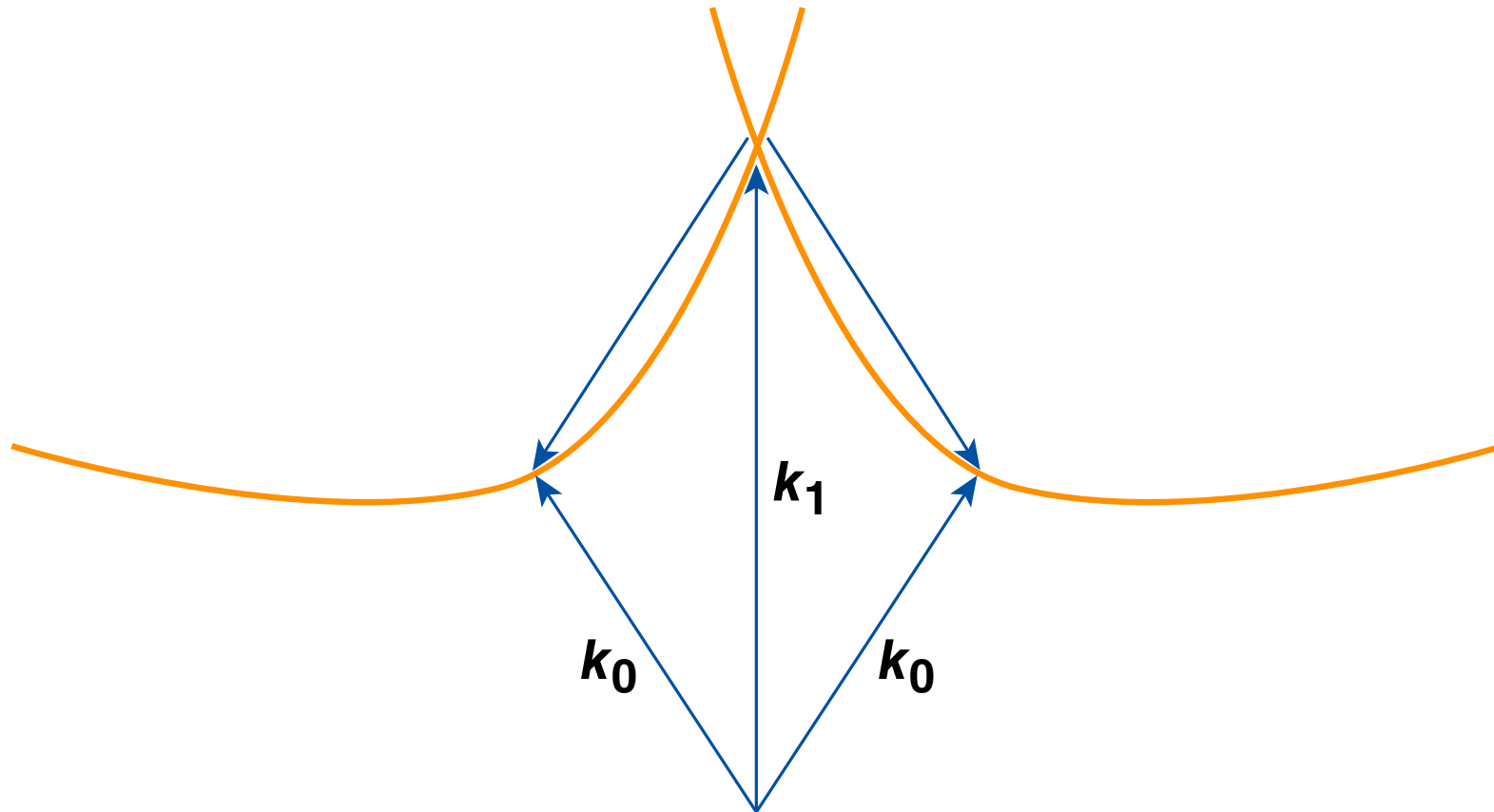


# Anisotropy of Two-Plasmon Decay (TPD) for Multiple Obliquely Incident Laser Beams



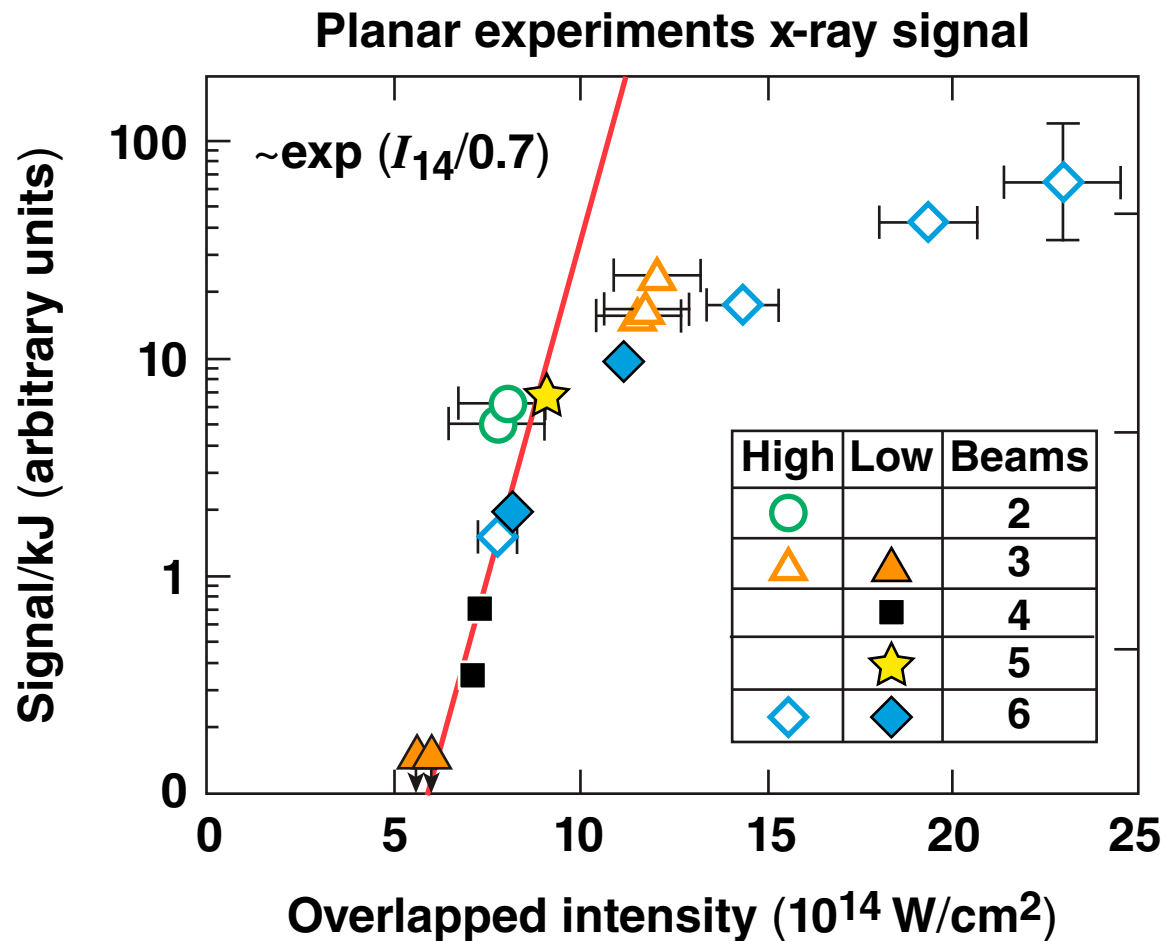
## Summary

# Collectively driven TPD growth diminishes away from the beam symmetry axis, but increases with angle from the density gradient



- Experiments on OMEGA show that TPD is driven by the collective intensity of several overlapping laser beams.
- Each pump beam drives a common plasma wave and a satellite.
- The common wave is the most strongly driven and is expected to produce most of the hot electrons.
- The angular distribution of this wave will determine the anisotropy of the hot electrons produced and, therefore, their preheating efficiency.
- TPD is strongly suppressed when this wave deviates from the beam symmetry axis, but may be enhanced when the symmetry axis diverges from the density gradient.

