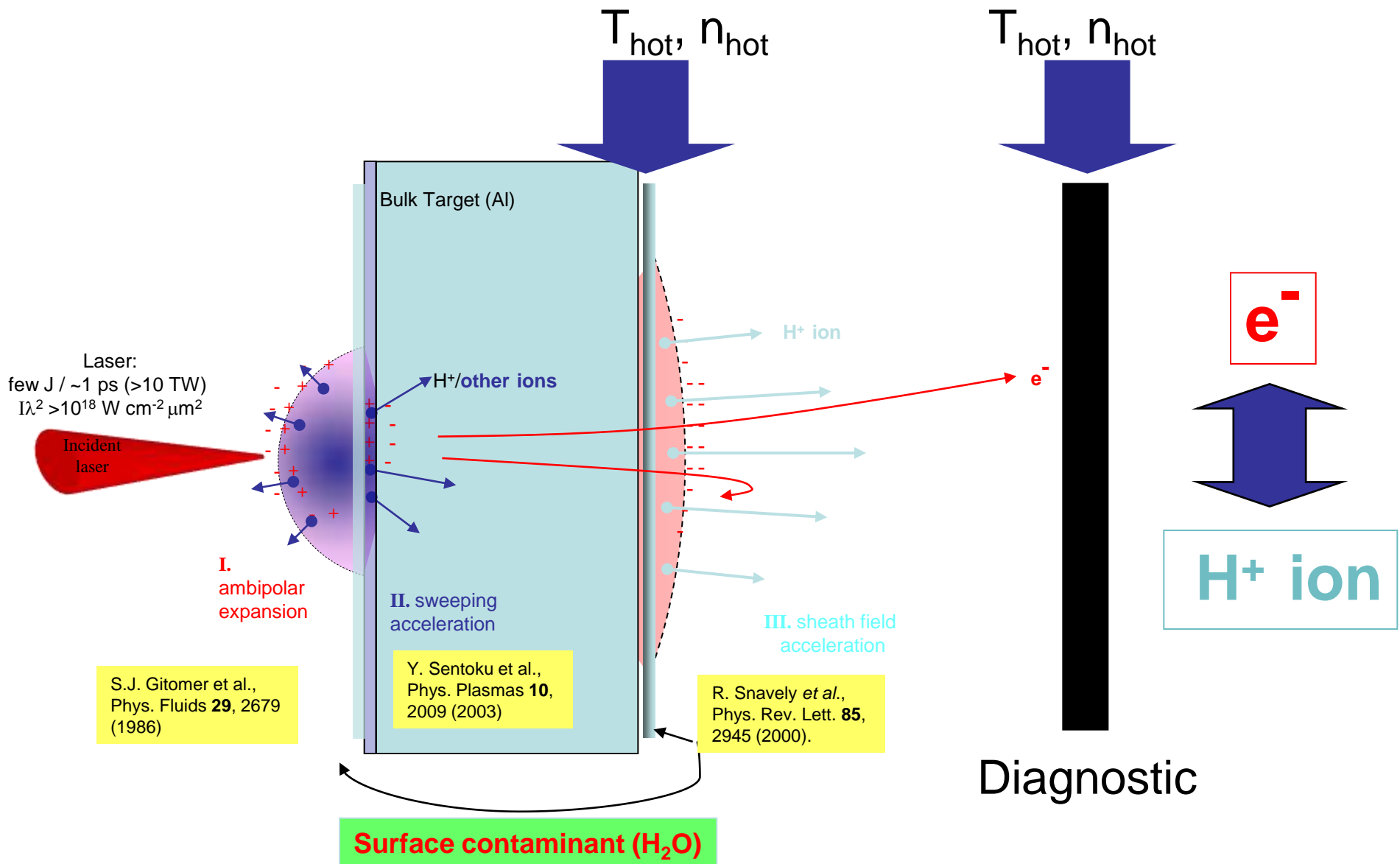


Measurements of hot electrons distributions in intense laser-matter interaction with solids

