

Picosecond-Resolved Collective Thomson Scattering in Underdense Collisional Plasmas

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Summary/Motivation

A principal difficulty in accurate descriptions of basic plasma processes is uncertain plasma thermal dynamics

- A pulse-front-tilt compensated streaked spectrometer was utilized for the first time to measure the underdense plasma thermal dynamics
- To fit the data for electron temperatures below ~30 eV, collisions must be included into the Thomson scattering simulation using the Bhatnagar-Gross-Krook (BGK) model
- The electron temperature was observed to rise from an initial 5 eV to 20 eV in 20 ps. Over this time the density increases from $0.8 \times 10^{19} \text{ cm}^{-3}$ to its plateau at $1.1 \times 10^{19} \text{ cm}^{-3}$
- The electron temperature was observed to plateau at ~100 eV after 40 ps

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Thomson scattering at high temperatures is dominated by Landau damping and can be approximated as collisionless

$$P_s \alpha S(\vec{k}, \omega) = \frac{2\pi}{k} \left| 1 - \frac{\chi_e}{\epsilon} \right|^2 f_{e0} \left(\frac{w}{k} \right) + \frac{2\pi Z}{k} \left| \frac{\chi_e}{\epsilon} \right| f_{i0} \left(\frac{w}{k} \right)$$

$$\epsilon(\vec{k}, \omega) = 1 + \frac{4\pi e^2}{m_e k^2} \int d^3 v \frac{1}{\omega - i\gamma - \vec{k} \cdot \vec{v}} \vec{k} \cdot \frac{\partial F_m^0}{\partial \vec{v}}$$

Laplace transform variable

Collisionless: $\lim_{\gamma \rightarrow 0} (\chi_e)$

Collisional velocity dependent: $\gamma(v)$

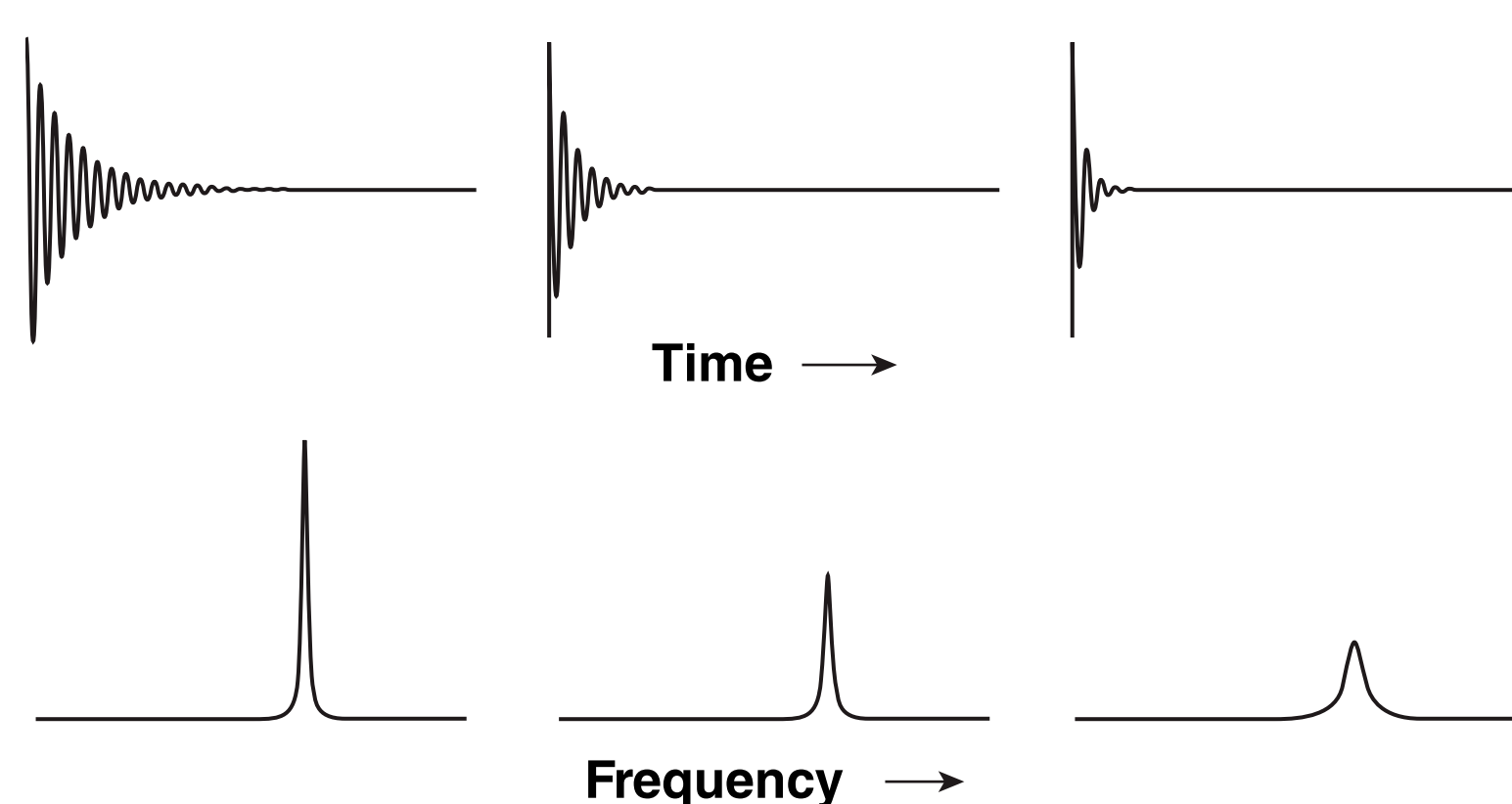
In the $\lim_{\gamma \rightarrow 0} (\chi_e)$, it can be shown that