# TPD is observed to depend on the overlapped intensity for multiple-beam experiments



# The equations describing TPD are difficult to treat in configuration space

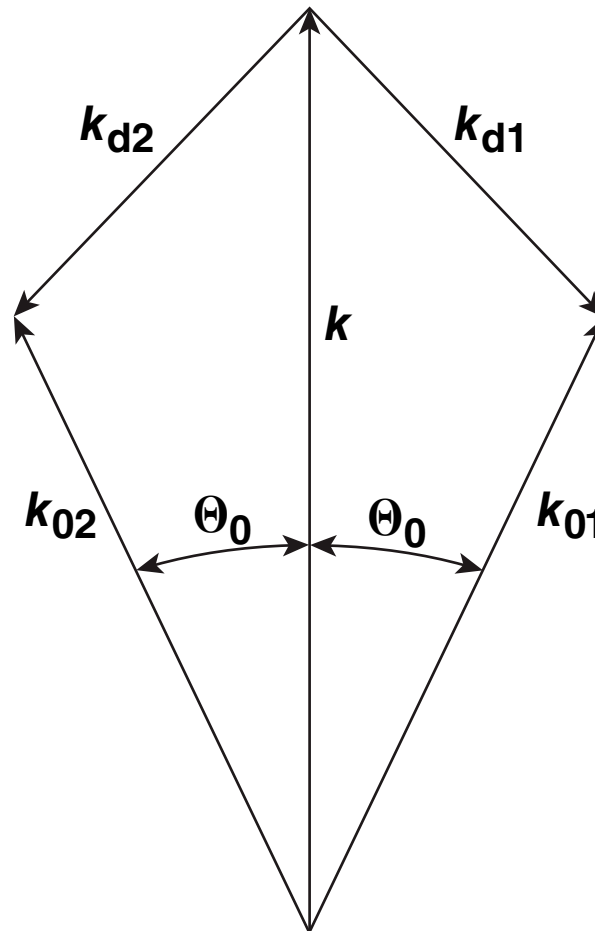
- Using the velocity potential defined by  $\mathbf{v} \equiv \nabla\psi$ , the equations governing TPD can be written

$$\frac{\partial\psi}{\partial t} = \frac{e\phi}{m} - \frac{3v_e^2 n_1}{n_0} - \mathbf{v}_0 \cdot \nabla\psi; \quad \frac{\partial n_1}{\partial t} + \nabla \cdot (n_0 \nabla\psi) + \mathbf{v}_0 \cdot \nabla n_1 = 0; \quad \nabla^2 \phi = 4\pi e n_1.$$