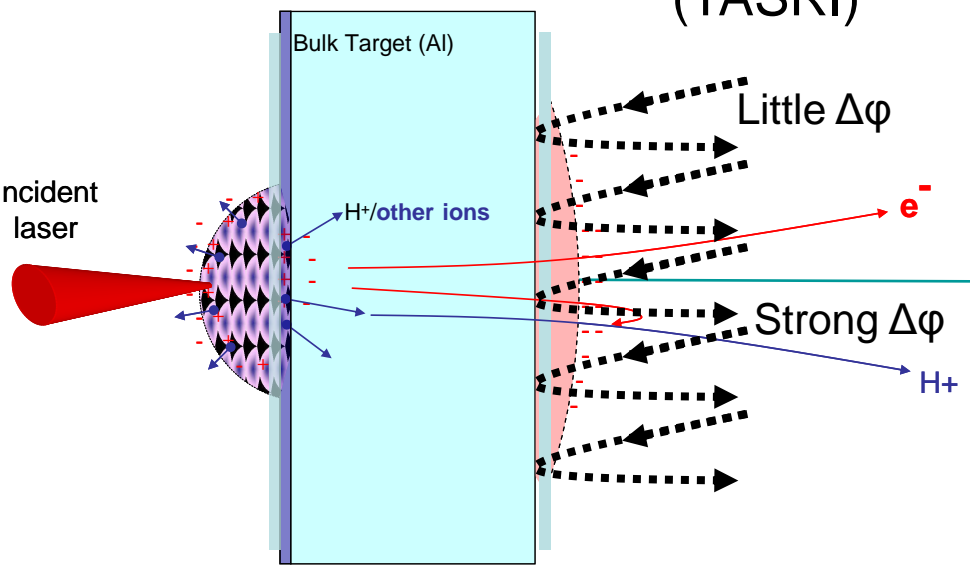
*P. Antici, P. Audebert, S. Buffechoux,
A. Mancic, J. Fuchs*

Hot electron and proton acceleration mechanism

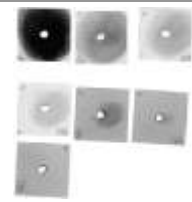


The diagnostic used

Vacuum
 Compressor
 $E=5-20\text{ J}$
 $t_{\text{laser}}=0.3-5\text{ ps}$
 Focal spot $\sim 5\ \mu\text{m}$
 $1\omega: \lambda=1.053\ \mu\text{m}$
 $2\omega: \lambda=0.527\ \mu\text{m}$

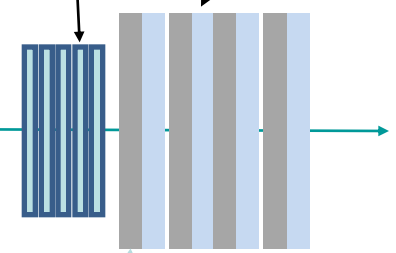


2) Radiochromic
 Films (RCF)



1) Time and space
 resolved
 interferometry
 (TASRI)

3) Image Plate (IP) Stack



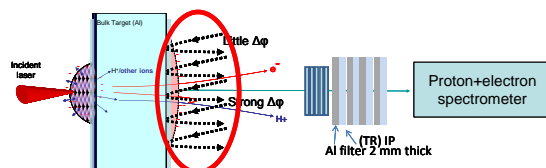
4) Proton+electron
 spectrometer

(TR) IP
 Al filter 2 mm thick

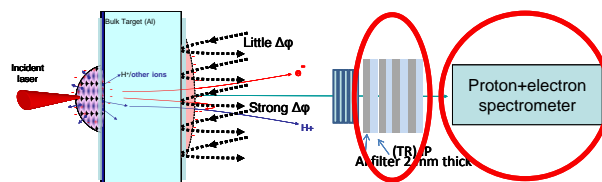
Local

Distant

TASRI



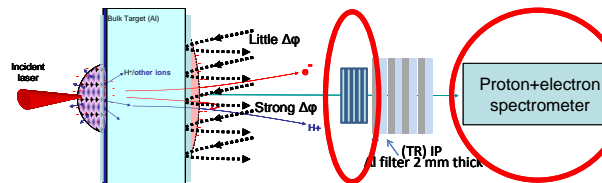
Electron spectrometer Image Plate



**Direct
(electrons)**

**Indirect
(via protons)**

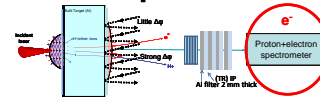
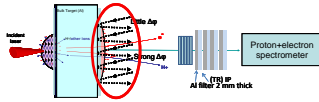
Proton spectrometer Radiochromic films



