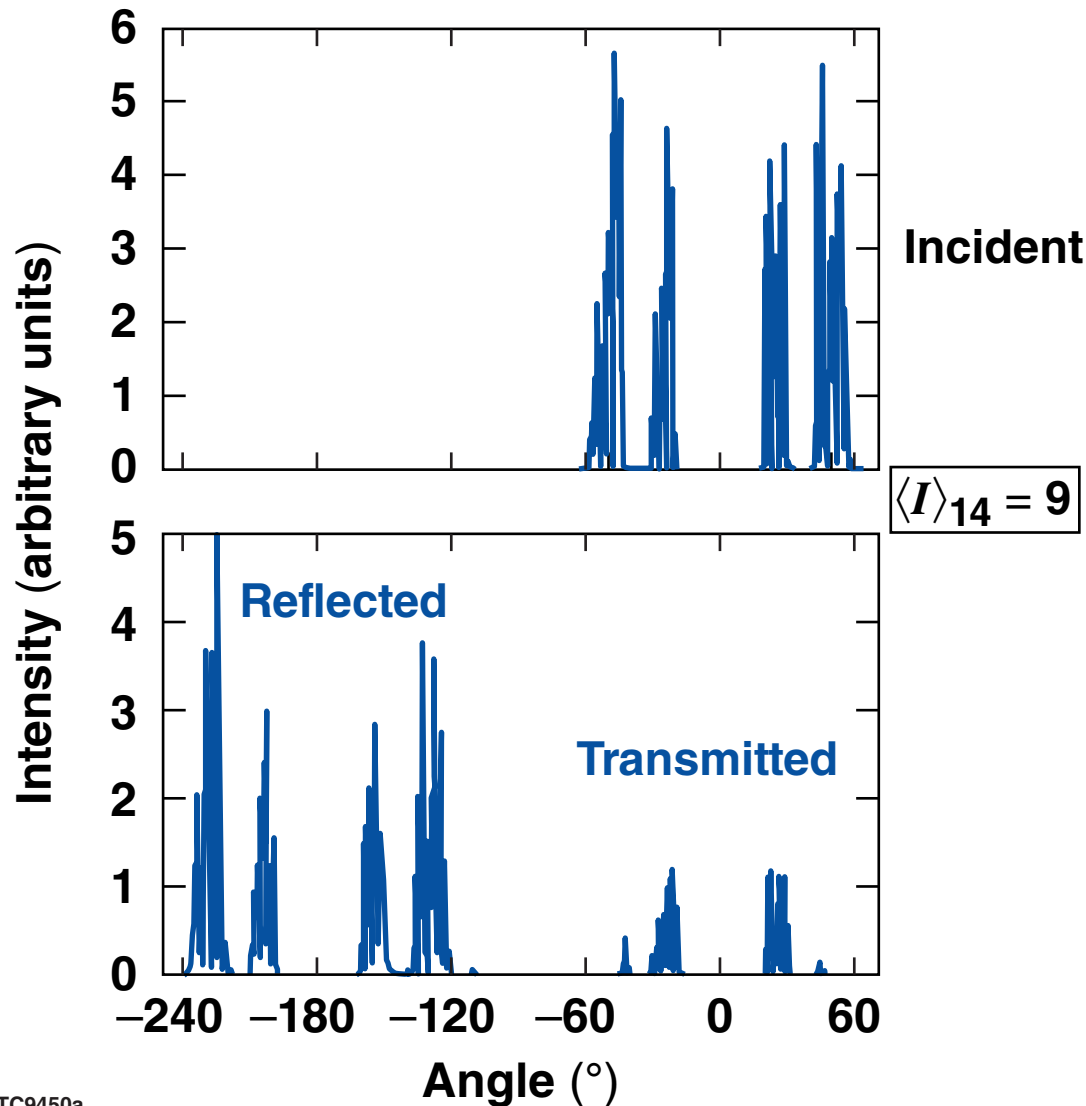
$\varepsilon$  – seed



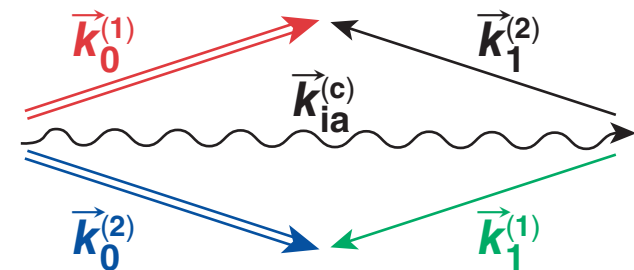
# The interaction between beams incident at different angles leads to a broad spectrum of backscattered light



# The interaction between multiple obliquely incident beams at moderate densities increases the backscatter



Common ion waves driven by multiple pairs of beams



## Summary/Conclusions

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