$$\chi_e = -\frac{\alpha^2}{2} Z'(\alpha) = \alpha^2 \left[1 - \sqrt{\pi} x_e e^{-x_e^2} \text{erf}(x_e) + i\pi \frac{1}{2} x_e e^{-x_e^2} \right]$$

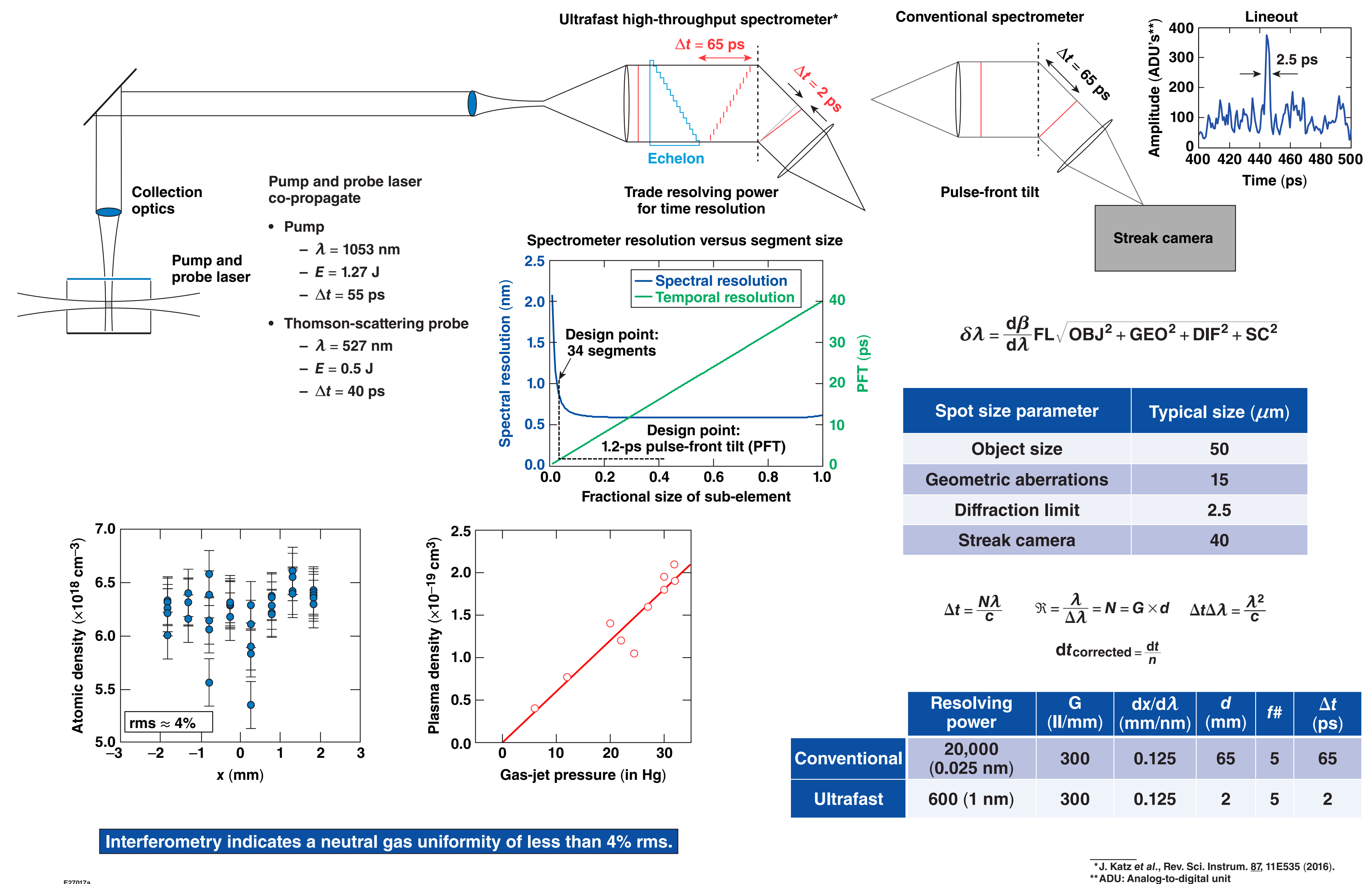
where

$$x_e = \frac{w}{ak} \quad a = \sqrt{\frac{2kT_e}{m_e}} \quad \alpha = \frac{1}{k\lambda_{De}}$$

Damping in time causes spectral widening and lower spectral peaks



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Interferometry indicates a neutral gas uniformity of less than 4% rms.

*J. Katz et al., Rev. Sci. Instrum. 87, 11E535 (2016).
**ADU: Analog-to-digital unit

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The collisional dielectric function, $\epsilon(\vec{k}, \omega)$, can be solved in an analogous manner to the collisionless case except it requires two inputs: x_e and y_e

Velocity-dependent BGK model

$$\epsilon^{BGK}(\vec{k}, \omega) = 1 + \frac{4\pi e^2}{m_e k^2} \int d^3 v \frac{1}{\omega + i\nu_{ei}(v) - \vec{k} \cdot \vec{v}} \vec{k} \cdot \frac{\partial F_m^0}{\partial \vec{v}}$$

$$\nu_{ei} = 4\pi Z e^4 n_e \Lambda_{ei} / m_e^2 v^3$$

It can be shown that the dielectric function reduces to

$$\epsilon^{BGK} = 1 + \frac{32e^2 n_e \pi^{1/2}}{m_e a^2 k^2} \int du u^2 e^{-u^2} \{ 1 - Y(u) \coth^{-1}[Y(u)] \}$$

