Fast Electron Transport in Dense Plasmas in the Context of Fast-Ignition



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The PIC/hybrid approach is a promising technique for the modeling of electron transport in very overdense plasmas

- Two-dimensional simulations of fast (1-MeV) FI electron beams have been made in imploded cryogenic DT fusion targets
 - Relevant to future OMEGA EP fast-ignition experiments
 - Also see talk by J. A. Delettrez
- The electrons do not behave as a "rigid beam."
- The self-generated azimuthal magnetic field collimates the electron beam.
 - The beam radius is smaller than the laser spot at the core.
- We observe filamentation of beam current.
 - Consistent with resistive filamentation (Gremillet *et al.*, 2002)
- Target is heated by the return current.



- Lsp* simulations of intense electron beam propagation from critical density to the compressed core in cryogenic DT targets
 - 2-D (r-z cylindrical), nonuniform mesh
 - Electromagnetic, implicit algorithm (large time step)
- Hybrid model for dense plasma
 - Plasma resistivity is due to electron–ion collisions.
 - Hot beam electrons collide with plasma electrons.
- Focusing and filamentation of beam current
- Future plans

^{*} D. R. Welch et al., Nucl. Instrum. Methods Phys. Res. A 464, 134 (2001).

We treat the fast electron transport in a two-dimensional r-z cylindrical geometry, but not the generation mechanism



Electron-beam parameters are relevant to future fast-ignition studies on OMEGA EP

 An electron beam is generated by promotion from background over a 20-µm spot with a pulse duration of 10 ps.

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• FI-relevant parameters are chosen for the beam source

$$n_b = 2 \times 10^{20} \eta_{eff} \frac{I}{10^{19} \text{W cm}^{-2}} \frac{1 \text{ MeV}}{\epsilon_b} \text{ cm}^{-3}$$

- Unlike simulations in near-critical plasmas, the beam is "weak" in the sense that $n_{b}\!/n_{e}<<1$

$$I_{b} = 30 \eta_{eff} \frac{I}{10^{19} W cm^{-2}} \frac{A_{spot}}{300 \, \mu m^{2}} \left(\frac{1 \, MeV}{\epsilon \, b} \right) MA$$
$$I_{A} = 17\gamma \beta \, kA << I_{b}$$

• Self-generated fields are therefore important for transport.

The plasma supplies a compensating return current so that the fast electron current is "magnetically neutralized"



- A compensating return-current is set up by induction.
- The time for decay of the r-c is long due to the high conductivity of hot plasma:

$$\tau_{d} = 4\pi\sigma r_{b}^{2}/c^{2} > 1 ns$$

- Plasma velocity is much smaller than beam velocity because the beam is weak.
- Filaments are evident.

The electron beam breaks into filaments and contracts radially



Despite the filamentation, the beam is collimated

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Although the current is compensated, the residual magnetic fields are strong enough to pinch the beam

• A longitudinal resistive electric field is set up with the same radial profile as the beam current density:

$$E_z \sim \frac{J_b}{\sigma} \sim 10^6 statvolt/cm$$

• This electric field is not curl-free and generates a magnetic field according to Faraday's law:

$$B_{\varphi} \sim \frac{\tau c E_z}{r_b} \sim 1 MG$$

• For equilibrium (Bennett) Lorentz force balances transverse pressure:

$$\frac{\textbf{T}_{\textbf{b}}}{\textbf{r}_{\textbf{b}}} = \textbf{e}\,\frac{\textbf{v}_{\textbf{z}}}{\textbf{c}}\textbf{B}_{\boldsymbol{\varphi}},\;\textbf{T}_{\textbf{b},\textbf{r}} = \int \textbf{d}\,\vec{p}\,\textbf{p}_{\textbf{r}}\textbf{v}_{\textbf{r}}\,\textbf{F}_{\textbf{b}}$$

Lorentz force exceeds pressure for reasonable beam temperatures:

 $T_{b,r} > 0.5 \text{ MeV} \leftarrow comparable to directed energy$

The observed transverse perturbations in current density are consistent with resistive filamentation



- Scale for collisionless Weibel (c/ω_{pe}) is not resolved.
- Transverse resistive filamentation has the most-unstable wave number k_{perp}.
 - according to Gremillet *et al.*, Phys. Plasmas (2002)

$$k_{perp} \sim \frac{\omega_{pb}}{c} \sim \frac{2 \pi}{2 \mu m}$$

$$\gamma \sim 0.1 \omega_{pb} = 1/18 \, \text{fs}$$

18 fs << $\tau_{laser} = 10 \, \text{ps}$

The plasma is heated by the I²R losses of the return current

Plasma electron temperature (keV) 200 **Return current heating** t = 5.0 ps t = 1.7 ps $\frac{3}{2}n_{p}\frac{\partial T_{p}}{\partial t} = \nabla \bullet \left(\kappa \nabla T_{p}\right) + \frac{j_{p}^{2}}{\sigma_{p}} + \frac{3}{2}\frac{n_{b}T_{b}}{\tau_{pb}}$ 150 (**m**m) **keV** 100 **Collisional heating** 4.0 N 3.0 50 RC heating is nonlinear: Beam-2.0 propagation $\sigma = \frac{5.5 \times 10^{17}}{(\lambda / 10)Z} T_e^{3/2} (\text{keV}) \text{ s}^{-1}$ direction 1.0 0 20 40 60 20 40 60 0 0 \mathbf{R} (μ **m**) **R** (μ**m**)

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- The energy deposition needs to be quantified and checked.
- The simulations will be repeated in three-dimensions.