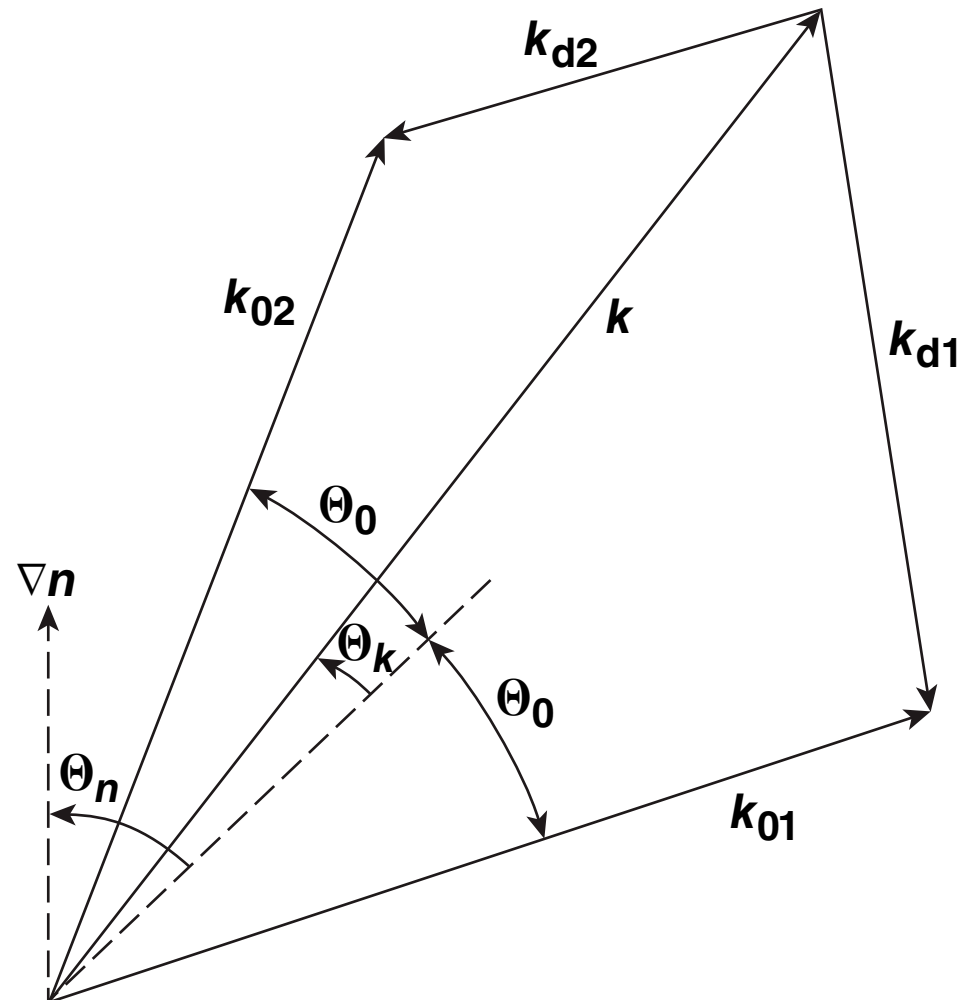
- These lead to an eighth-order ODE. Simplifications are of questionable validity near the plasma-wave turning points.
- TPD is confined to a narrow range of densities below quarter-critical, so a linear density profile should be a good approximation.
- In a linear profile the TPD equations can be greatly simplified by Fourier transforming (Liu and Rosenbluth, 1976; Simon *et al.* 1983).

# The anisotropy of multibeam TPD interaction can be studied using two beams

- Each pump wave drives a common plasma wave and a satellite; the common wave is of greatest interest.



# The common plasma wave can deviate from the centroid of the beams or from the density gradient



# The Fourier analysis results in a set of first-order linear equations that are readily integrated numerically

$$\frac{du}{dk_x} = e^{-\frac{3iv_e^2 k_0 L}{\omega_p^2} \left\{ \cos(\theta_0 + \theta_n)(k_x - k_{rx})^2 + 2k_r [\cos(\theta_0 + \theta_k) - \cos \theta_0](k_x - k_{rx}) \right\}} \frac{\left( \frac{k^2 - k_{d1}^2}{kk_{d1}} \right) L}{\omega_p} |v_{01}| (\hat{\epsilon}_1 \cdot k) u_{d1}$$

$$+ e^{-\frac{3iv_e^2 k_0 L}{\omega_p^2} \left\{ \cos(\theta_0 + \theta_n)(k_x - k_{rx})^2 + 2k_r [\cos(\theta_0 - \theta_k) - \cos \theta_0](k_x - k_{rx}) \right\}} \frac{\left( \frac{k^2 - k_{d2}^2}{kk_{d2}} \right) L}{\omega_p} |v_{02}| (\hat{\epsilon}_1 \cdot k) u_{d2}$$

$$\frac{du_{d1}}{dk_x} = -e^{-\frac{3iv_e^2 k_0 L}{\omega_p^2} \left\{ \cos(\theta_0 + \theta_n)(k_x - k_{rx})^2 + 2k_r [\cos(\theta_0 + \theta_k) - \cos \theta_0](k_x - k_{rx}) \right\}} \frac{\left( \frac{k^2 - k_{d1}^2}{kk_{d1}} \right) L}{\omega_p} |v_{01}| (\hat{\epsilon}_1 \cdot k) u$$

$$\frac{du_{d2}}{dk_x} = -e^{-\frac{3iv_e^2 k_0 L}{\omega_p^2} \left\{ \cos(\theta_0 + \theta_n)(k_x - k_{rx})^2 + 2k_r [\cos(\theta_0 - \theta_k) - \cos \theta_0](k_x - k_{rx}) \right\}} \frac{\left( \frac{k^2 - k_{d2}^2}{kk_{d2}} \right) L}{\omega_p} |v_{02}| (\hat{\epsilon}_2 \cdot k) u$$