Hot electron temperature

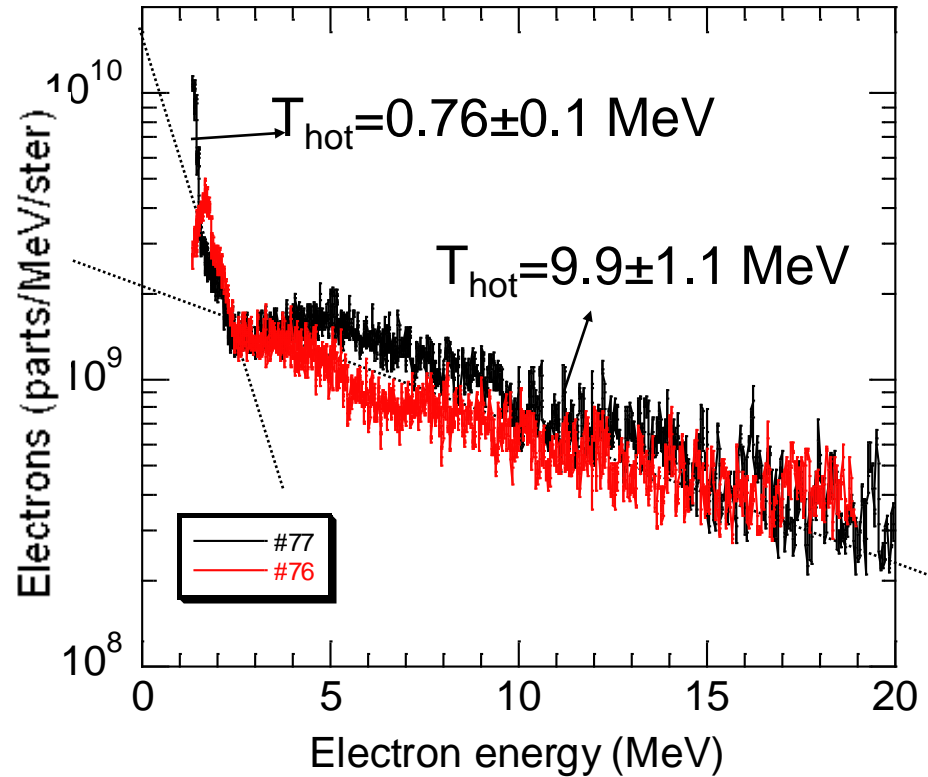
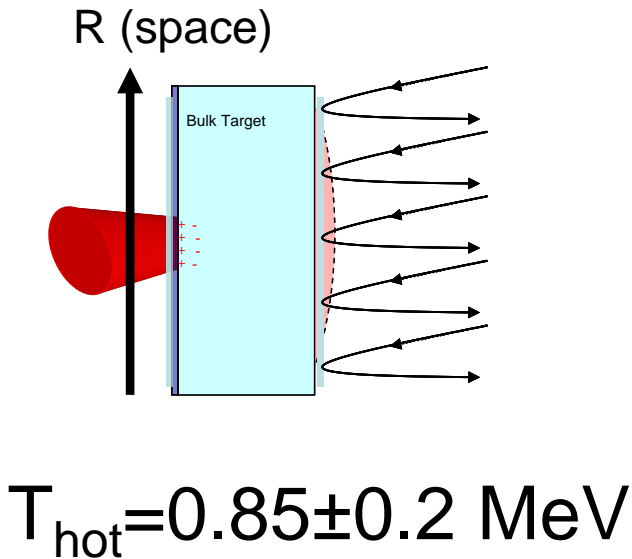
Exp @ 1ω / $10\ \mu\text{m}$ Al
 $I=5\ 10^{19}\ \text{W}/\text{cm}^2$ / $t_{\text{laser}}=320\ \text{fs}$

