#### **Bulk Fluid Velocity Construction from NIF Neutron Spectral Diagnostics**



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#### Summary

### The velocity of the neutron emission region is routinely measured by National Ignition Facility (NIF) neutron spectral diagnostics



- A minimum  $\chi^2$  method is used to determine the best fit for the resultant velocity ( $V_x$ ,  $V_y$ ,  $V_z$ ) from the measured detector velocity components\*
- The velocity calculation is checked by a series of perturbed drive experiments\*\*
- Gas-filled targets have lower neutron-emitting fluid velocities than layered targets
  - mass perturbation is seen in layered target experiments
  - large velocities are measured for implosions with drive and mass perturbations



<sup>\*</sup>R. Hatarik et al., NO7.00010, this conference; M. Gatu Johnson et al., NO7.00014, this conference. \*\*B. K. Spears et al., NO7.00012, this conference.



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Neutron time-of-flight (nTOF) measurements are made on three nearly orthogonal lines of sight (LOS) and are complemented by the magnetic recoil spectrometer (MRS)



Multiple LOS allow for the construction of a resultant velocity.



### Neutron-emitting fluid velocity $(V_x, V_y, V_z)$ is determined by fitting to the measured detector velocity projections

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- Velocities projected along the instrumental LOS are calculated with  $V_x$ ,  $V_y$ , and  $V_z$ 
  - $V_{det}^{proj} = V_x * \widehat{x}_{det} + V_y * \widehat{y}_{det} + V_z * \widehat{z}_{det}$

$$-\chi^{2} = \Sigma_{det} \frac{\left[V_{det}^{meas} - V_{det}^{proj}\left(V_{x}, V_{y}, V_{z}\right)\right]^{2}}{dV_{det}^{meas^{2}}}$$

- $V_x$ ,  $V_y$ , and  $V_z$  are calculated by minimizing  $\chi^2$ -  $\delta V_x$ ,  $\delta V_y$ , and  $\delta V_z$  are calculated from the error matrix
- The polar velocity vector and its associated errors are calculated from Cartesian components



## The projected velocities of nTOF spectral detectors agree with measured velocities



Spec E determines the velocity x component; Spec SP determines the velocity z component.



## MRS-projected velocities show larger variations with respect to measured velocities

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**Resultant velocity is weighted toward nTOF velocities.** 



#### A three-shot series of controlled $P_1$ symcap experiments were performed to test nTOF bulk-velocity measurements





## Velocity components are measured using both D<sub>2</sub> and DT neutron arrival times agreeing on all three shots



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# Velocity measurements from the new nTOF's show the presence of sizeable Mode-1 perturbations

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#### Summary/Conclusions

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- The velocity calculation is checked by a series of perturbed drive experiments\*\*
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# The polar velocity vector and its associated errors are calculated from Cartesian components

• Given Cartesian velocity components 
$$\begin{pmatrix} V_x \\ V_y \\ V_z \end{pmatrix}$$
 and their errors  $\begin{pmatrix} \delta V_x \\ \delta V_y \\ \delta V_z \end{pmatrix}$ 

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V,  $\theta$ , and  $\phi$  as well as  $\delta$ V,  $\theta$ V, and  $\theta\phi$  can be determined

$$V = \sqrt{V_x^2 + V_y^2 + V_z^2} \qquad \delta V = \frac{1}{V} * \sqrt{\delta V_x^2 * V_x^2 + \delta V_y^2 * V_y^2 + \delta V_z^2 * V_z^2}$$
  

$$\vartheta = \cos^{-1} \frac{V_z}{V} \qquad \delta \vartheta = \frac{1}{V} * \sqrt{\frac{\delta V_z^2 * V^2 + \delta V^2 * V_z^2}{V^2 - V_z^2}}$$
  

$$\varphi = \tan^{-1} \frac{V_x}{V_y} \qquad \delta \varphi = \frac{1}{V_x^2 + V_y^2} * \sqrt{\delta V_x^2 * V_y^2 + \delta V_y^2 * V_x^2}$$