where

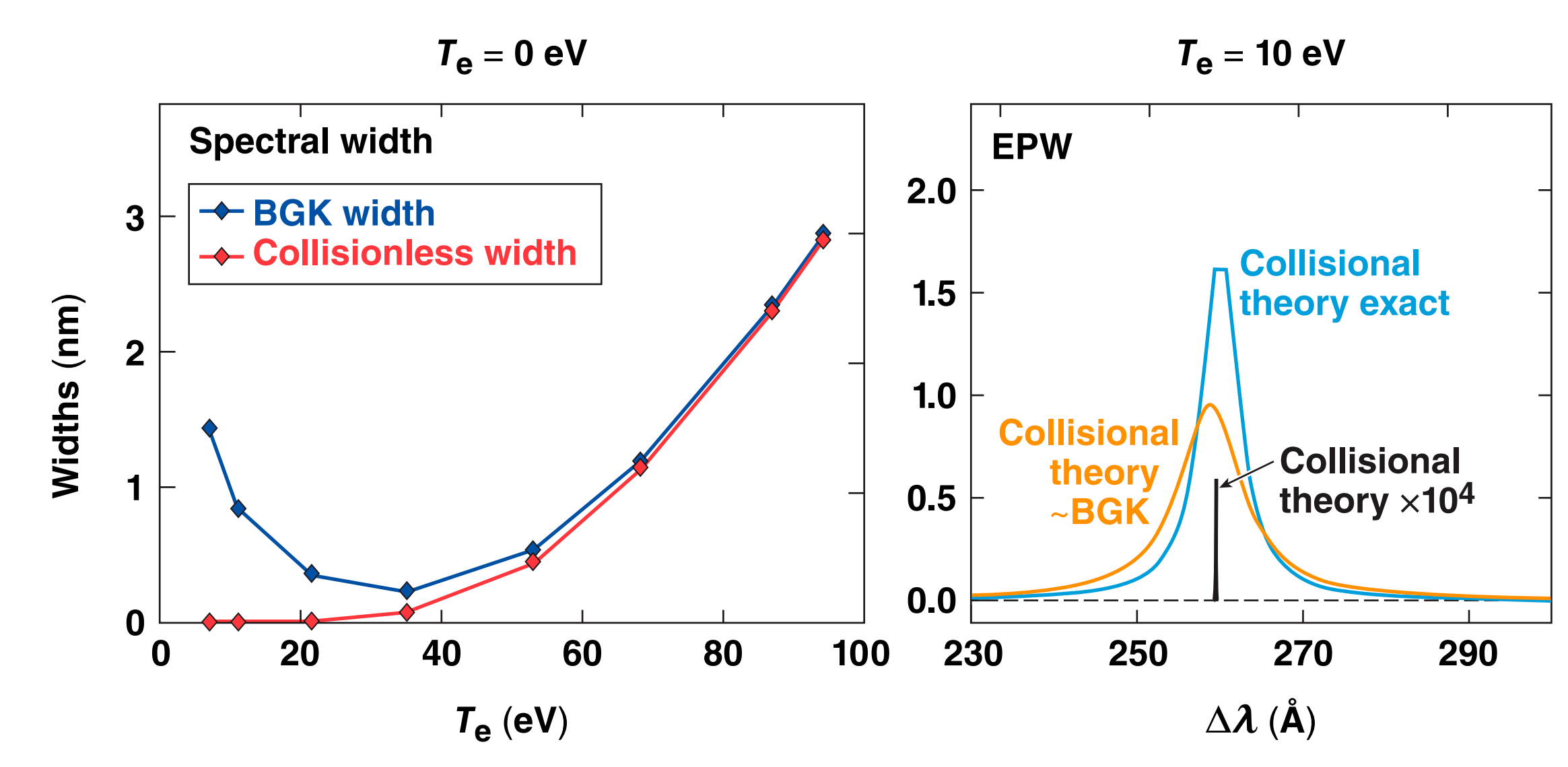
$$a = \sqrt{\frac{2kT_e}{m_e}} \quad u = \frac{v}{a} \quad Y(u) = \frac{1}{u} \left(x_e + i \frac{y_e}{u^3} \right)$$

Landau damping: $x_e = \frac{w}{ak}$
Collisional damping: $y_e = \frac{Z \ln(\Lambda_{ei}) n_e}{a^4 k}$

This function has collisional damping at low temperatures and Landau damping at high temperatures.