Determination of the hot electron temperature T_{hot} DIRECT



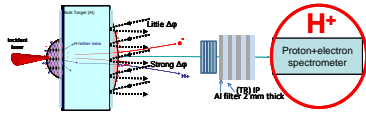
1) TASRI
(expansion speed of hot electron cloud)

2) Electron spectrometer



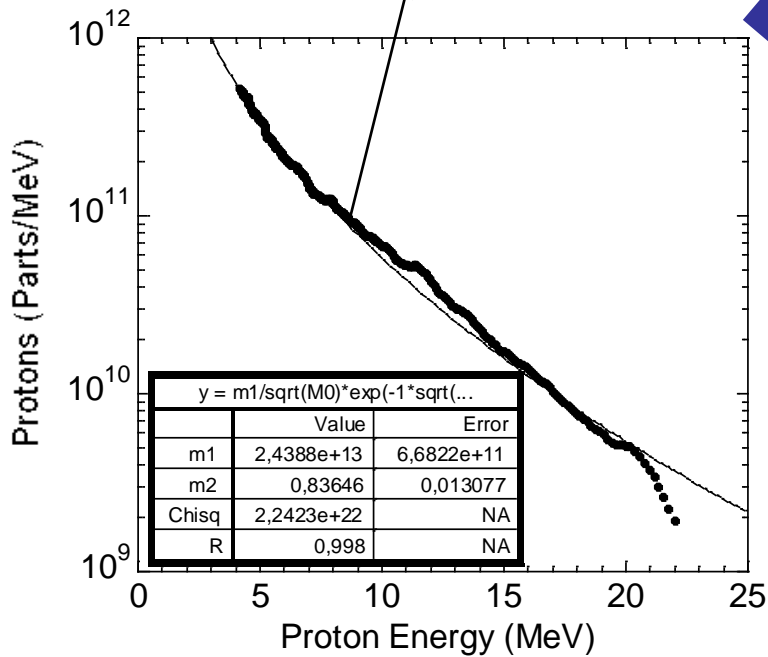
Exp @ 1ω / $10 \mu\text{m}$ Al
 $I=5 \cdot 10^{19} \text{ W/cm}^2$ / $t_{\text{laser}}=320 \text{ fs}$

Determination of the hot electron temperature T_{hot} INDIRECT



J. Fuchs et al., Nature Physics **2**, 48 (2006).

Proton spectra
(using a model)



$$dN/dE = 1.3 N_{hot} c_s / [c(2E k_B T_{hot})^{1/2}] \exp(-[2E / (k_B T_{hot})]^{1/2})$$

height slope

$$T_{hot} = 0.84 \pm 0.2 \text{ MeV}$$

TASRI: $T_{hot} = 0.85 \pm 0.2 \text{ MeV}$
 Electron Spectro: $T_{hot} = 0.76 \pm 0.1 \text{ MeV}$

Exp @ $1\omega / 10 \mu\text{m Al}$

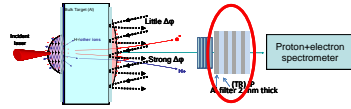
$I = 5 \cdot 10^{19} \text{ W/cm}^2 / t_{laser} = 320 \text{ fs}$