# Both absolute and convective forms of TPD can be studied using the $k$ -space approach

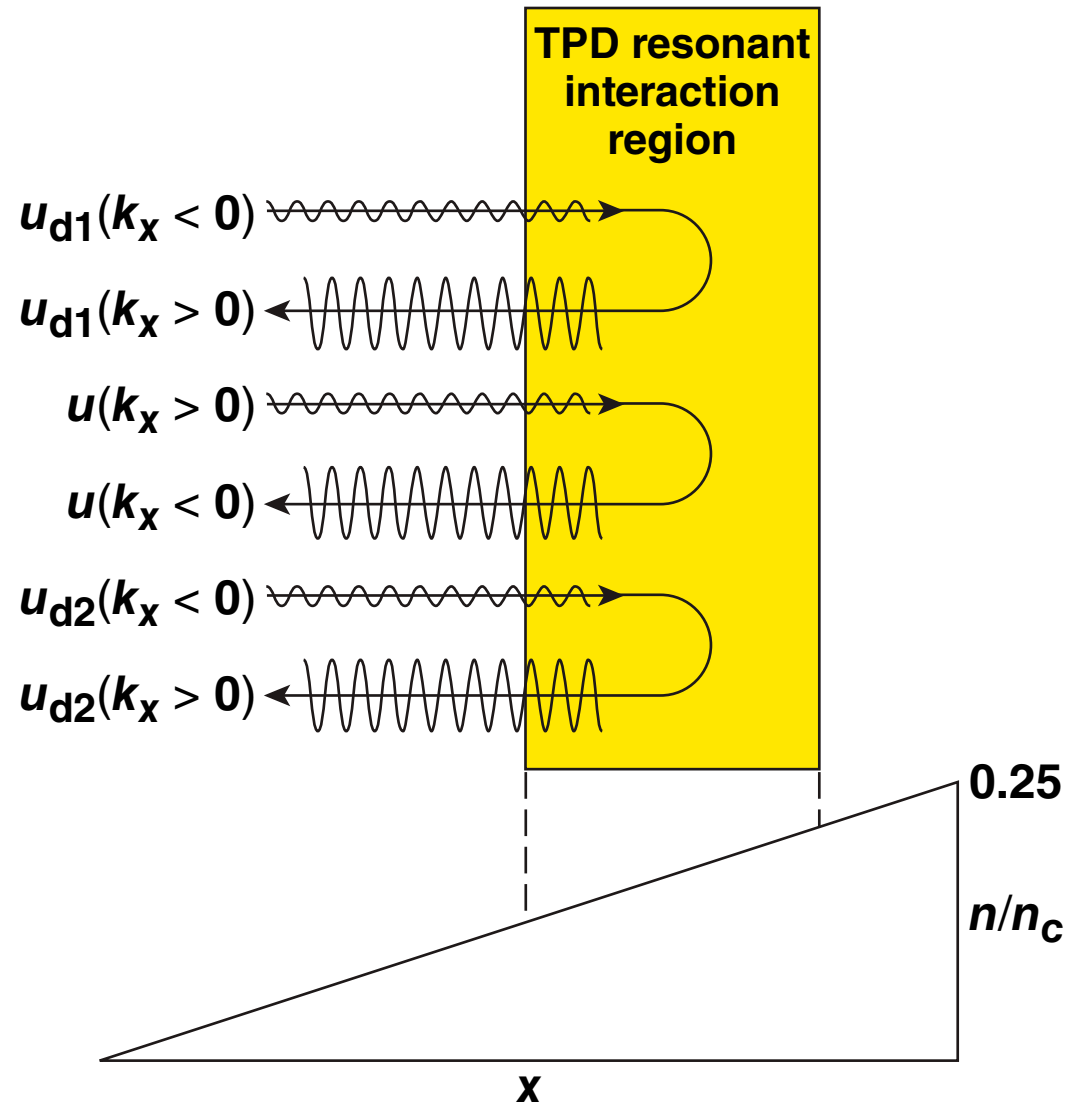
- The convective gain can be found by integrating these equations over  $k_x$  from  $-\infty$  to  $\infty$ .