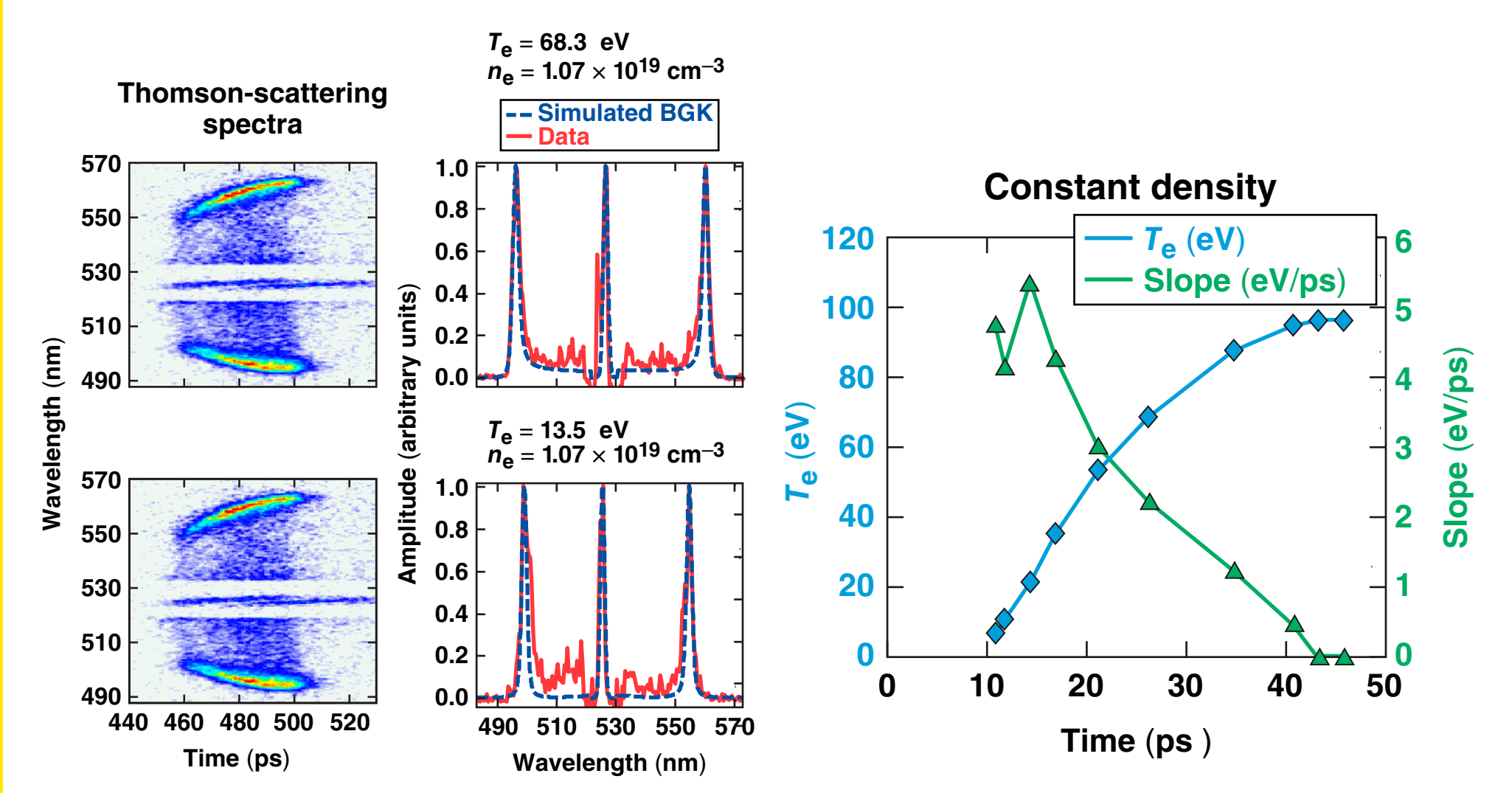
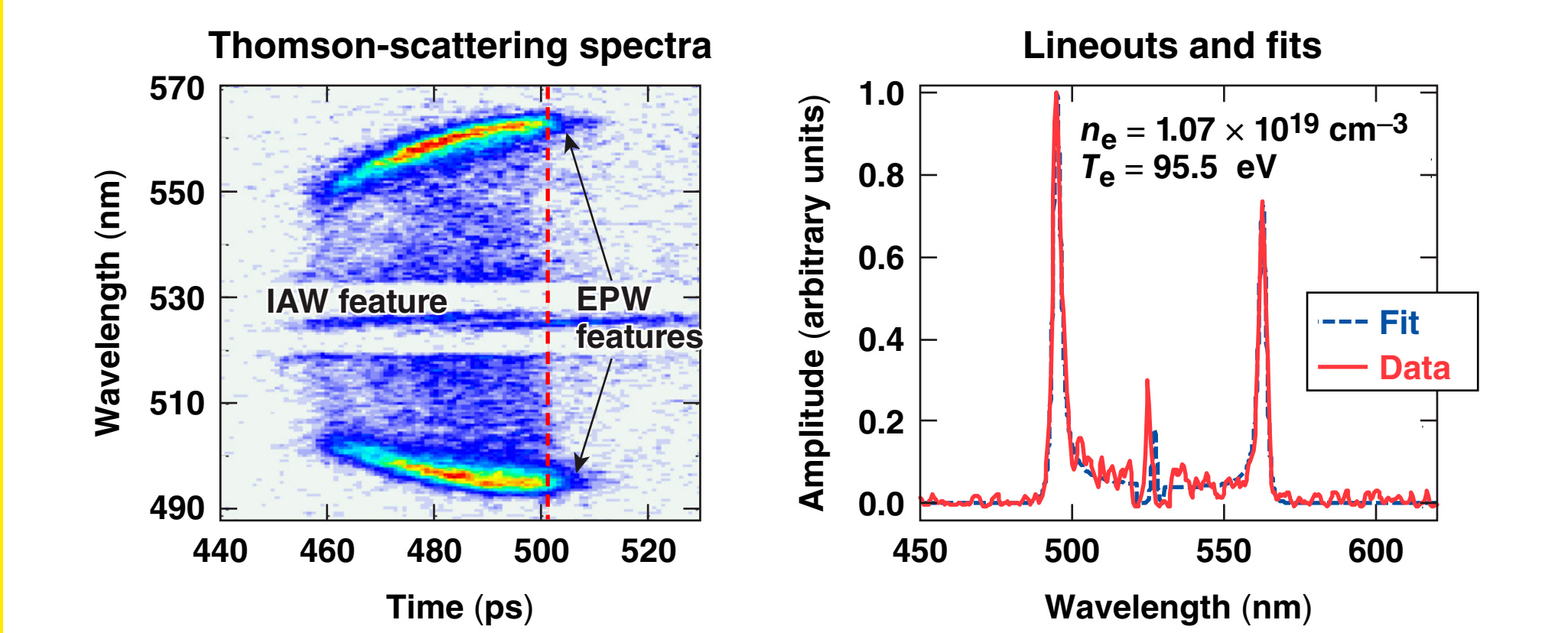
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The Thomson scattering peak width of the BGK and collisionless model diverge for electron temperatures below ~30 eV