Hot electron temperature

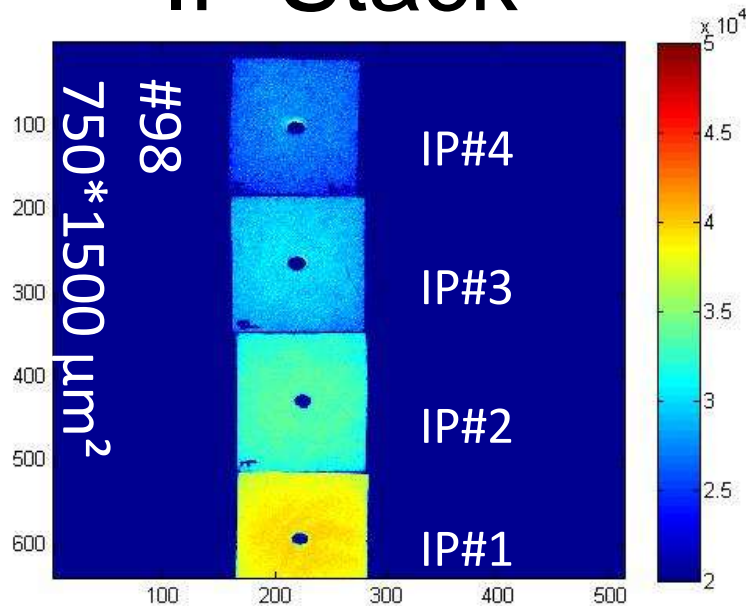
Exp @ 2ω / 2 μm Au

$I=1 \cdot 10^{19}$ W/cm² / $t_{\text{laser}}=320$ fs

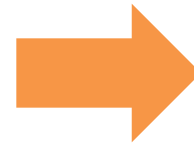
Determination of the hot electron temperature T_{hot} DIRECT



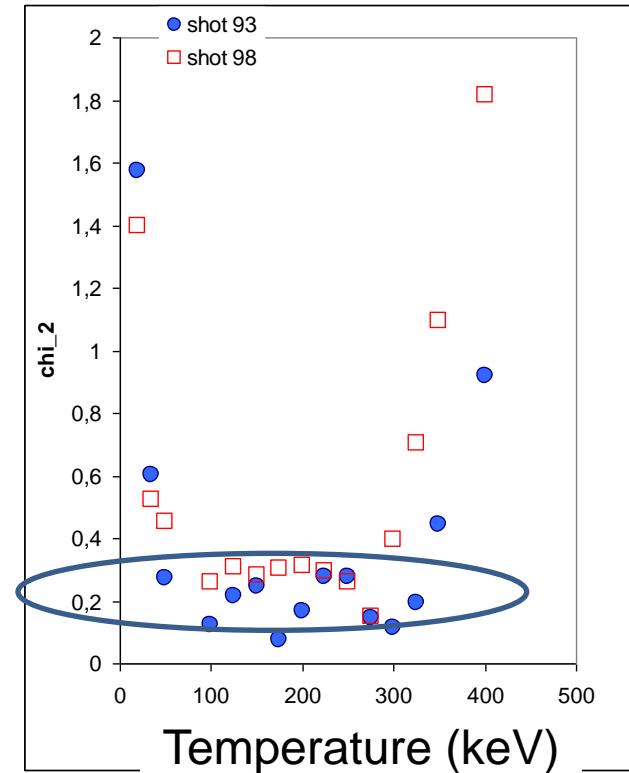
IP Stack



Fitting using
Geant 4



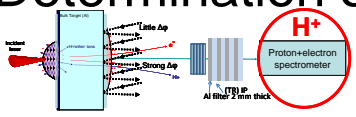
& assuming
Maxwellian
distribution



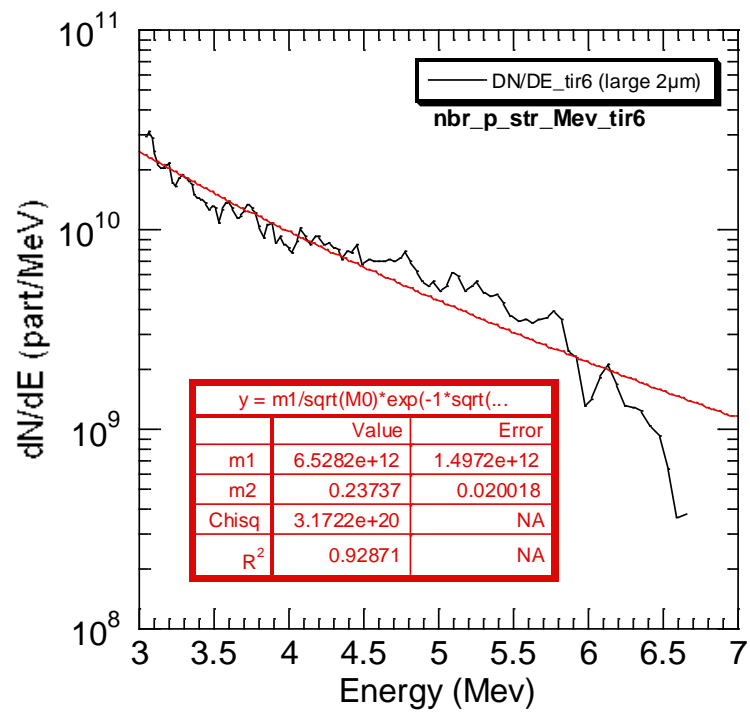
Exp @ $2\omega / 2 \mu\text{m Au}$
 $I=1 \cdot 10^{19} \text{ W/cm}^2 / t_{\text{laser}}=320 \text{ fs}$