- The gain is represented as  $\text{Max} \left\{ \frac{|u^{\text{out}}|^2}{|u_{d1}^{\text{in}}|^2 + |u^{\text{in}}|^2 + |u_{d2}^{\text{in}}|^2} \right\}$ .

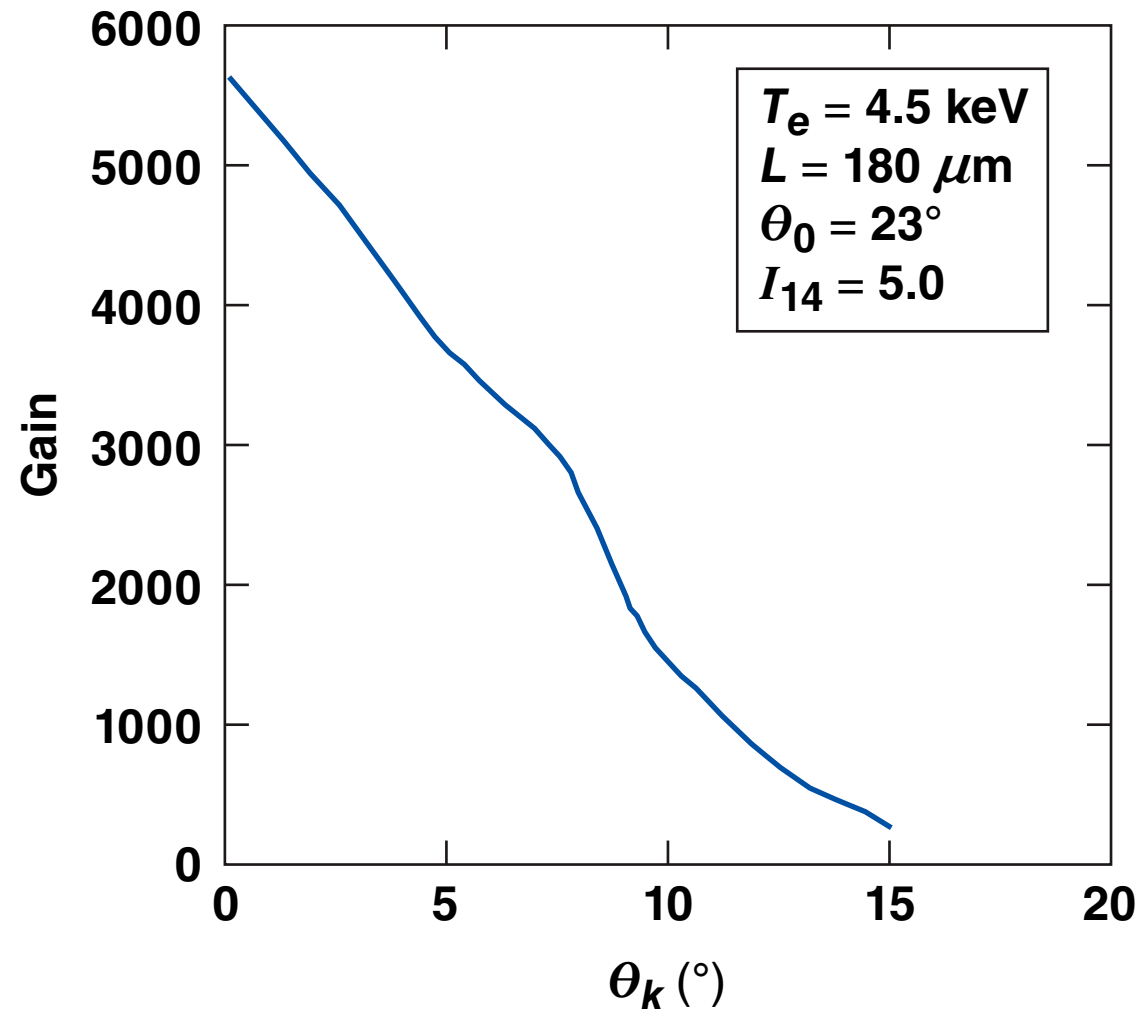
- Divergent gain represents the onset of absolute instability.