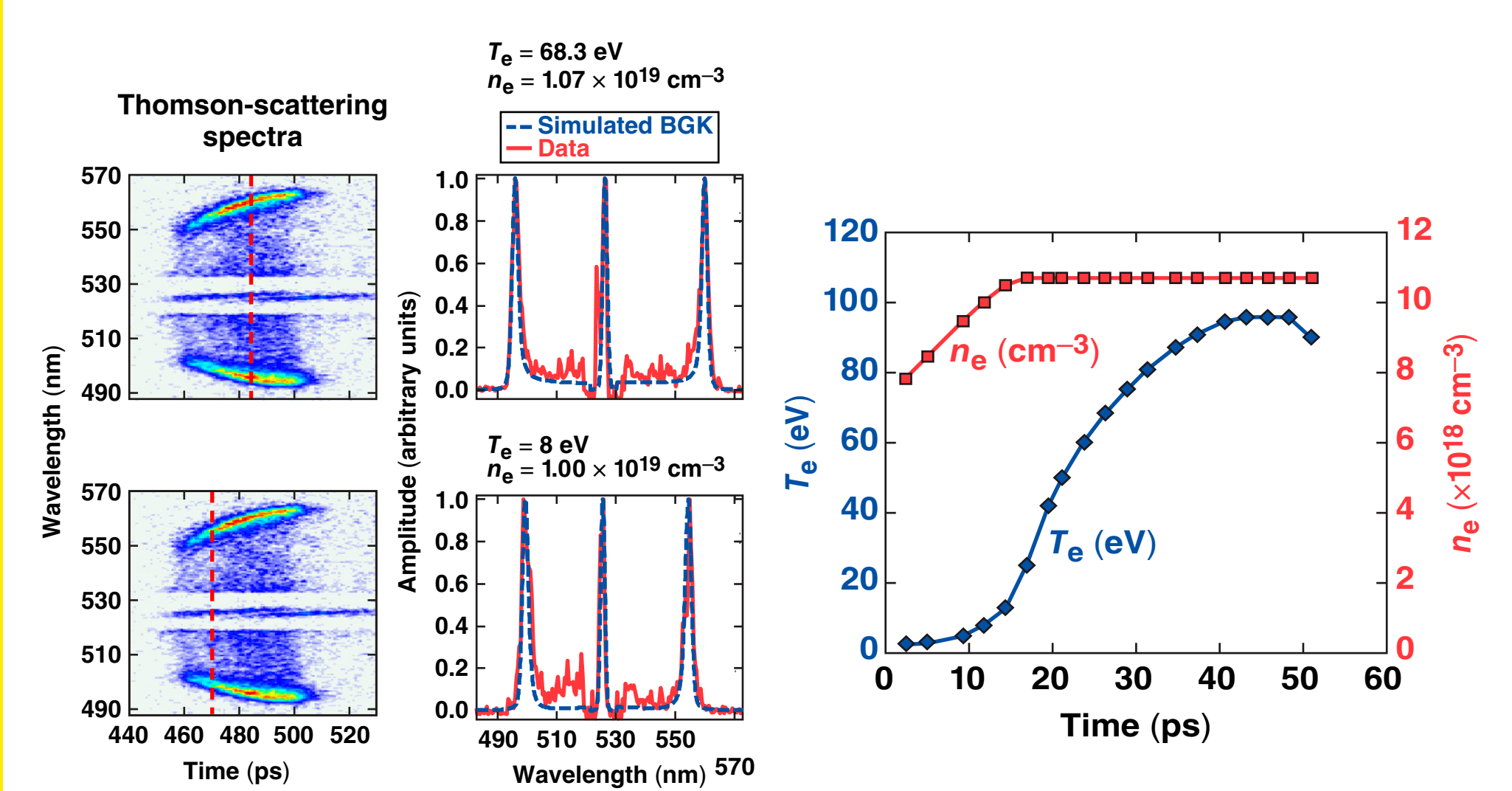


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The Thomson-scattering data were fit late in time to find both the electron temperature and density



The spectra are then fit for a second time taking into account the effects of temporal temperature gradients using the heating rate from the first fit



The electron temperature was observed to rise from an initial 5 eV to 20 eV in 20 ps. Over this time the density increases from $0.8 \times 10^{19} \text{ cm}^{-3}$ to its plateau at $1.1 \times 10^{19} \text{ cm}^{-3}$. The electrons temperature plateaus at ~100 eV after 40 ps.

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