$T_{\text{hot}}=0.2 \pm 0.1 \text{ MeV}$

Determination of the hot electron temperature T_{hot} INDIRECT



Proton spectra (using a model)



$T_{hot} = 0.24 \pm 0.1$ MeV

IP: $T_{hot} = 0.2 \pm 0.1$ MeV

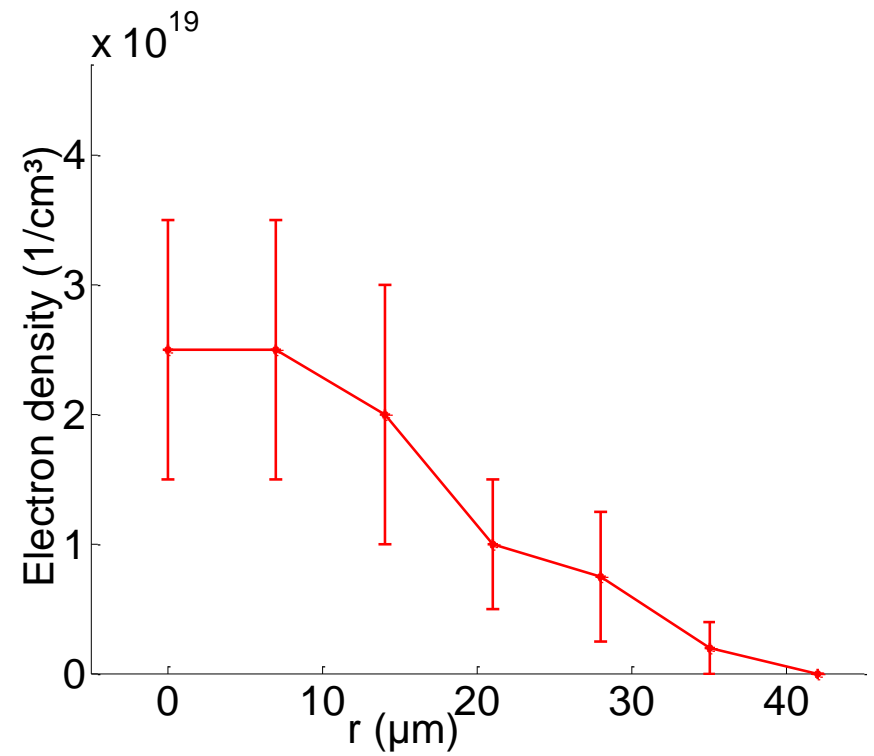
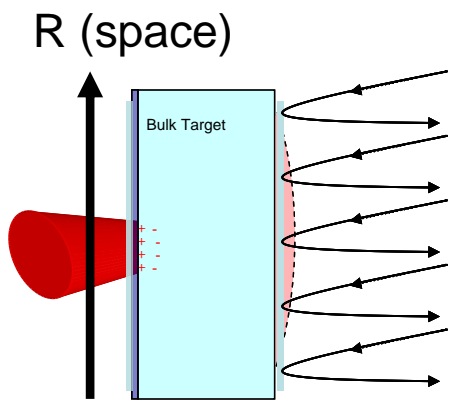
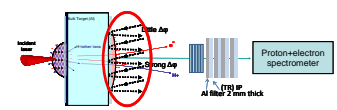
Hot electron number