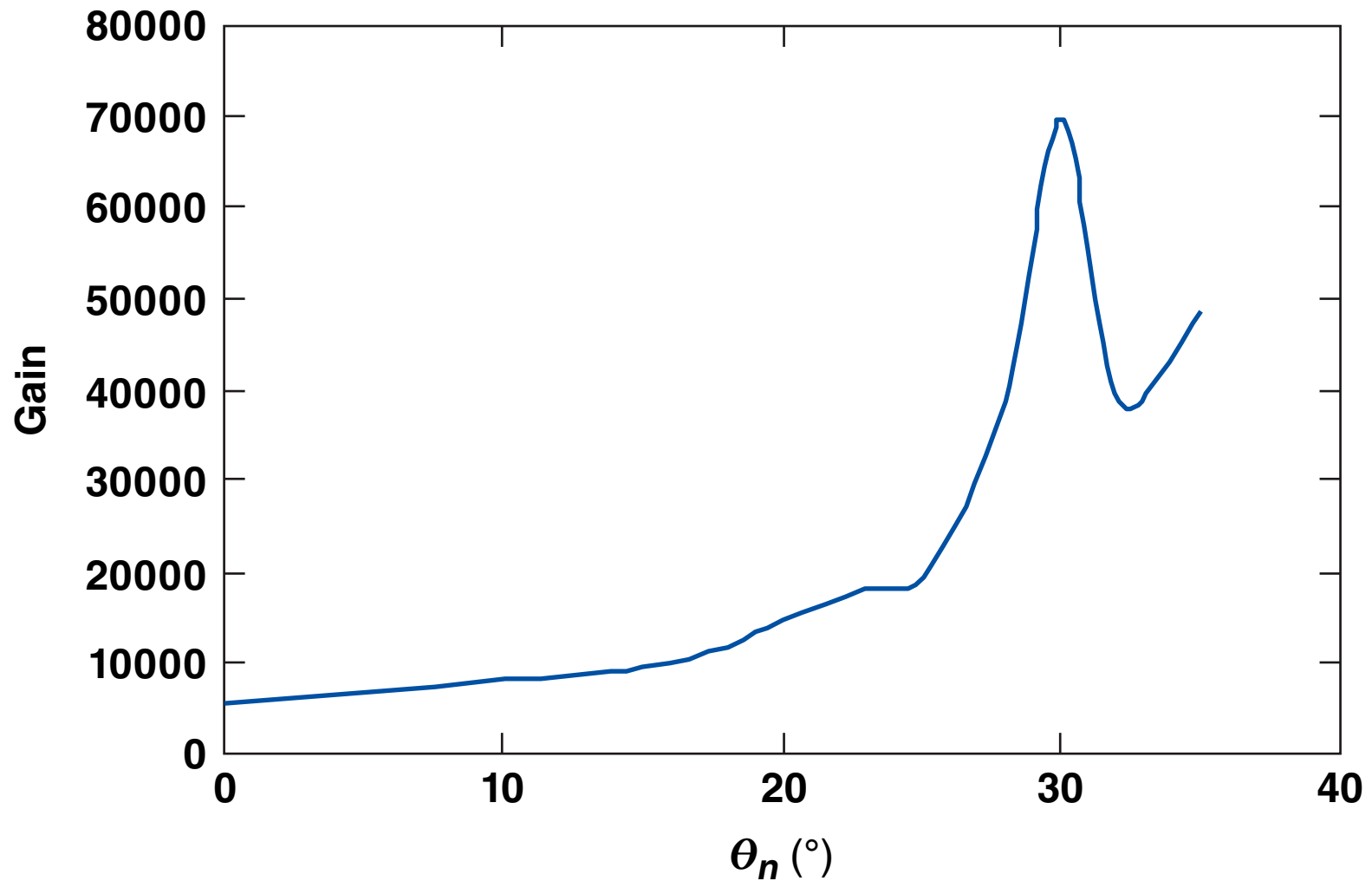
# TPD amplification factors can be obtained by numerical integration of the $k$ -space equations



The gain diminishes significantly when  $k$  deviates from the centroid of the pump beams



Gain increases and may lead to absolute instability as the beam centroid diverges from the density gradient



## Summary/Conclusions

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