Exp @ 1ω / Al 25 μm
 $I \sim 3e18 \text{ W/cm}^2$ / $t_{\text{laser}} = 5 \text{ ps}$



Determination of the hot electron density n_{hot} or total number N_{hot}

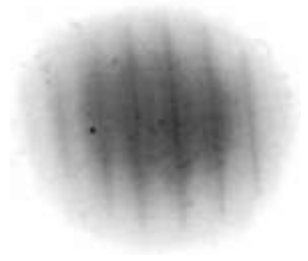
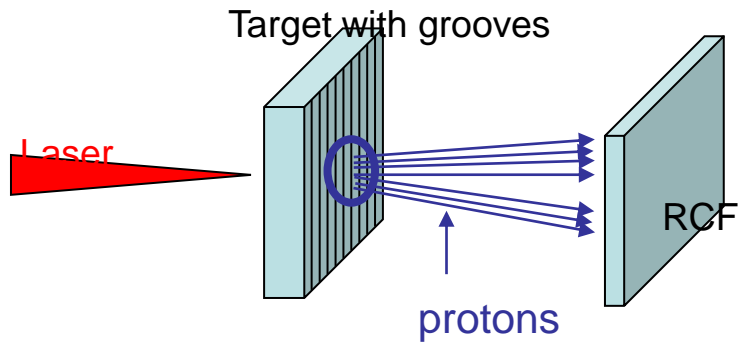
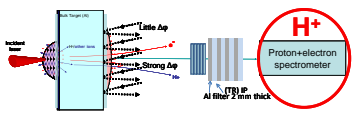
n_{hot} DIRECT



Exp @ 1ω / Al 25 μm
I~3e18 W/cm² / t_{laser}=5 ps



Determination of the hot electron density n_{hot} or total number N_{hot}
 n_{hot} INDIRECT



$$E_{proton} = 2 * Z * k_b * T_h * (\ln(\tau + (\tau^2 + 1)^{0.5}))^2$$

$$\tau = \omega_{pi} * t_{laser} / 2.32$$

$$\omega_{pi} = (n_{hot} * Z * e^2 / m_i * \epsilon_0)^{0.5}$$

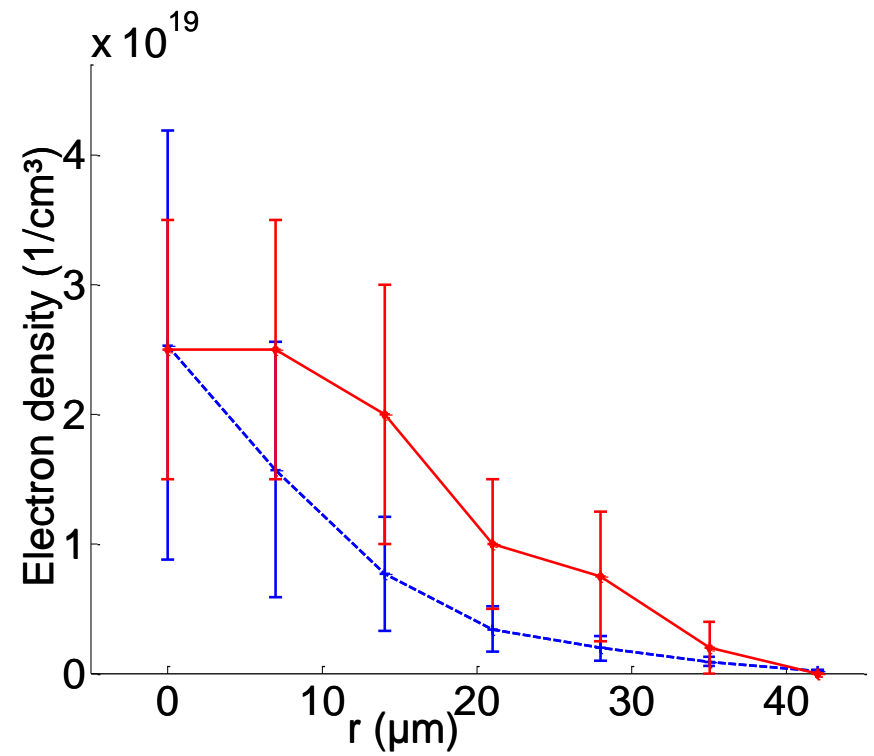
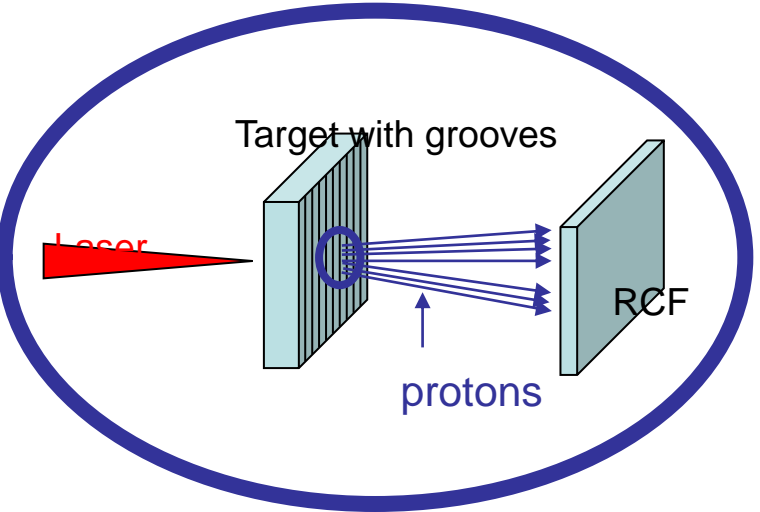
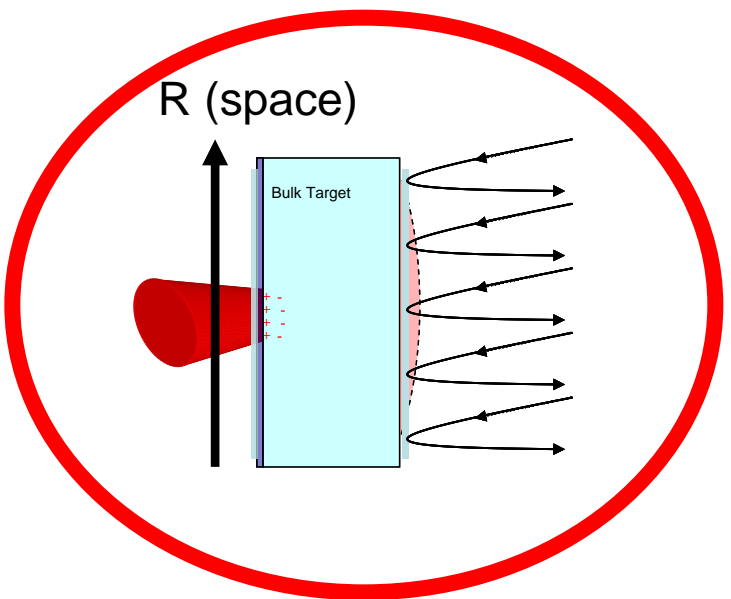
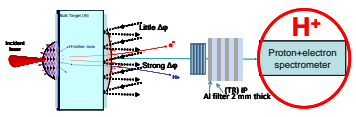
unknown

RCF using grooved target:

- 1) Every RCF is associated to one proton energy
- 2) Grooves on target allow retrieving the source diameter producing this energy
- 3) A model allows to associate proton energy to electron density:



Determination of the hot electron density n_{hot} or total number N_{hot} n_{hot} INDIRECT



Exp @ 1ω / Al 25 μm
I~3e18 W/cm² / t_{laser}=5 ps

Conclusions

- 1) We have shown that we can use simple distant measurement for finding information about local parameters
- 2) We have shown that indirect measurement (via protons) can give information about electrons
- 3) We have shown that this is applicable for both T_{hot} and n_{hot}

